

# 2D superconductivity in single crystals of LSCO

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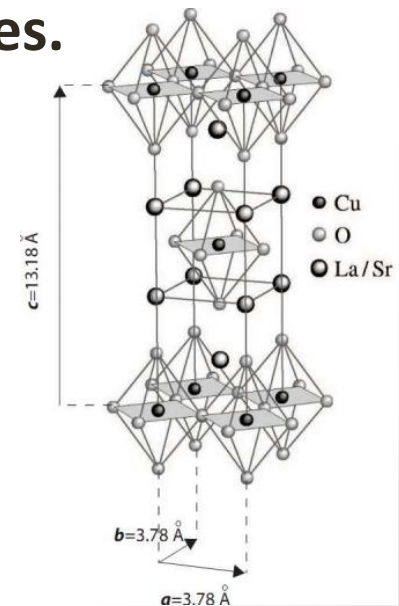
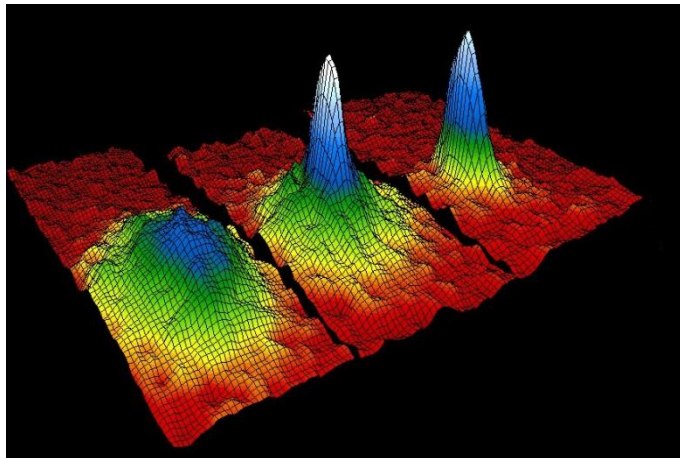
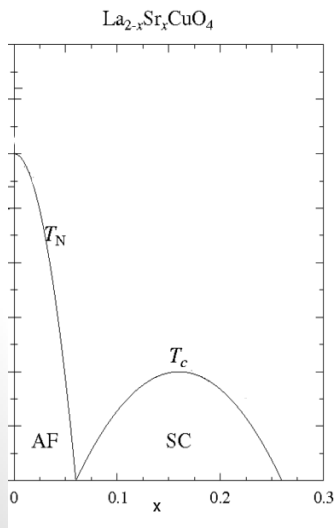
Colaborators: Galina Bazalitzki and Meni Shay

# Outline

- **Motivation**
- **Previous work and theoretical predictions**
- **Sample preparation**
- **Results**
- **Experimental Tests**

# Motivation

- The layered structure of cuprates might imply that SC phase is two dimensional.
- Theoretically, phase transitions with long range order are forbidden in a two-dimensional systems. (BEC, 2D solid, 2D magnet, 2D SC).
- **Recent theoretical and experimental evidence show that SC can work in two dimensions. The Cu-O planes can decouple while SC in the planes survives.**



# Previous work

## Magnetic-field-induced uniaxial resistivity in a high- $T_c$ superconductor

Jinsheng Wen,<sup>1,2</sup> Qing Jie,<sup>1,2</sup> Qiang Li,<sup>1</sup> M. Hücker,<sup>1</sup> M. v. Zimmermann,<sup>3</sup> Su Jung Han,<sup>1,2</sup> Zhijun Xu,<sup>1,4</sup> D. K. Singh,<sup>5,6</sup> Liyuan Zhang,<sup>1</sup> Genda Gu,<sup>1</sup> and J. M. Tranquada<sup>1</sup>

- Experimental evidence of a distinct field-induced state in LBCO.
- Zero resistivity was measured in two dimensions (2D), parallel to the planes.
- Large resistivity was measured for the same temperature, perpendicular to the planes.

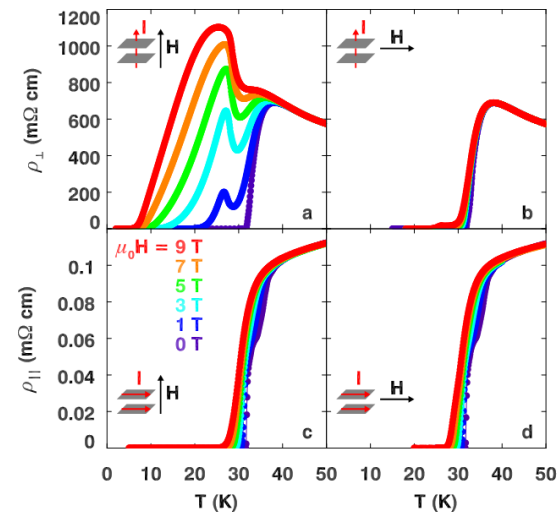
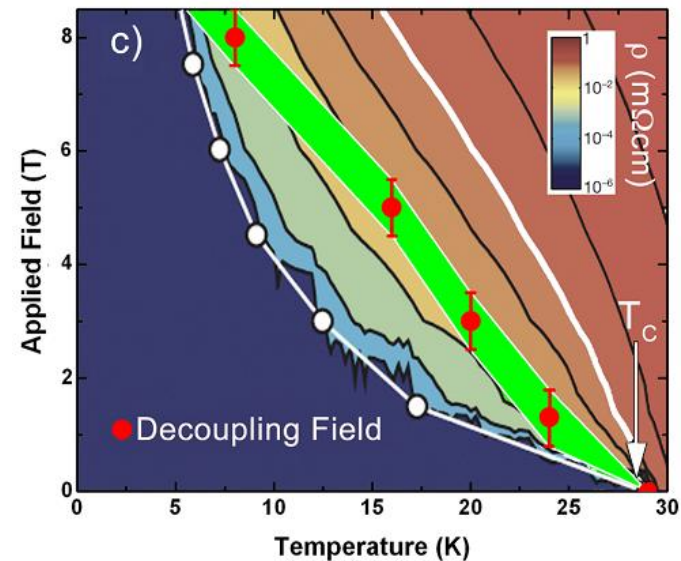


FIG. 1: **Magnetoresistance in  $\text{La}_{2-x}\text{Ba}_x\text{CuO}_4$  with  $x = 0.095$ .** Resistivities vs. temperature for a range of magnetic fields, corresponding to the configurations: **a**,  $\rho_{\perp}$  in  $H_{\perp}$ ; **b**,  $\rho_{\perp}$  in  $H_{\parallel}$ ; **c**,  $\rho_{\parallel}$  in  $H_{\perp}$ ; **d**,  $\rho_{\parallel}$  in  $H_{\parallel}$ . The values of  $\mu_0 H$ , ranging from 0 T (violet) to 9 T (red), are indicated in **c**. The orientations of the measuring current,  $I$ , and the magnetic field are indicated in the insets.

## Towards a Two-Dimensional Superconducting State of $\text{La}_{2-x}\text{Sr}_x\text{CuO}_4$ in a Moderate External Magnetic Field

A. A. Schafgans,<sup>1,\*</sup> A. D. LaForge,<sup>1</sup> S. V. Dordevic,<sup>2</sup> M. M. Qazilbash,<sup>1</sup> W. J. Padilla,<sup>1</sup> K. S. Burch,<sup>1</sup> Z. Q. Li,<sup>1</sup> Seiki Komiya,<sup>3</sup> Yoichi Ando,<sup>4</sup> and D. N. Basov<sup>1</sup>

- An optical reflectance study probed the superfluid density between  $\text{CuO}_2$  below  $T_c$ .
- A complete suppression of the interlayer coupling was observed upon application of a ?perpendicular? magnetic field.
- The in-plane SC properties was found to be intact.



The Red dots represent the decoupling field at a certain T.

# Previous work

PRL 99, 127003 (2007)

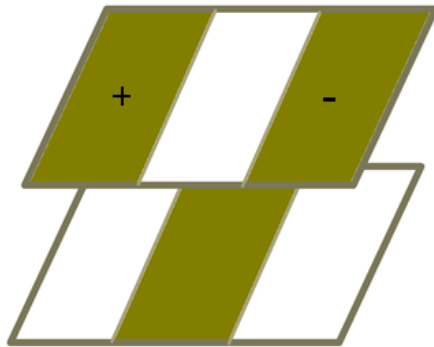
PHYSICAL REVIEW LETTERS

week ending  
21 SEPTEMBER 2007

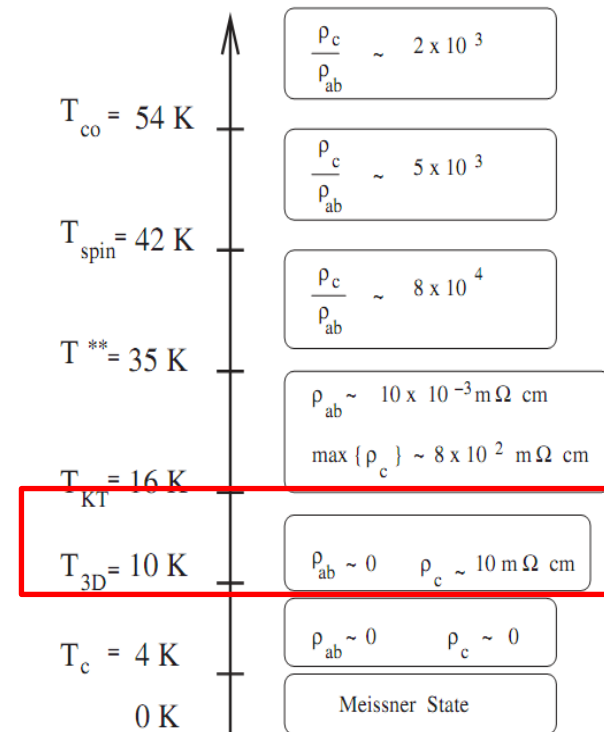
## Dynamical Layer Decoupling in a Stripe-Ordered High- $T_c$ Superconductor

E. Berg,<sup>1</sup> E. Fradkin,<sup>2</sup> E.-A. Kim,<sup>1</sup> S. A. Kivelson,<sup>1</sup> V. Oganesyan,<sup>3</sup> J. M. Tranquada,<sup>4</sup> and S. C. Zhang<sup>1</sup>

- When stripe order is present, frustration of the Josephson coupling may occur.



- The frustration leads to layer decoupling and gives rise to a 2D-like superconducting state.



# Previous work

PRL 105, 085302 (2010)

PHYSICAL REVIEW LETTERS

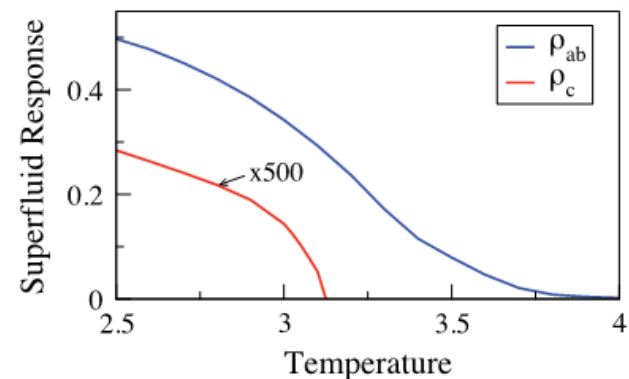
week ending  
20 AUGUST 2010

## Finding the Elusive Sliding Phase in the Superfluid-Normal Phase Transition Smeared by $c$ -Axis Disorder

David Pekker,<sup>1</sup> Gil Refael,<sup>2</sup> and Eugene Demler<sup>1</sup>

- Interplay between disorder along the  $c$ -axis, and the  $a$ - $b$  planes KT physics gives rise to an anomalous phase.
- In this region of the phase diagram, superfluid becomes split into an array of 2D puddles with no response along the  $c$  axis.
- The discussion here is about BEC, but it is also valid for layered superconductors as well.

