

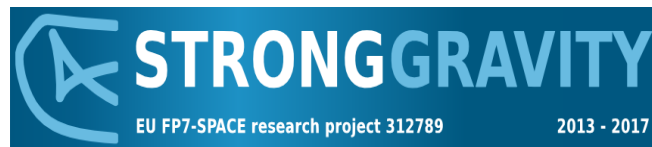
Radiation Pressure and the AMD

Agata Różańska

Tek P. Adhikari, Krzysztof Hryniewicz

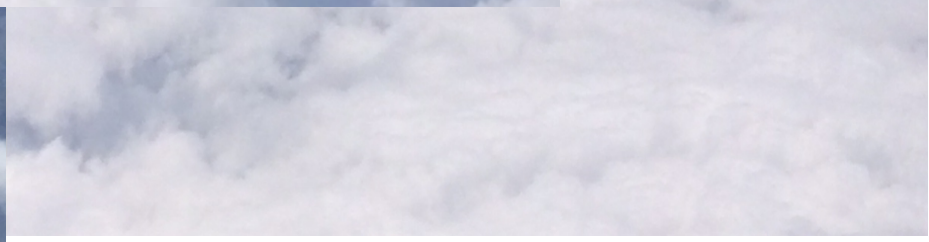
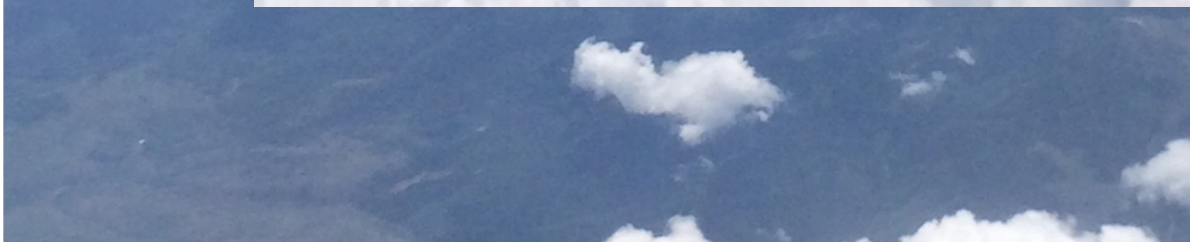
Bożena Czerny, Anne-Marie Dumont