P. Mohan and T. Vojta, PRL 105, 085301 (2010)



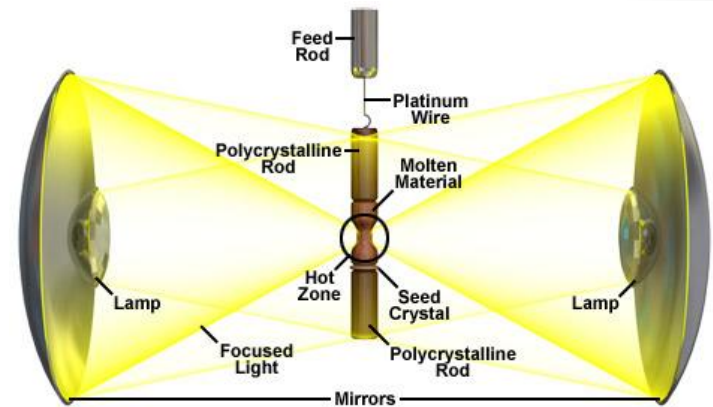
# Motivation

- The experiments were done at relatively high magnetic field, up to 9 Tesla. This could alter the ground state of the system.
- We believe that we a state of 2D superconductivity measure, in a zero field regime.
- We discovered this unintentionally while measuring magnetization of single crystal of LSCO with different orientations.



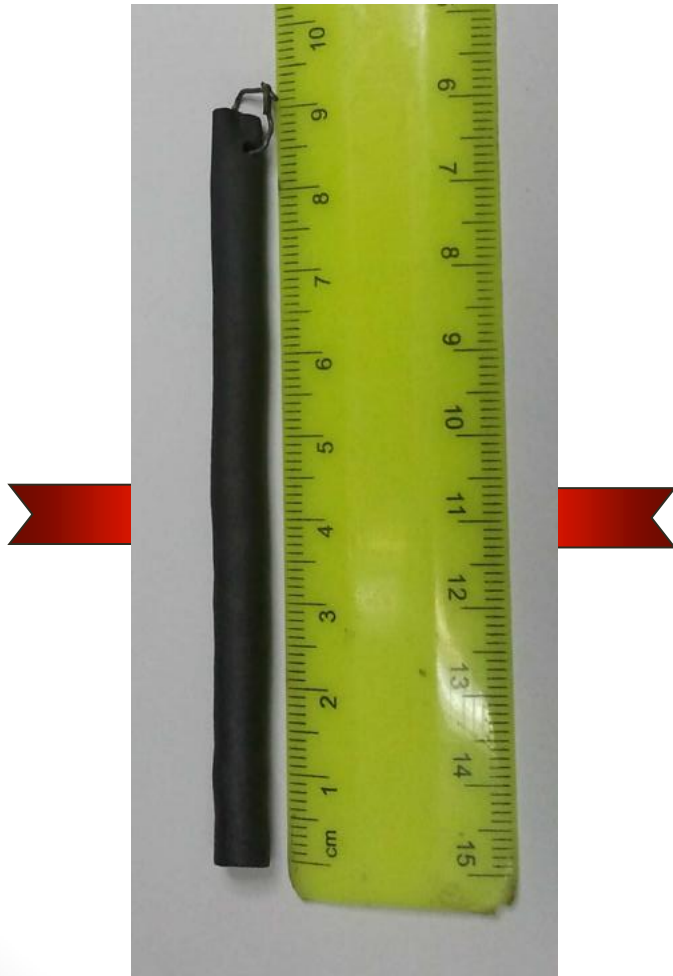
# Crystal growth technique we use:

Traveling Solvent Floating Zone Method (Crystal Systems Corp. Japan) image furnace. It is in operation in our laboratory since 2007.

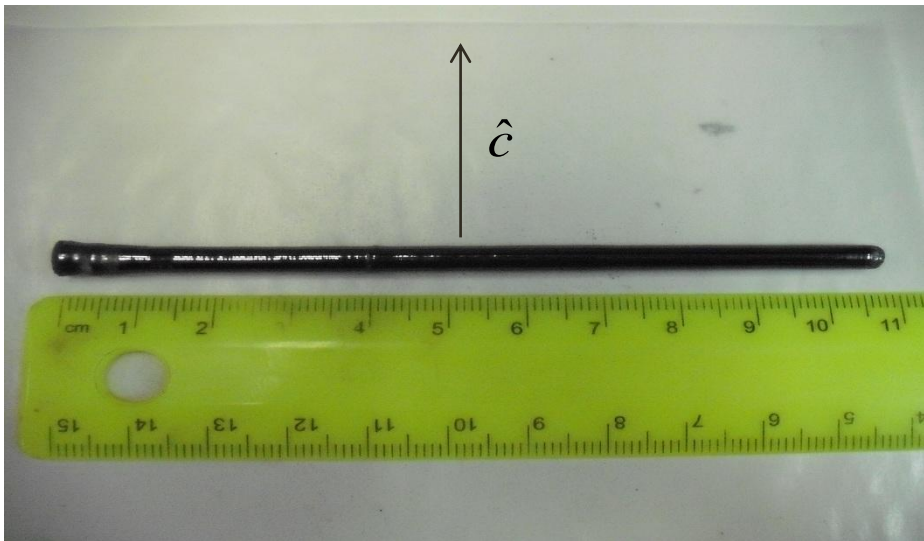


# Crystal growth “technology”

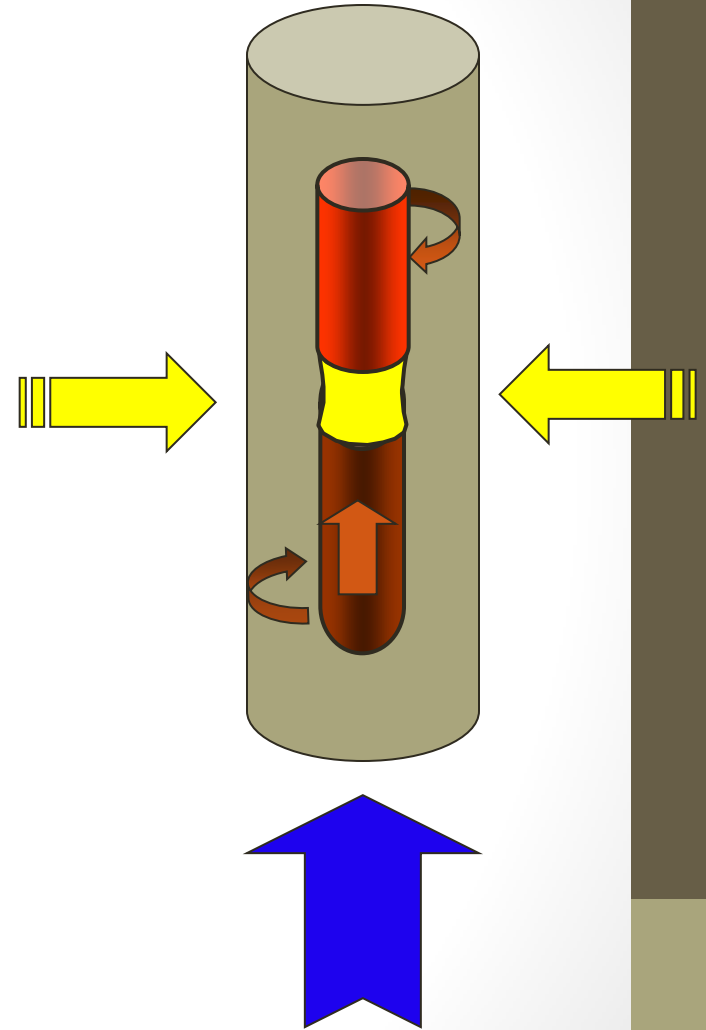
1. Synthesis of the starting material
2. Pressing and sintering of the feed rods  $\varnothing 7\text{-}9\text{mm}$ , length 50-200mm!!  
(hydrostatic pressing 60000 PSI)



# Growth parameters which can be controlled

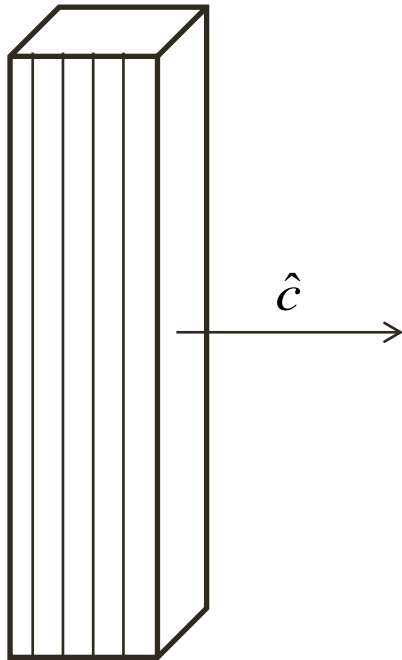


It appears that LSCO grows with its c-axis pointing from the side.



# The samples – Rectangular Needles

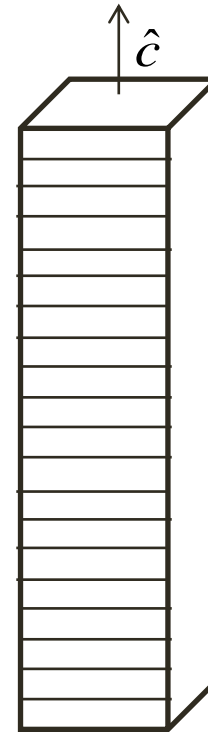
A-needle



A-needle

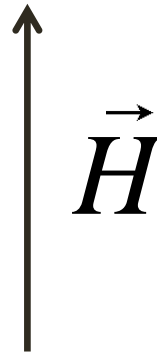
**1x1x10 mm**

C-needle



C-needle

**1x1x5mm**



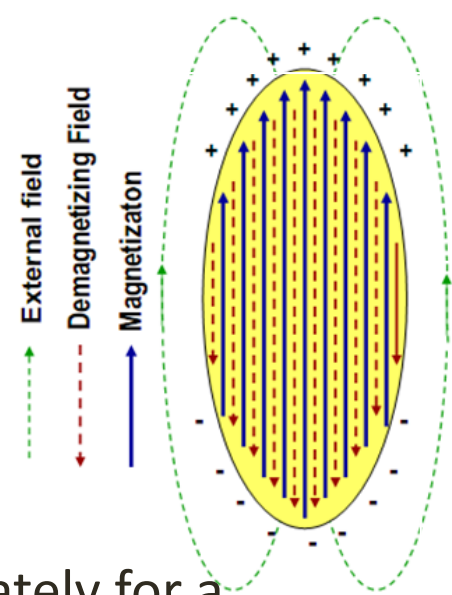
**Typical dimensions**

# Why needles?

- **Demagnetization factor -  $D$ .**

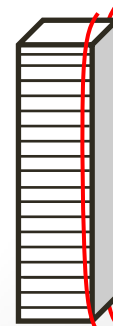
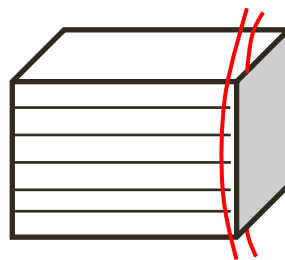
apparent susceptibility is not the intrinsic one:

$$\chi_a = \frac{\chi}{1 + D\chi}$$

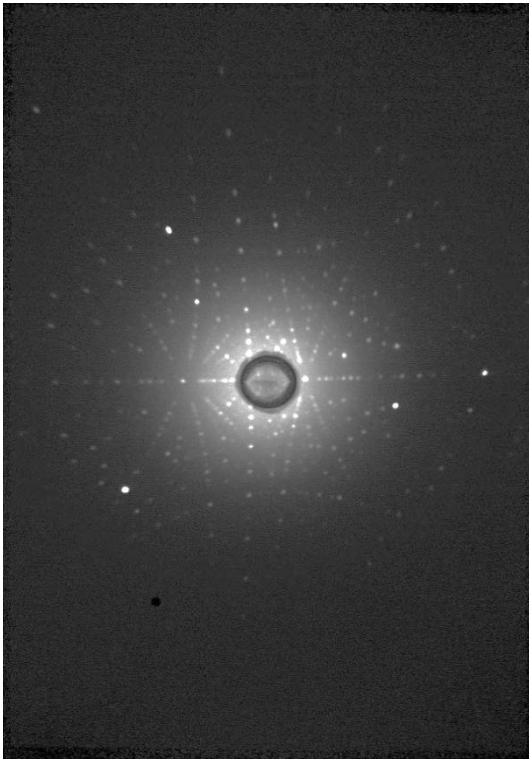


$D$  depends only on sample geometry, but fortunately for a needle  $D \cong 0$ .

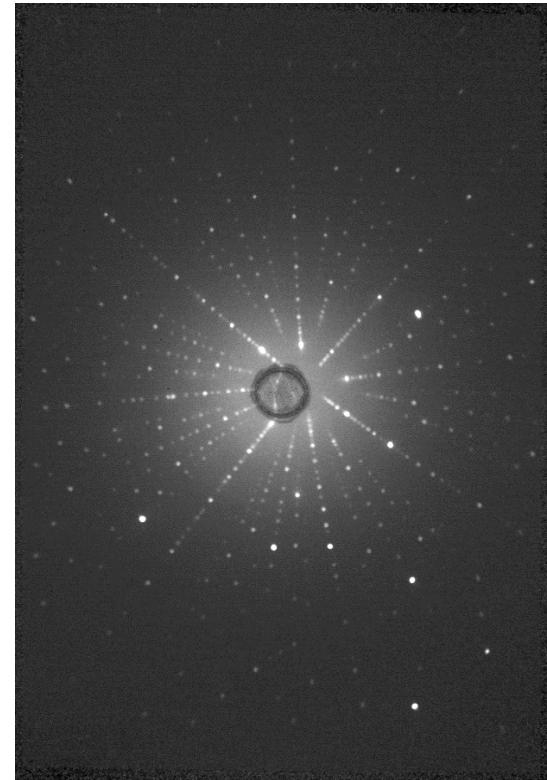
- With rectangular needles we can measure “**clean**” susceptibility for the two directions.



# Orientation

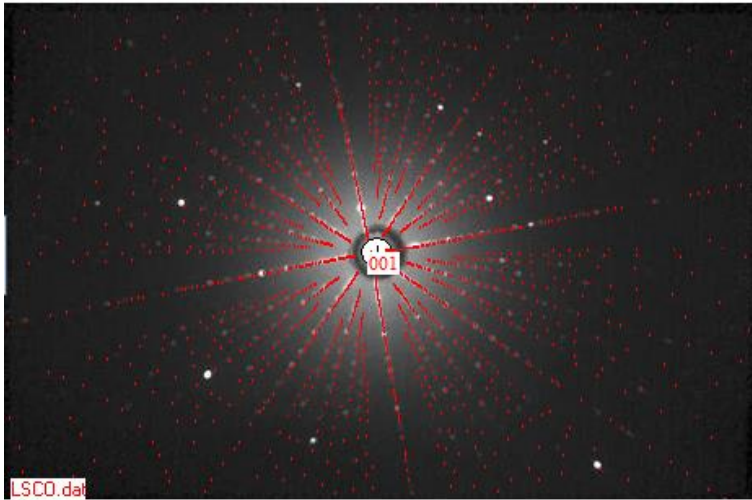


Laue of (100) direction (AB)

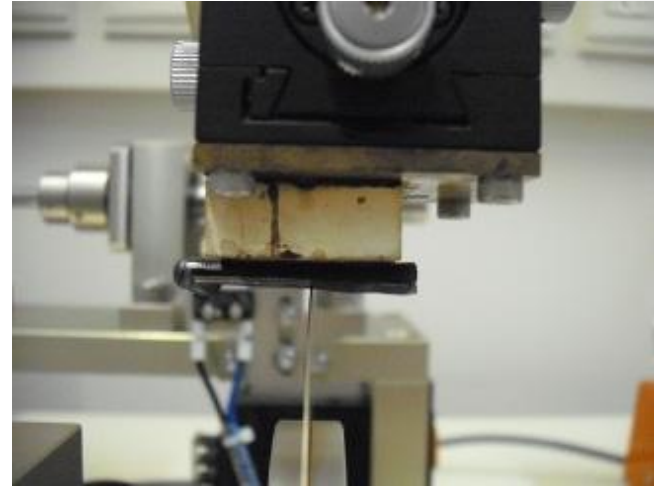
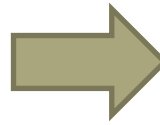


Laue of (001) direction (c-axis)

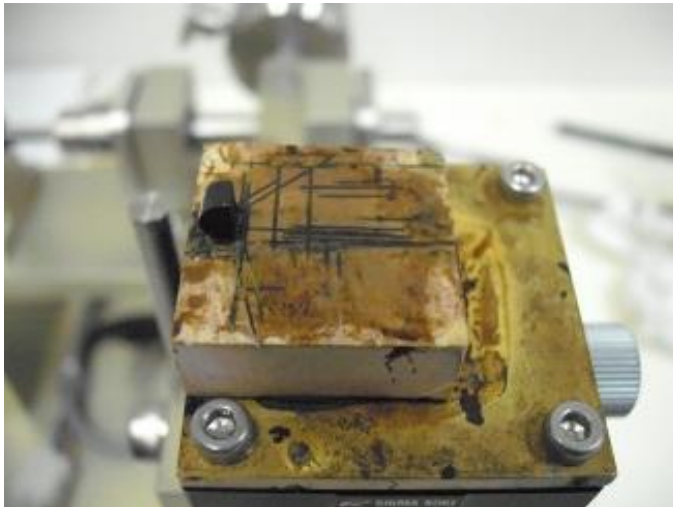
# Cutting the samples



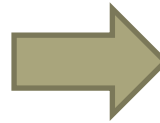
Orientation with A Laue Camera



Cut the crystal



Cut some more...



1x1x10mm needle

# Cutting the samples

- It was extremely difficult to cut a C-Needle.
- The crystal easily breaks on its natural cleavage plane perpendicular to c-axis.
- A wire saw, which applies minimal pressure, can do the job.

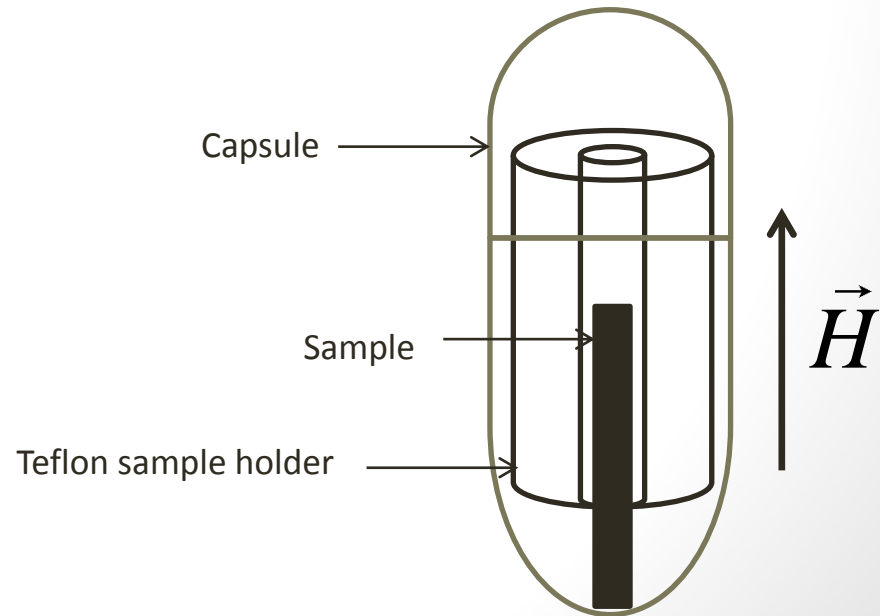


Spontaneously cleaved crystal  
(C-axis going out from to page)



# Experimental Setup

- Measurement was conducted in cryogenic Limited SQUID Magnetometer.
- Field Resolution of 0.010e at field up to 2000e.
- Prior to each measurement batch the field was degaussed and calibrated with a type I SC.
- The measurement were performed after slowly cooling the sample at zero field.



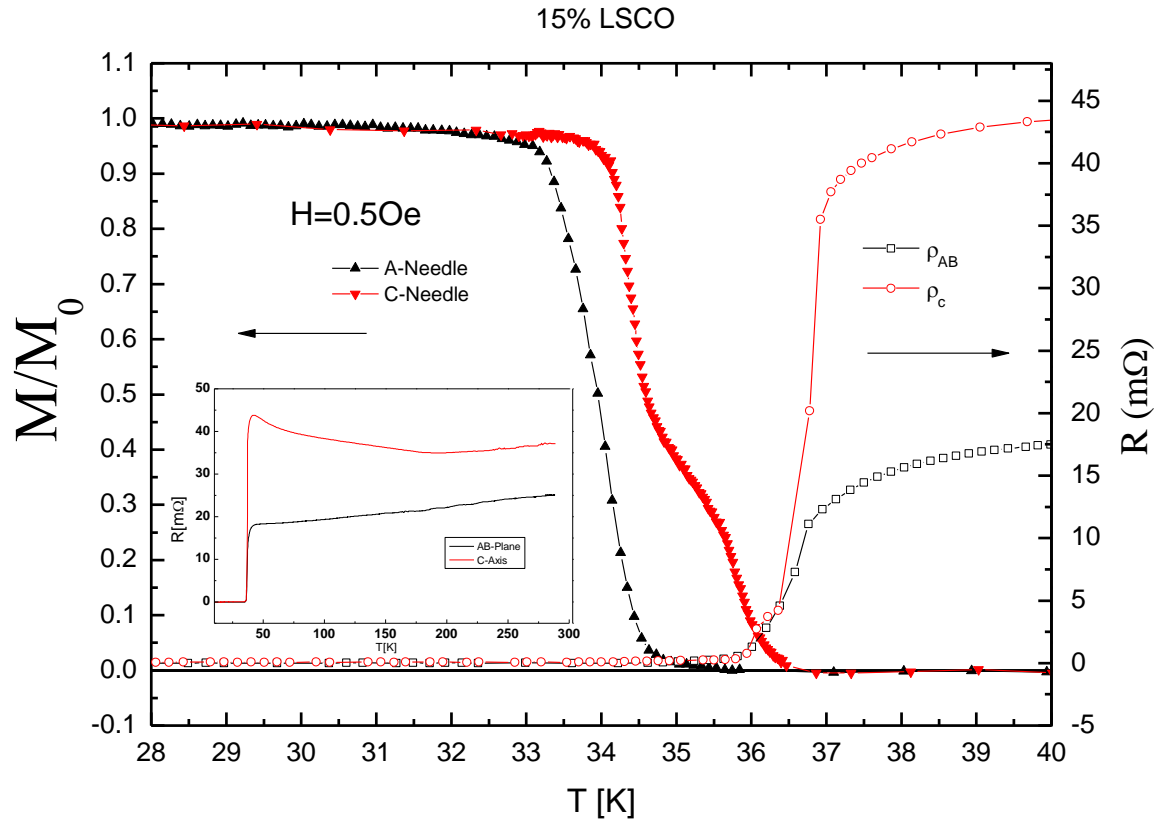
# What did we measure?

- **We mainly measured magnetization vs T in two directions, parallel and perpendicular to the C axis.**

**This was done for:**

- Different doping.
- Different applied magnetic fields.
- Different sample geometries.
- Sample Homogeneity via  $T_c$ .
- Different angular tolerance
- Critical fields for various temperature close to  $T_c$ .