AGN Driven Winds in Haifa, Israel May 25th 2017

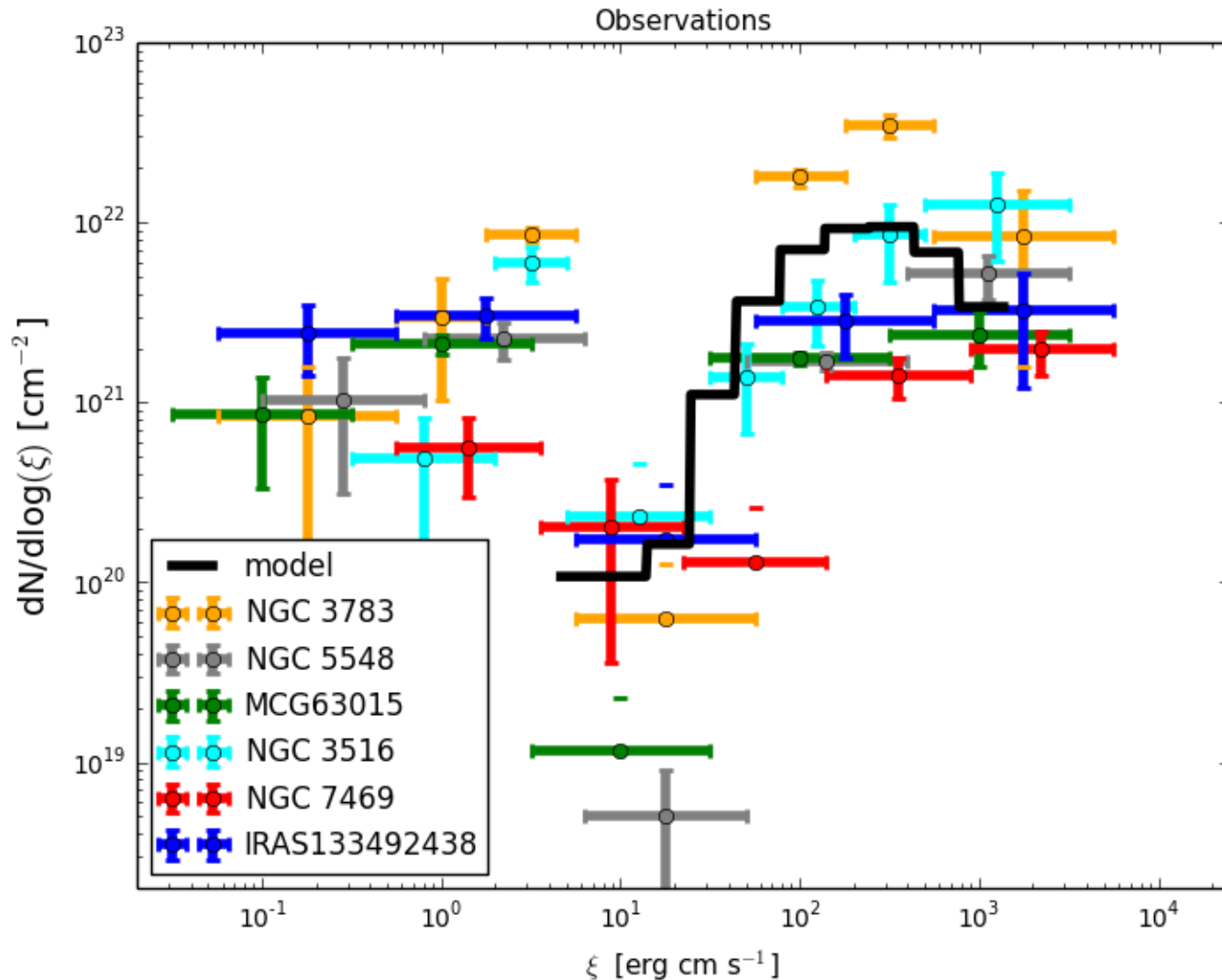




How Thermal Instability shapes my scientific life