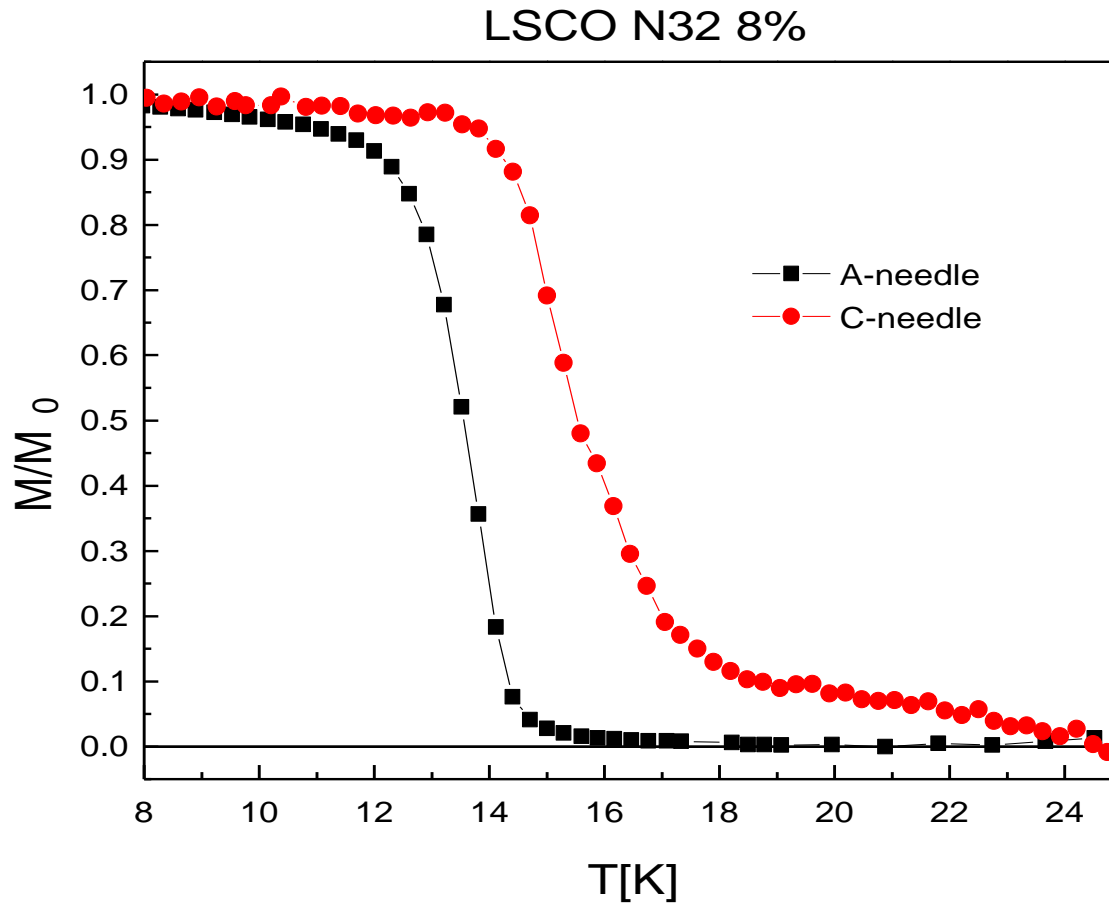
# The main and surprising result



It looks like we have two different  $T_c$  for the two directions in  $\chi$ , while resistivity shares the same  $T_c$ .

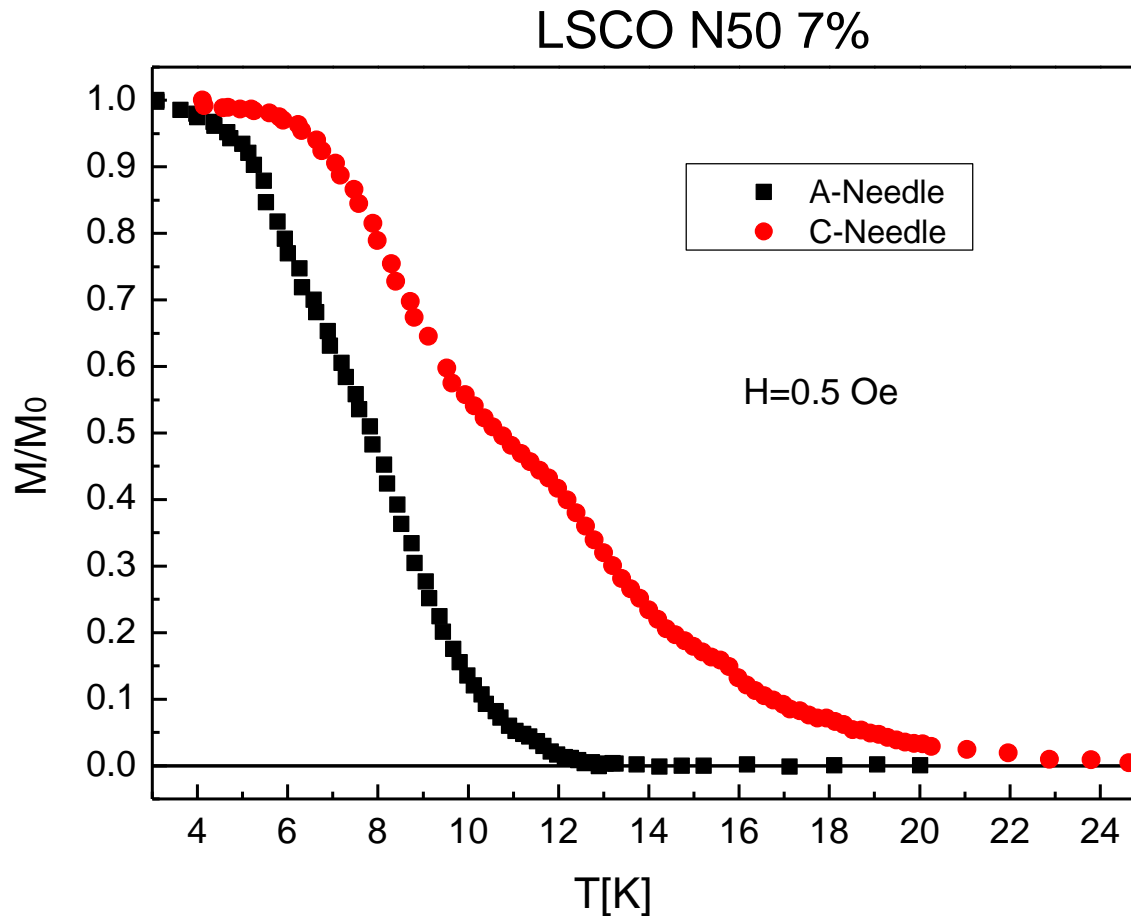
$$\Delta T_c = 0.7 \pm 0.05\text{K}.$$

# Other Doping



We observe the same effect for  $x=0.08$  doping with  $\Delta T_c = 2.6 \pm 0.1 K$ .

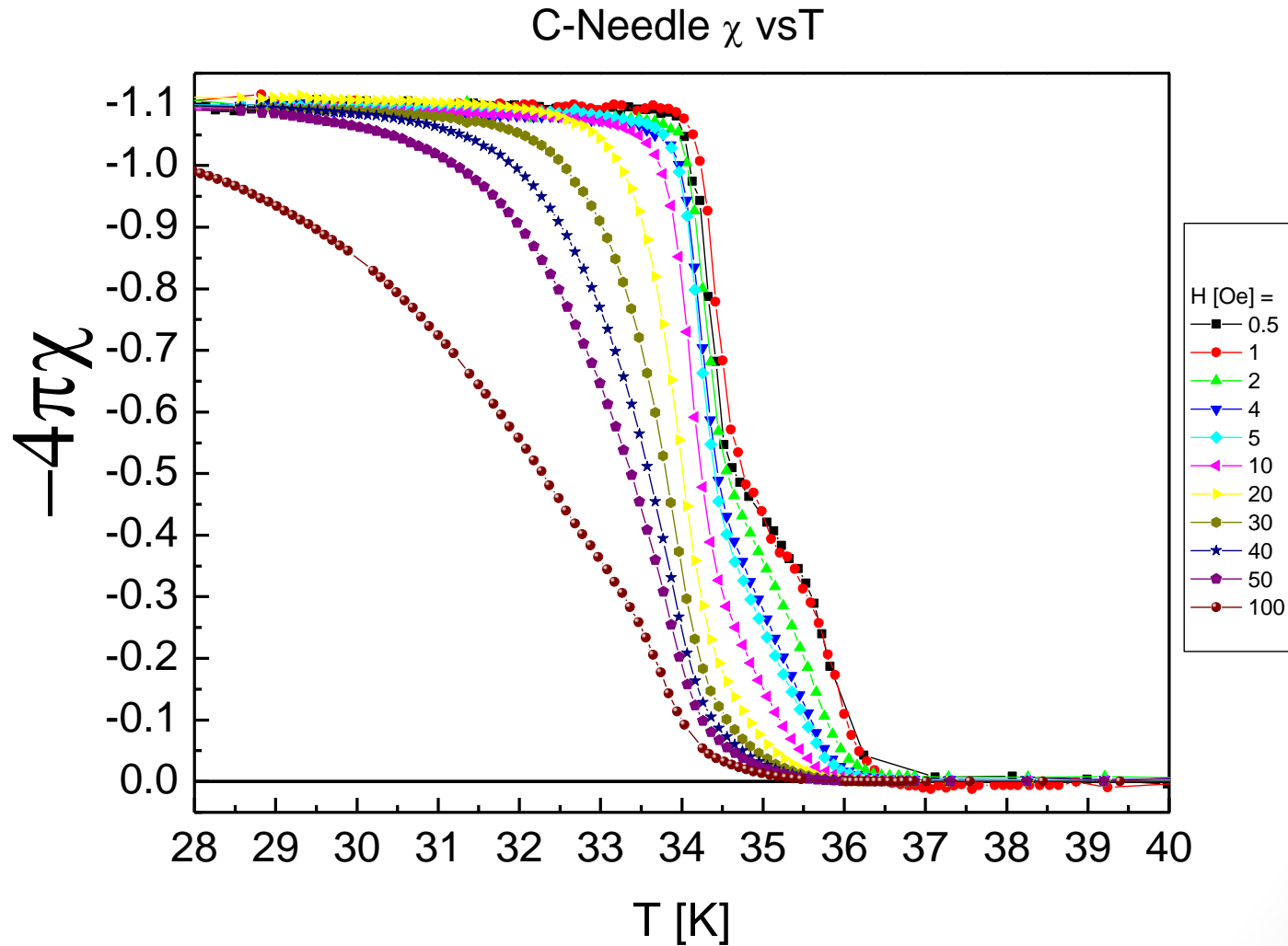
# Other Doping



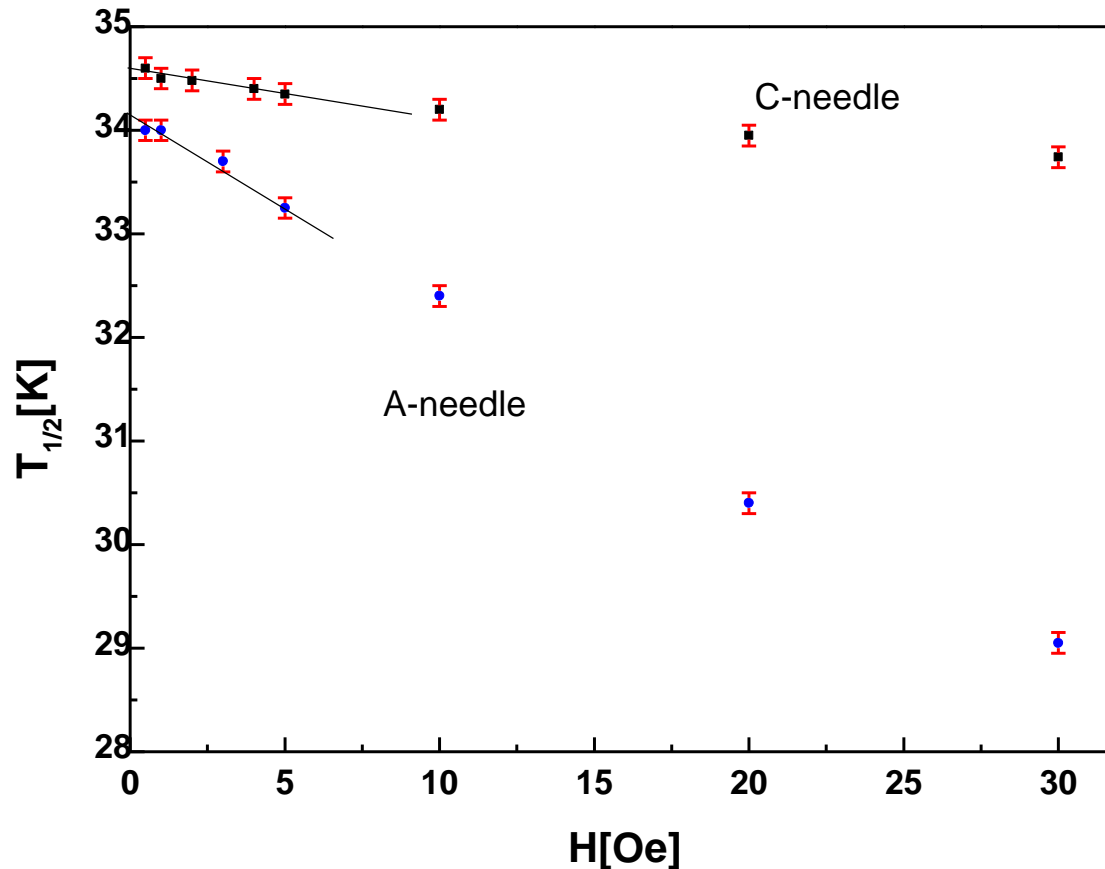
- We observe the same effect for  $x=0.07$  doping with  $\Delta T_c = 4.5 \pm 0.5 K$  (probably larger).
- At  $x=0.06$  we could not observe the saturation of the magnetic moment, so  $x=0.07$  was our limit.



# Field Dependence



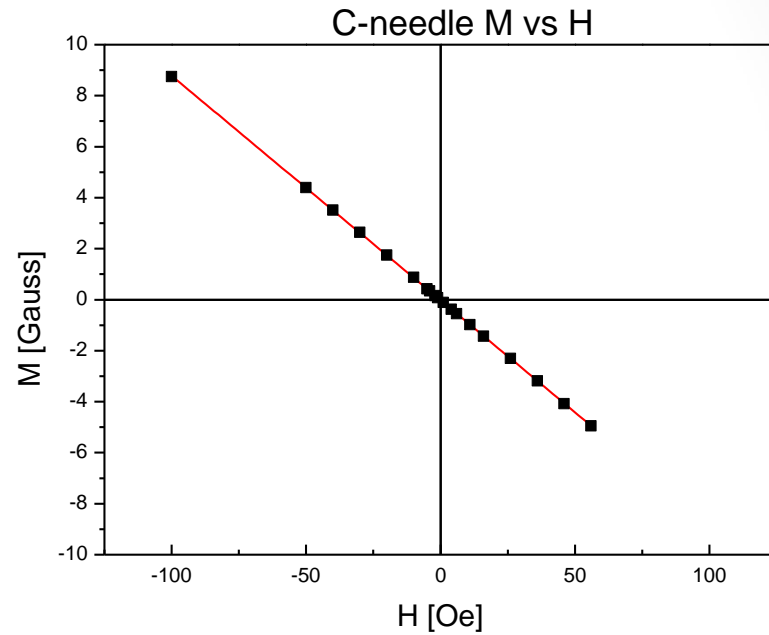
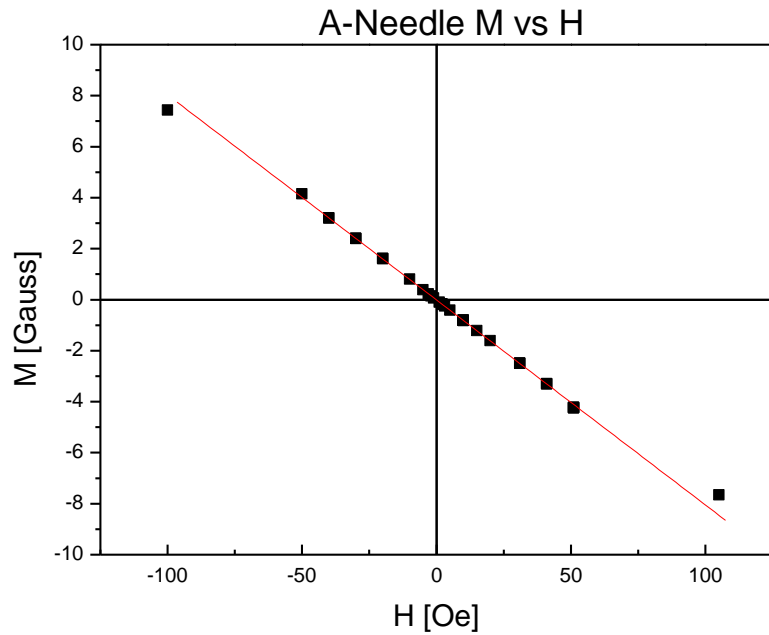
# Field Dependence of $T_{1/2}$



- $T_{1/2}$  is the temperature where the susceptibility is 50% of its max value.
- We see that in the  $H=0$  limit there is a clear difference between the two directions at  $H=0$ .
- The A-needle has a sharper  $T$  dependence of the transition width.



# Volume fraction

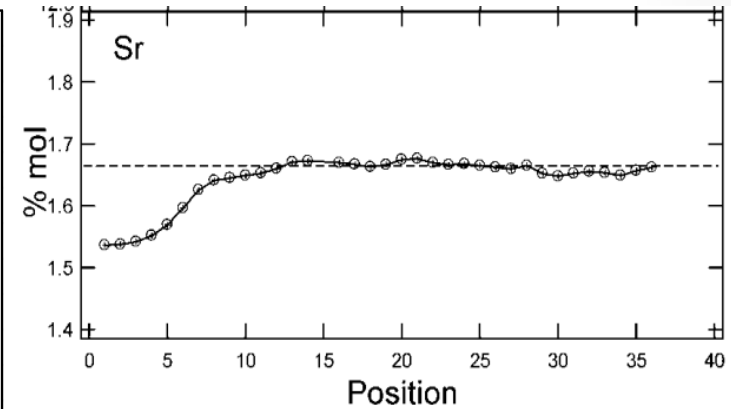
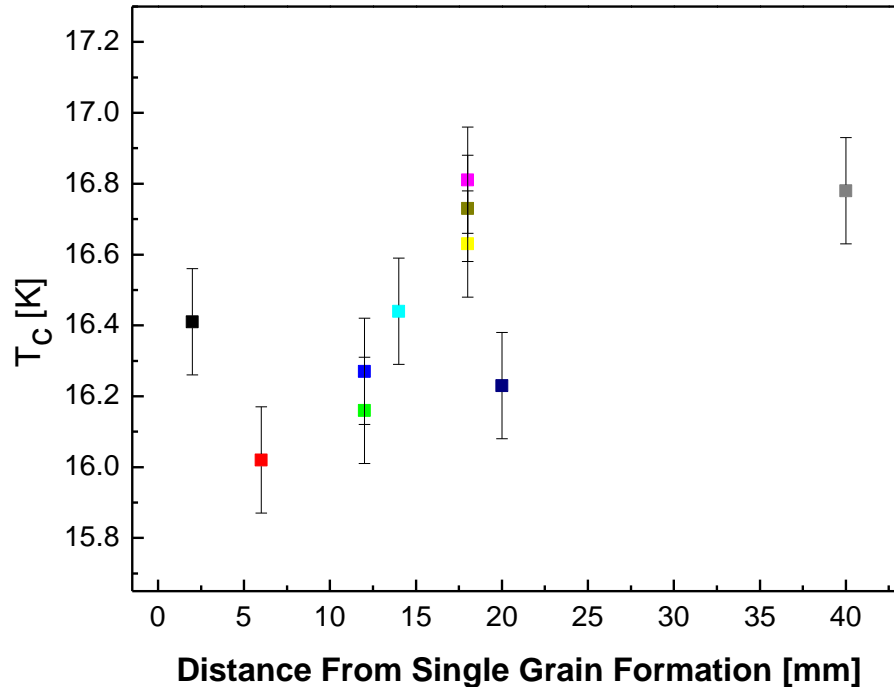


@T=4K

We measured full volume fraction for our sample at the lowest temperature.

# Sample Homogeneity

LSCO 8% N40

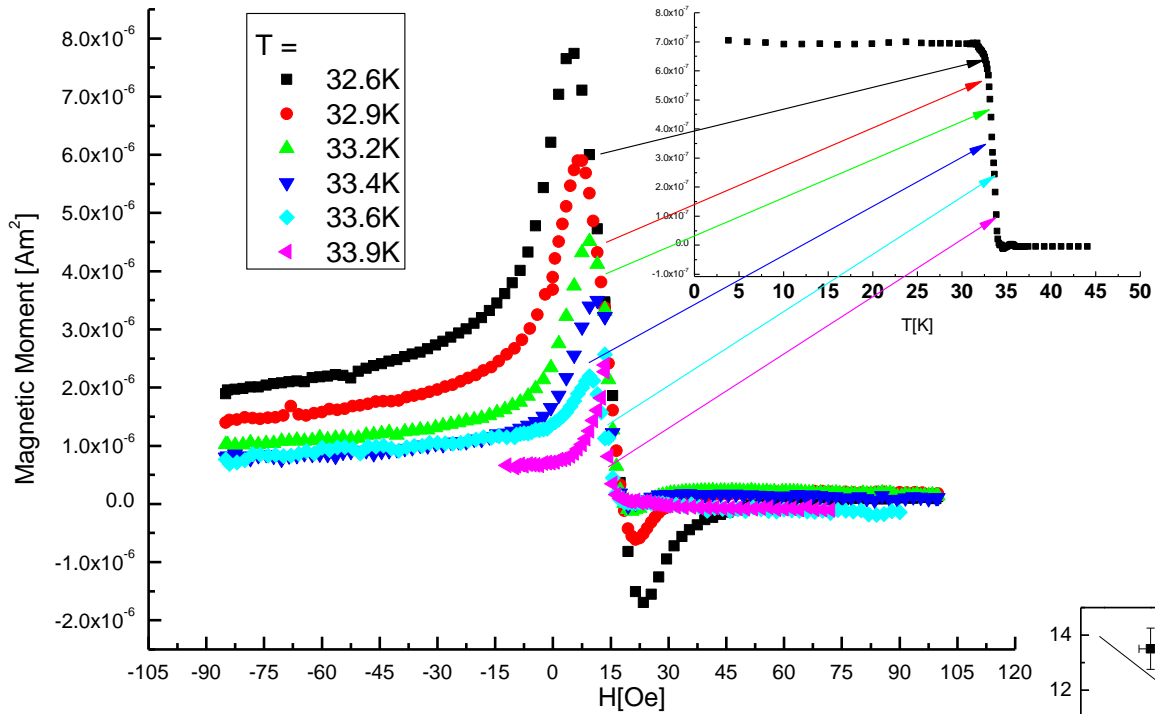


Dashed line shows the Sr content for the nominal composition.

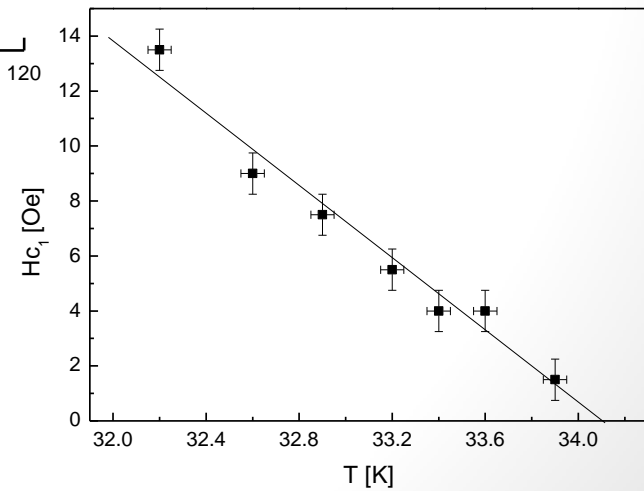
- $T_c$  fluctuates within measurement errors with STDEV 0.25K along the grown sample while  $\Delta T_c = 2.6 \pm 0.1 K$  was measured.
- Previous works have shown that Sr content is stabilized after 20mm of crystal growth.