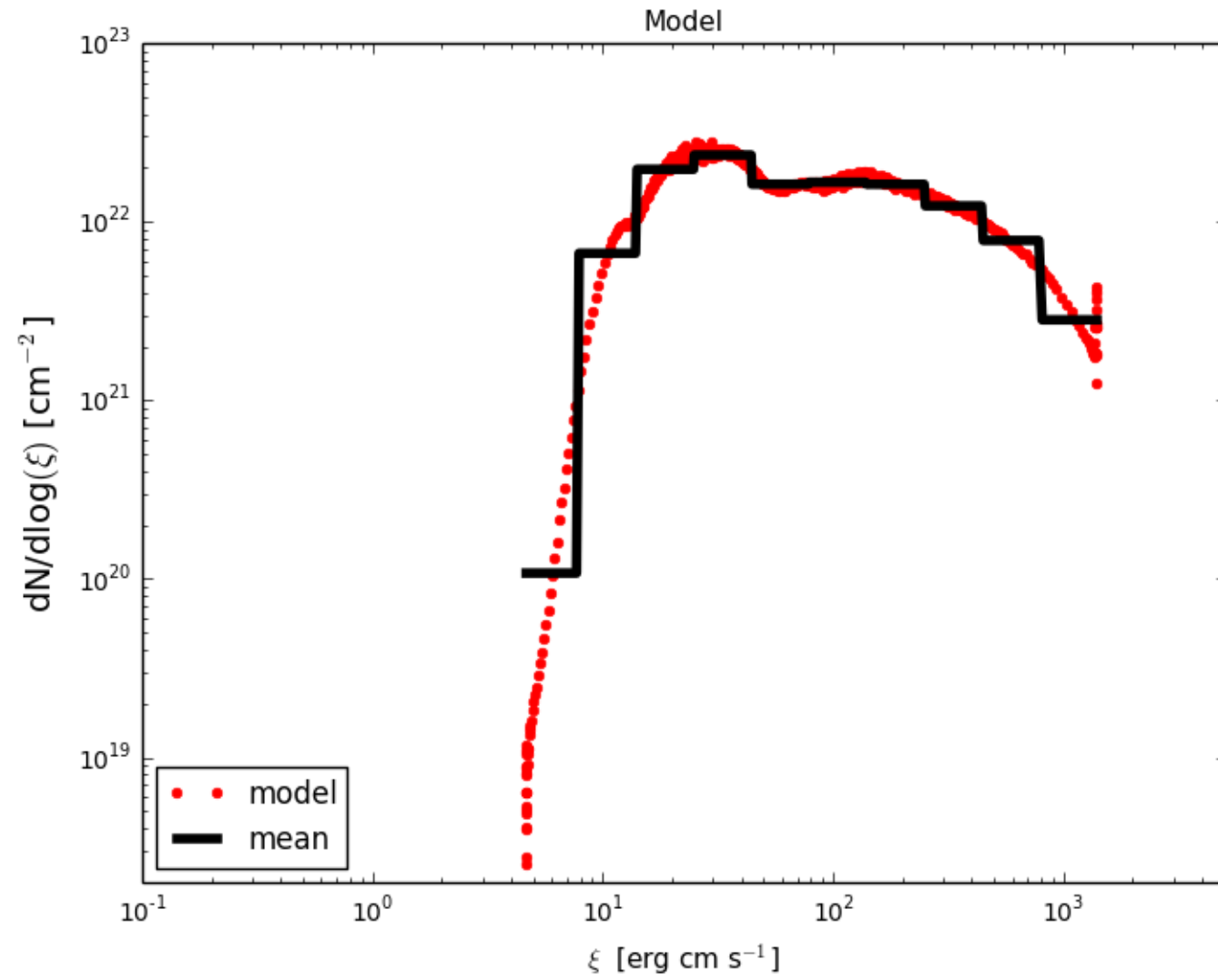
Conclusion first



AMD data provided by Ehud Behar

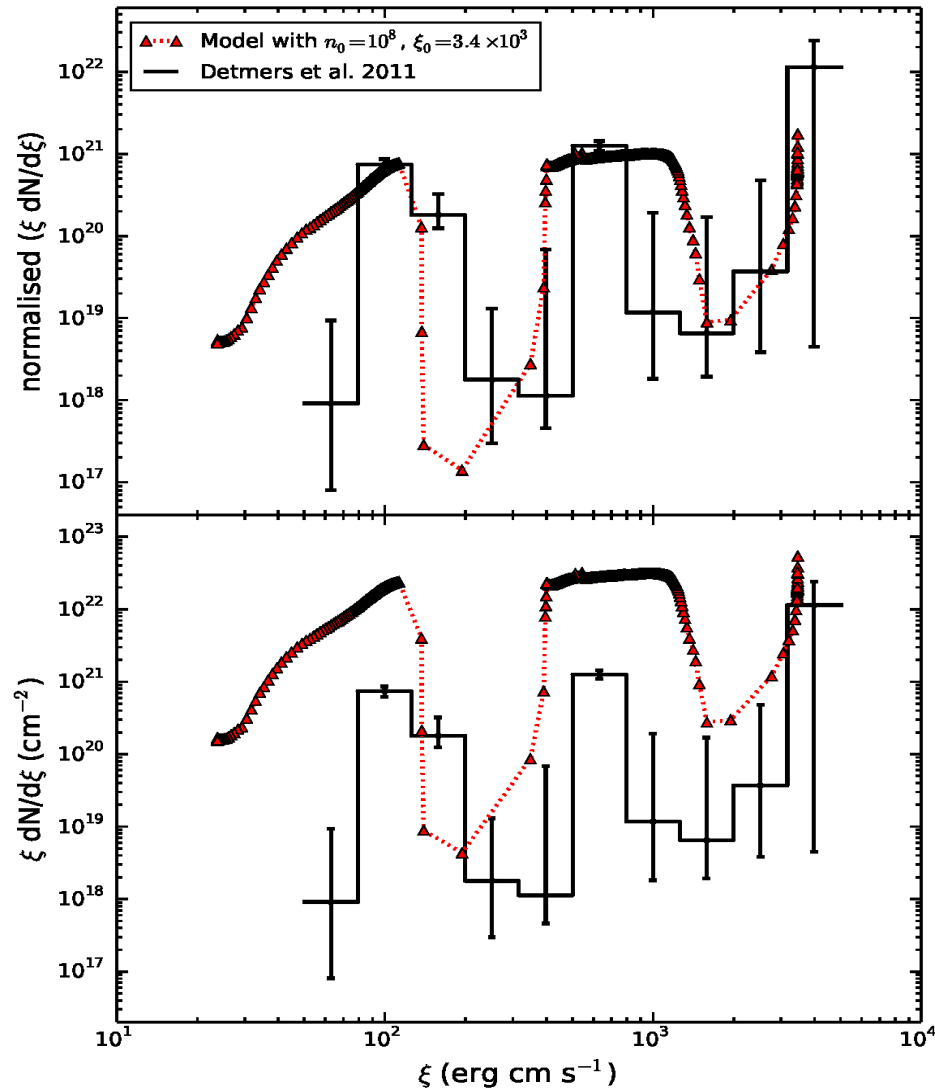
Model computed with TITAN (Anne-Marie Dumont)