# Critical Field Temperature Dependence A-needle

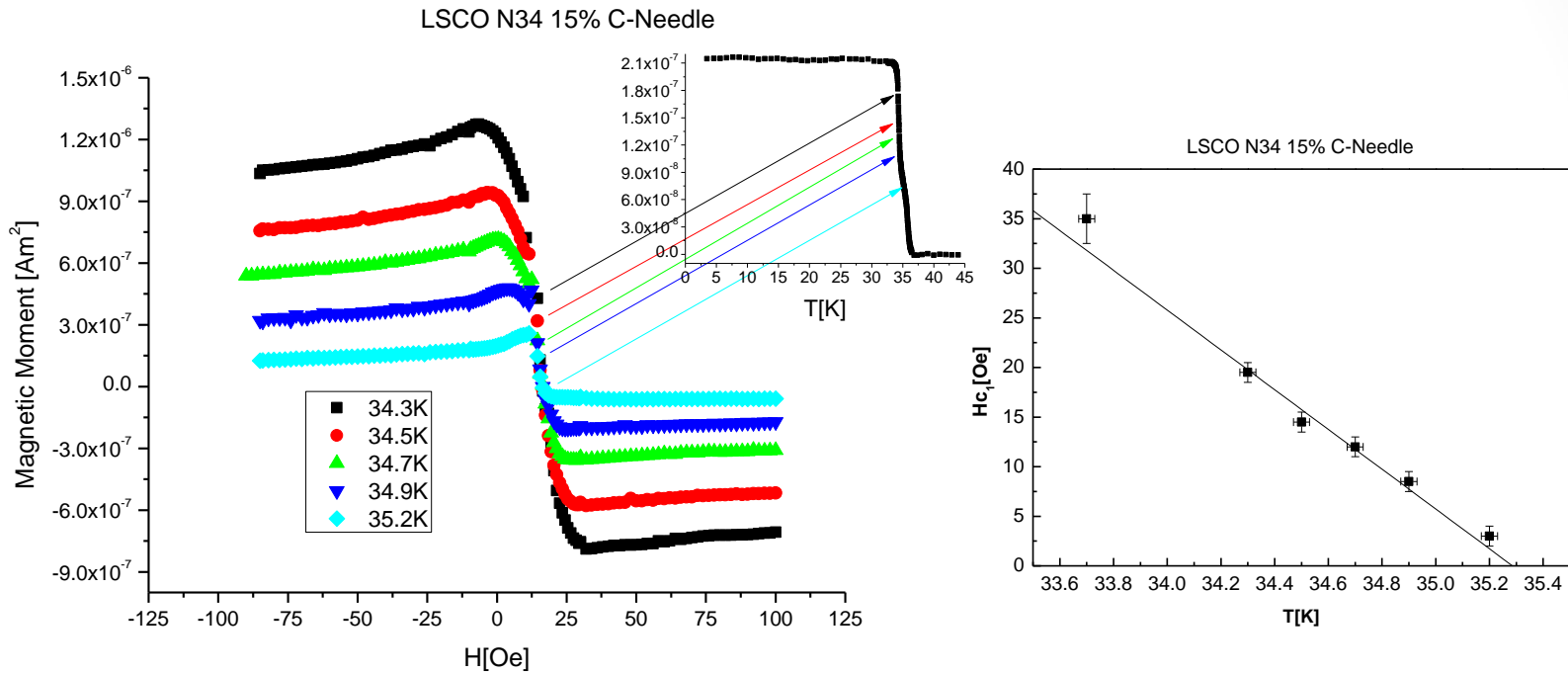
LSCO N34 15% A-Needle



LSCO N34 15% A-needle



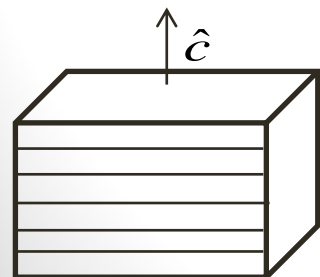
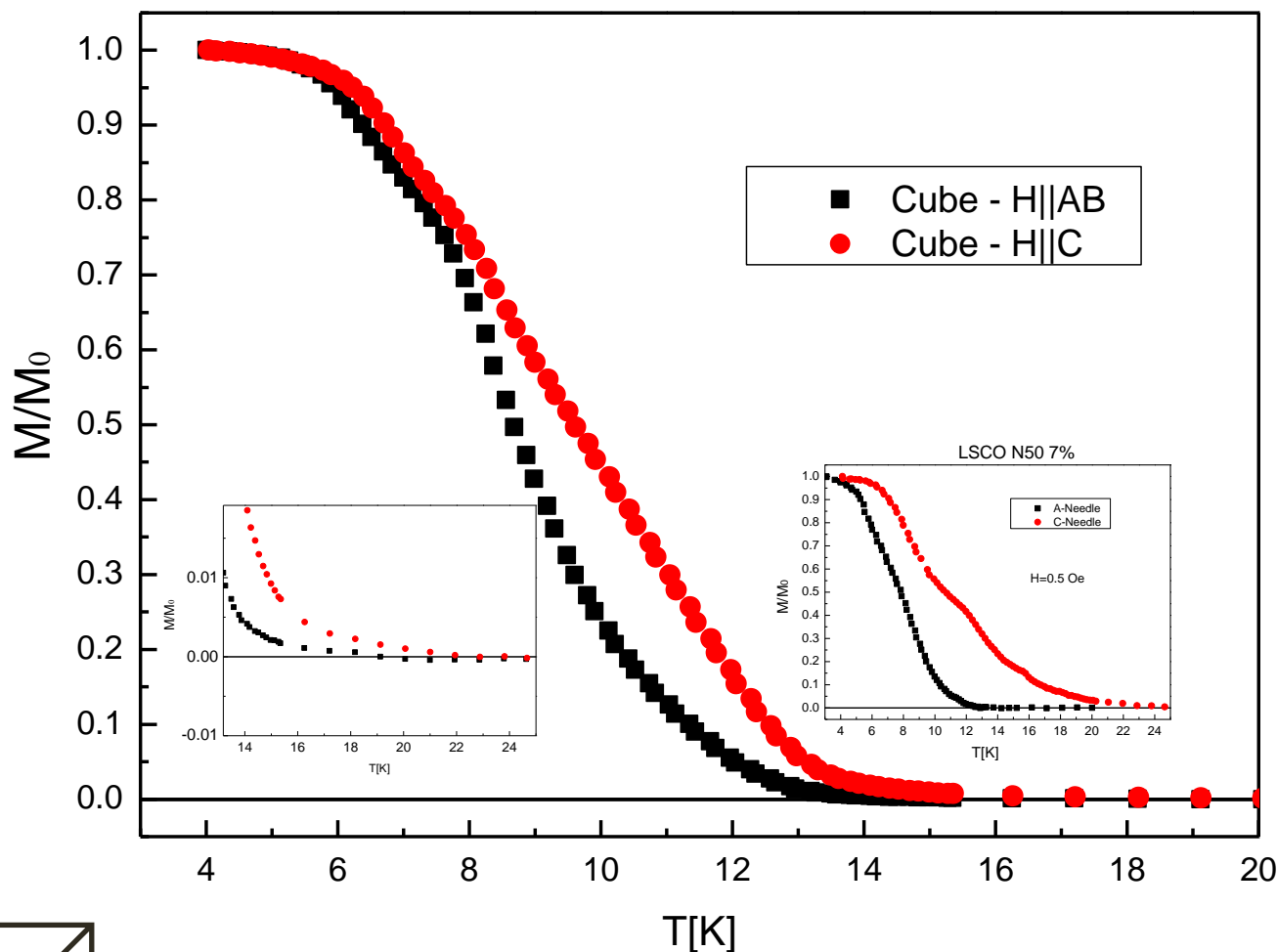
# Critical Field Temperature Dependence C-needle



- The measurements were preformed under  $H_{c1}$  for all the temperature range on the transition.
- $T$  at which  $H_{c1}$  goes to zero is different between the samples.

# Cube geometry

LSCO 7% Cube

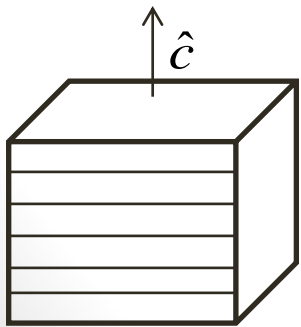
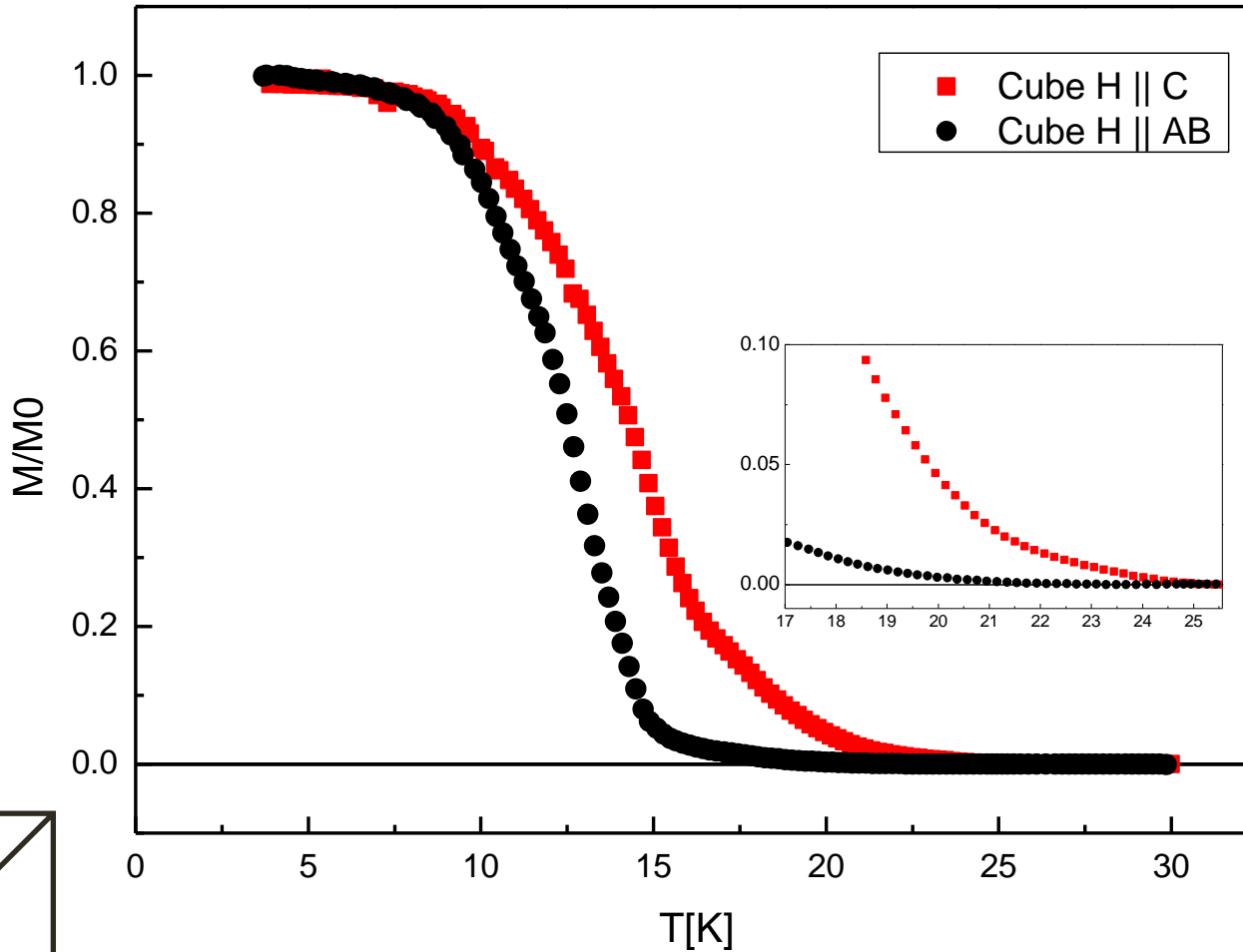


4x4x3 mm

When measure the same sample we see clear difference between the two directions – our results are sample independent.

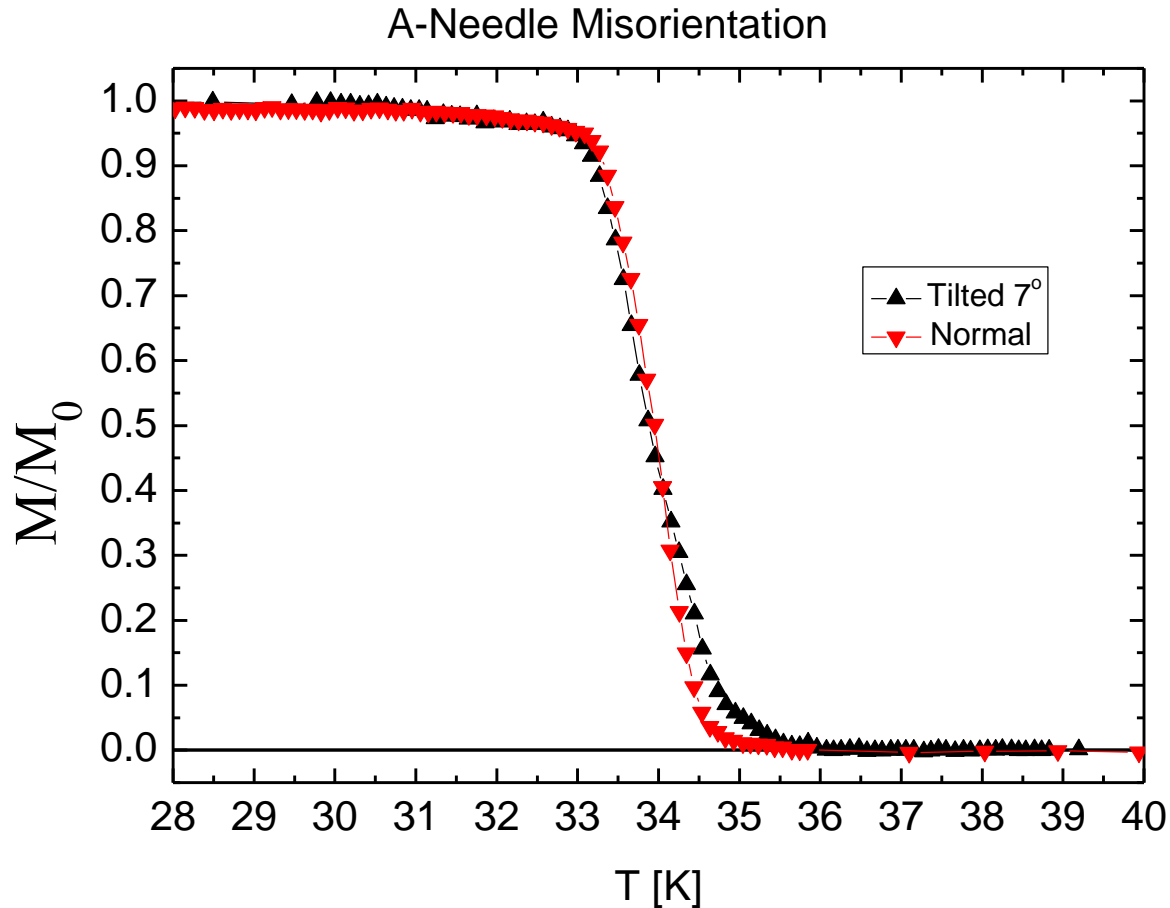
# Cube geometry

Cube (2x2x2) 7%



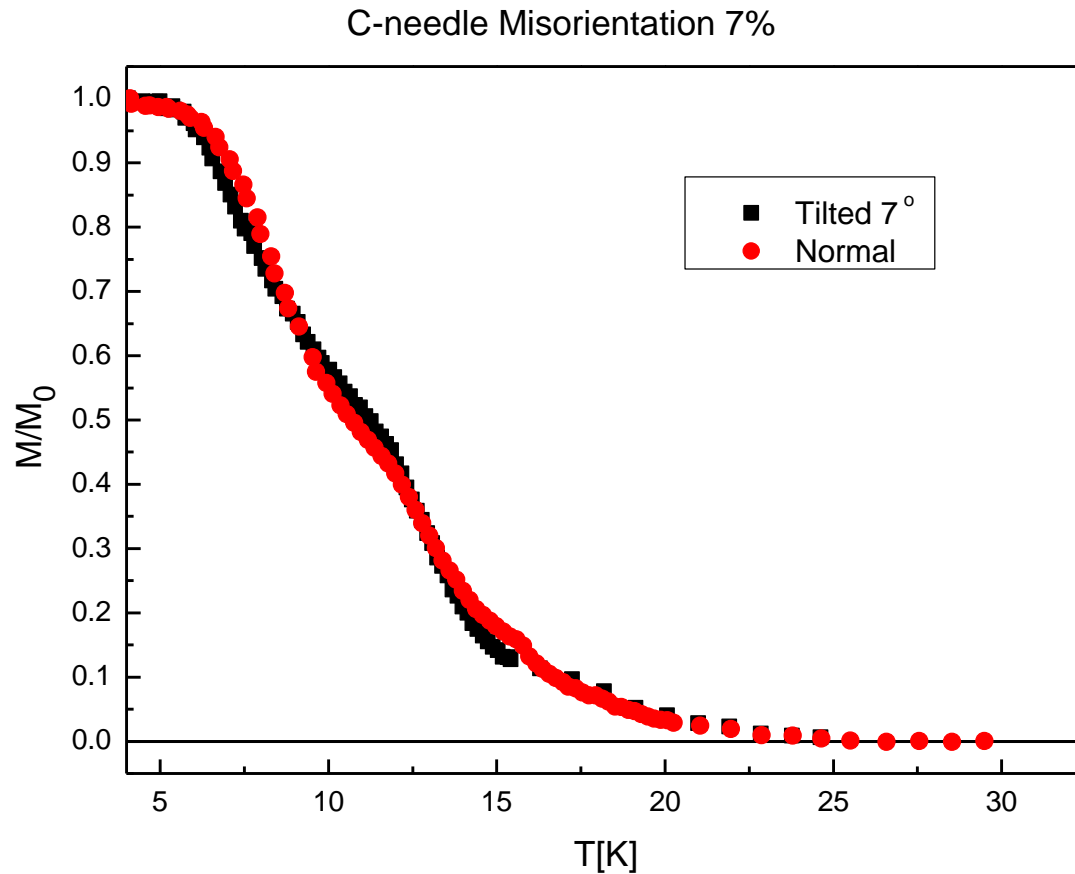
2x2x2mm

# Misorientation



No significant difference for artificial misorientation For the A-needle.

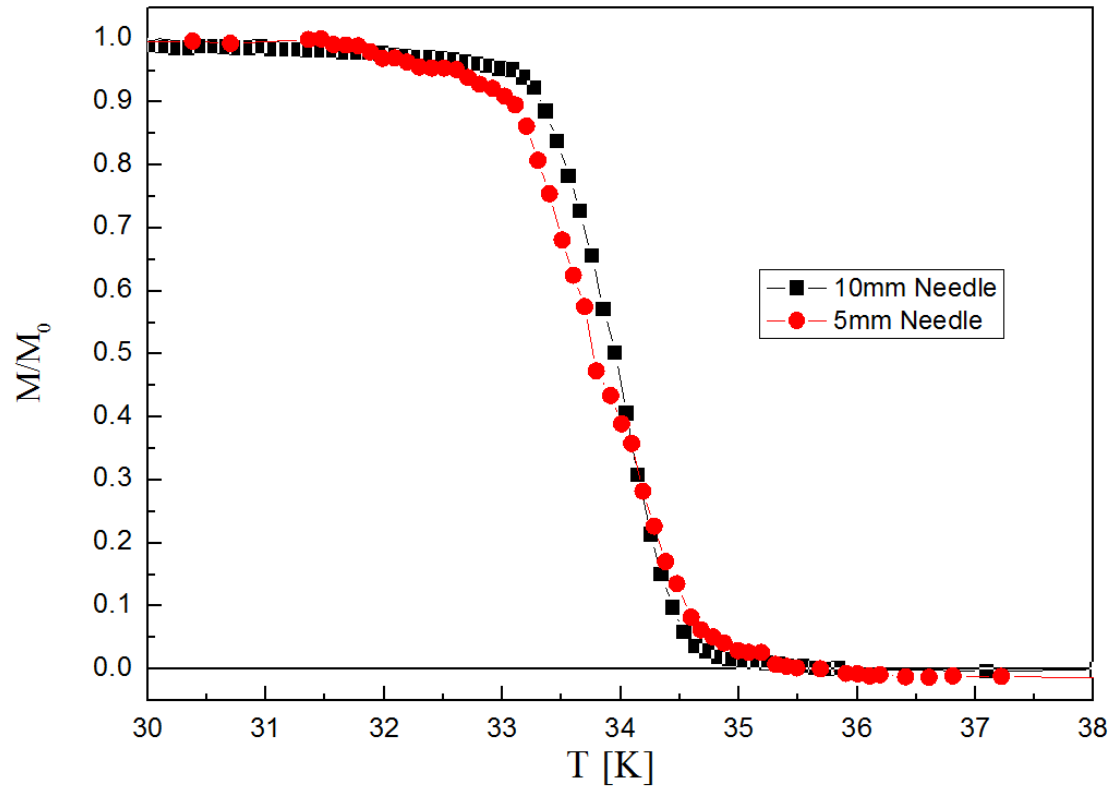
# Misorientation



**No significant difference for artificial misorientation For the C-needle.**

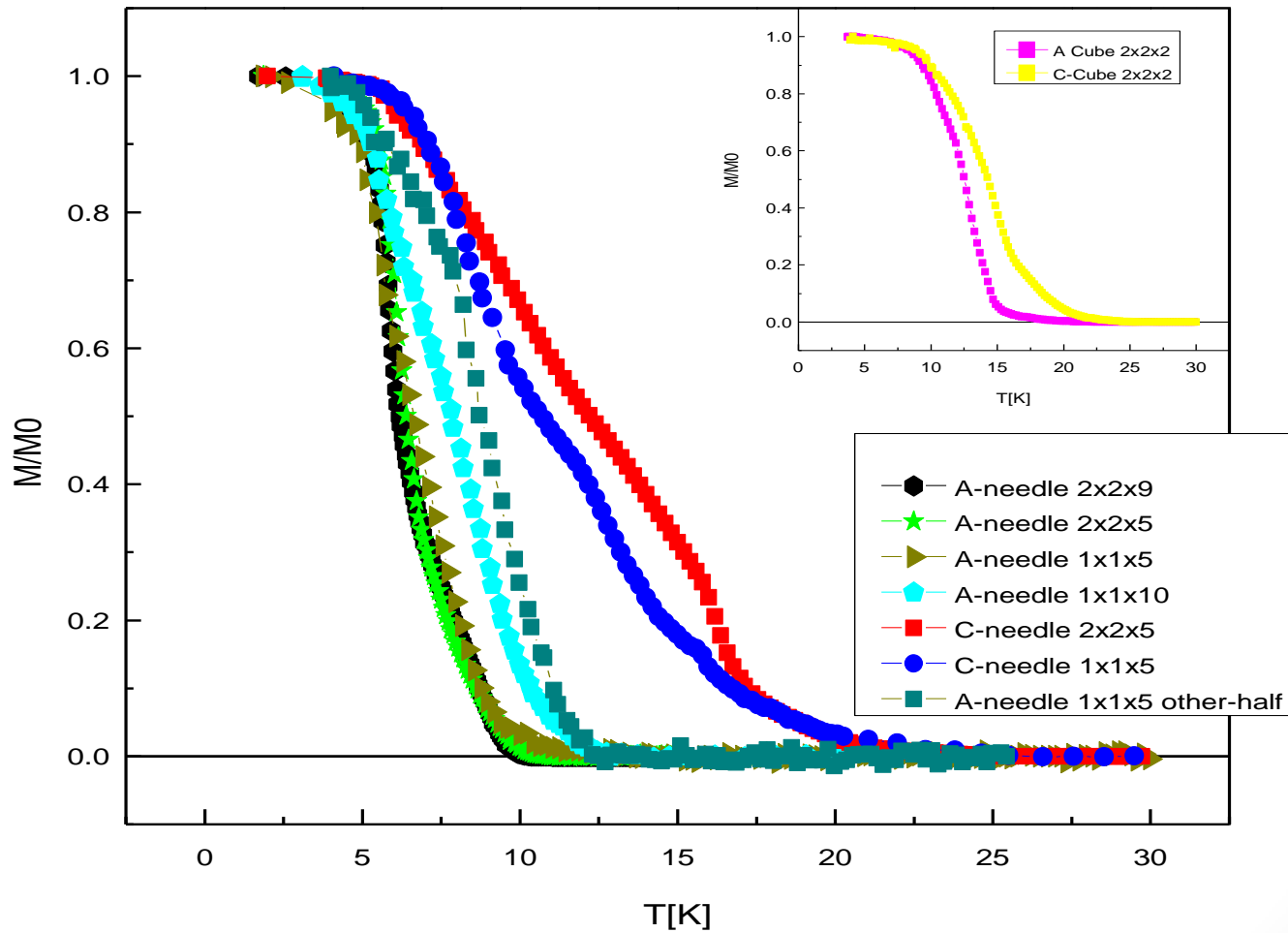


# Length Dependence



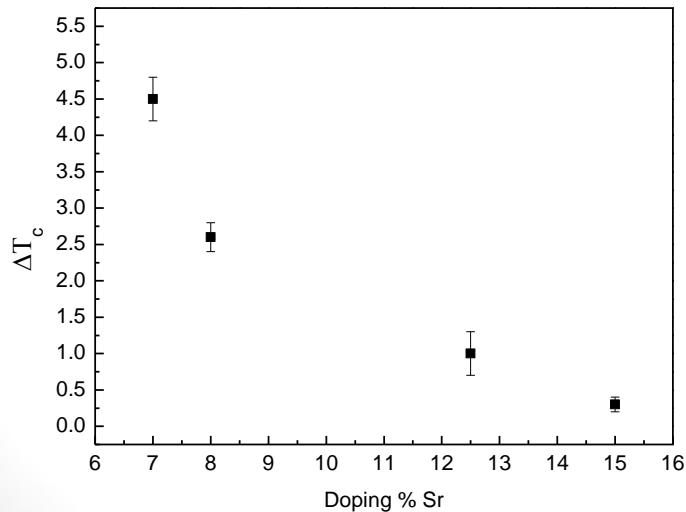
No significant difference between different sample lengths.

# Reproducibility



# Summary

- We grew Single crystals of LSCO with various Sr doping.
- We measured magnetization on needle shape sample with different orientations.
- We found that for the A and C needle samples there is a consistent difference in  $T_c$ . This is independent of external factors.
- The difference in  $T_c$  depends on doping, it increases as doping decreases

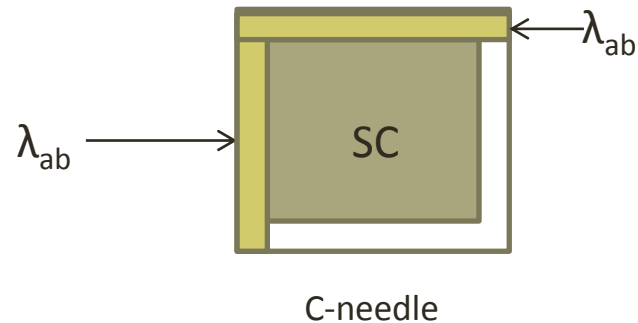
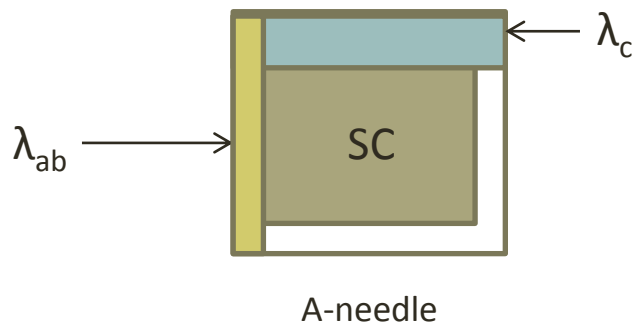


# Is there another explanation

- Is the penetration depth larger than sample dimensions?
- The standard London equation:

$$\nabla^2 B = \frac{1}{\lambda^2} B$$

- The London equation in two dimensions (Valid below  $H_{c1}$ ):

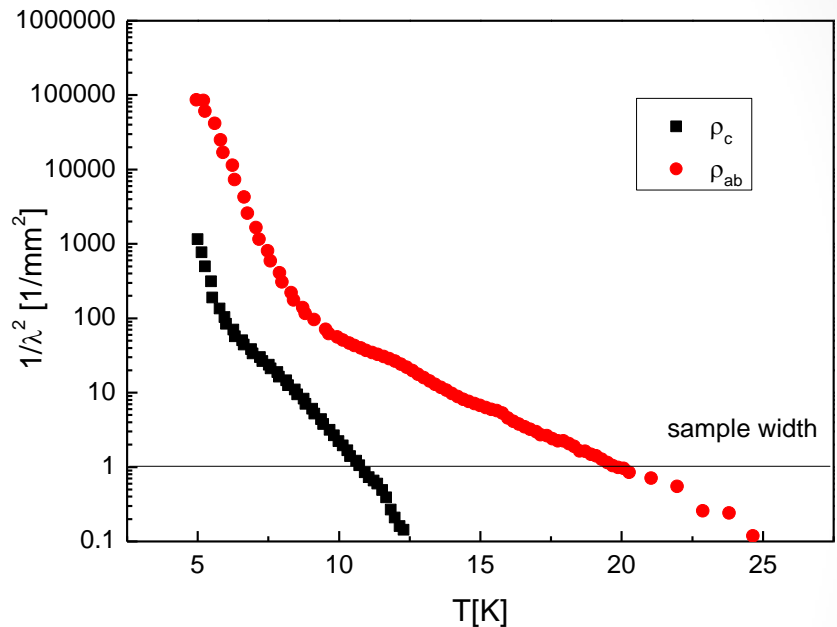
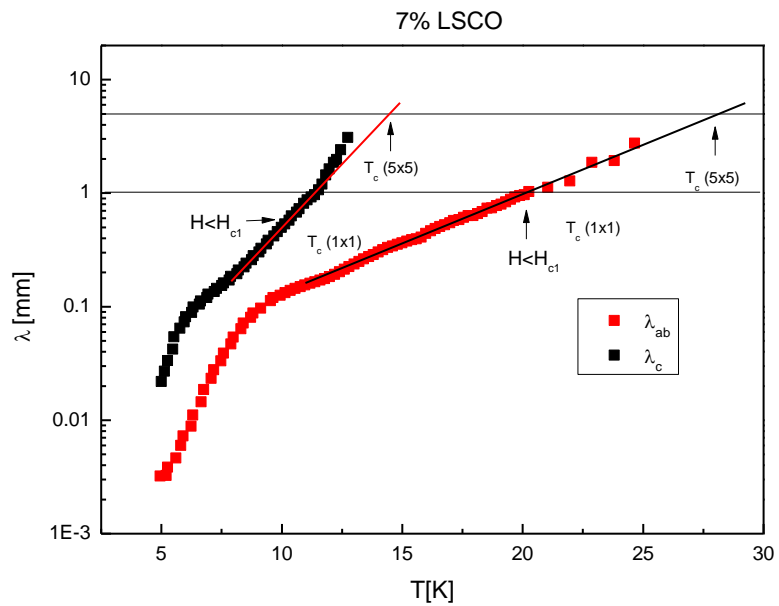


$$\lambda_c^2 \frac{\partial^2 \chi_a}{\partial x^2} + \lambda_{ab}^2 \frac{\partial^2 \chi_a}{\partial y^2} = \chi_a$$

$$\lambda_{ab}^2 \frac{\partial^2 \chi_c}{\partial x^2} + \lambda_{ab}^2 \frac{\partial^2 \chi_c}{\partial y^2} = \chi_c$$

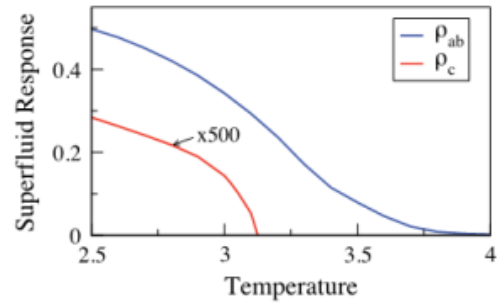
- From the c-needle data we can calculate  $\lambda_{ab}(T)$ .
- With  $\lambda_{ab}(T)$  we can now extract  $\lambda_c(T)$ .

# Is there another explanation



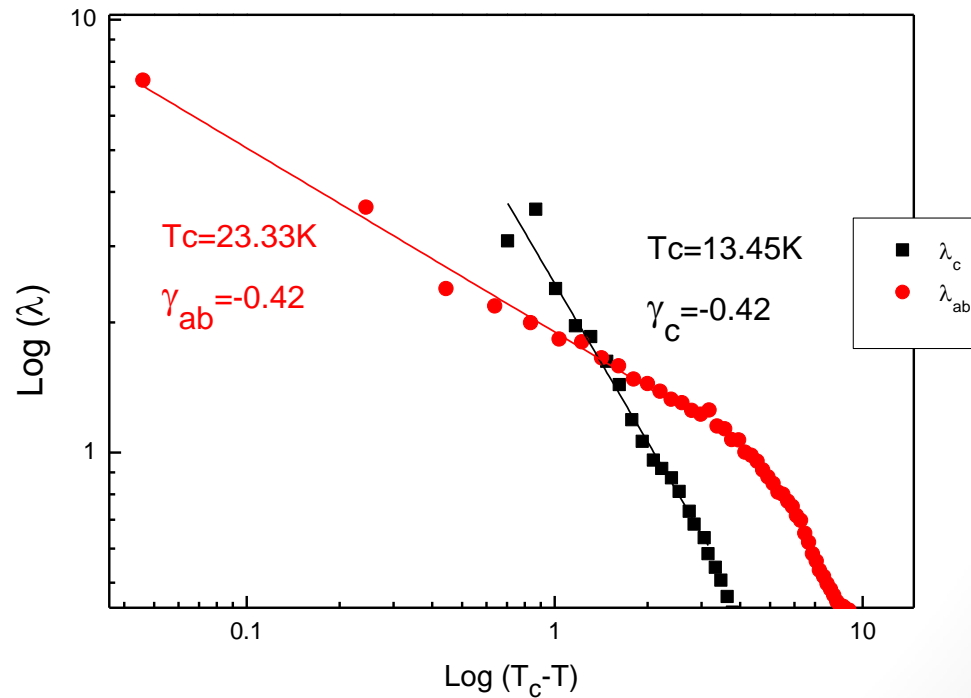
$\lambda_c$  decreases much faster than  $\lambda_{ab}$ .

If we will increase our sample size by a factor of 5, we expect to see a larger difference in  $T_c$ .



# Conclusions

Contrary to theoretical wisdom, we do measure two different  $T_c$ 's.



The End