Conclusion first



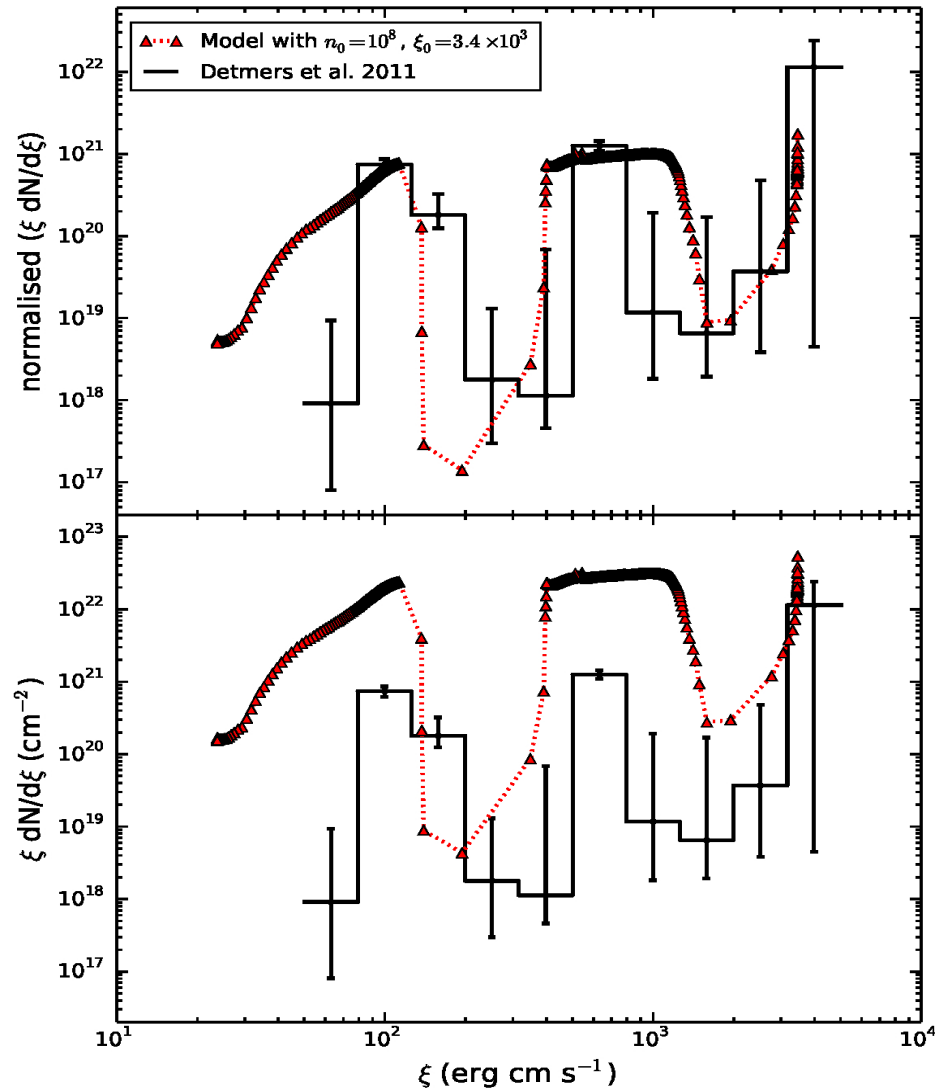
Our first AMD paper

Adhikari +15, single TITAN model for Mrk 509

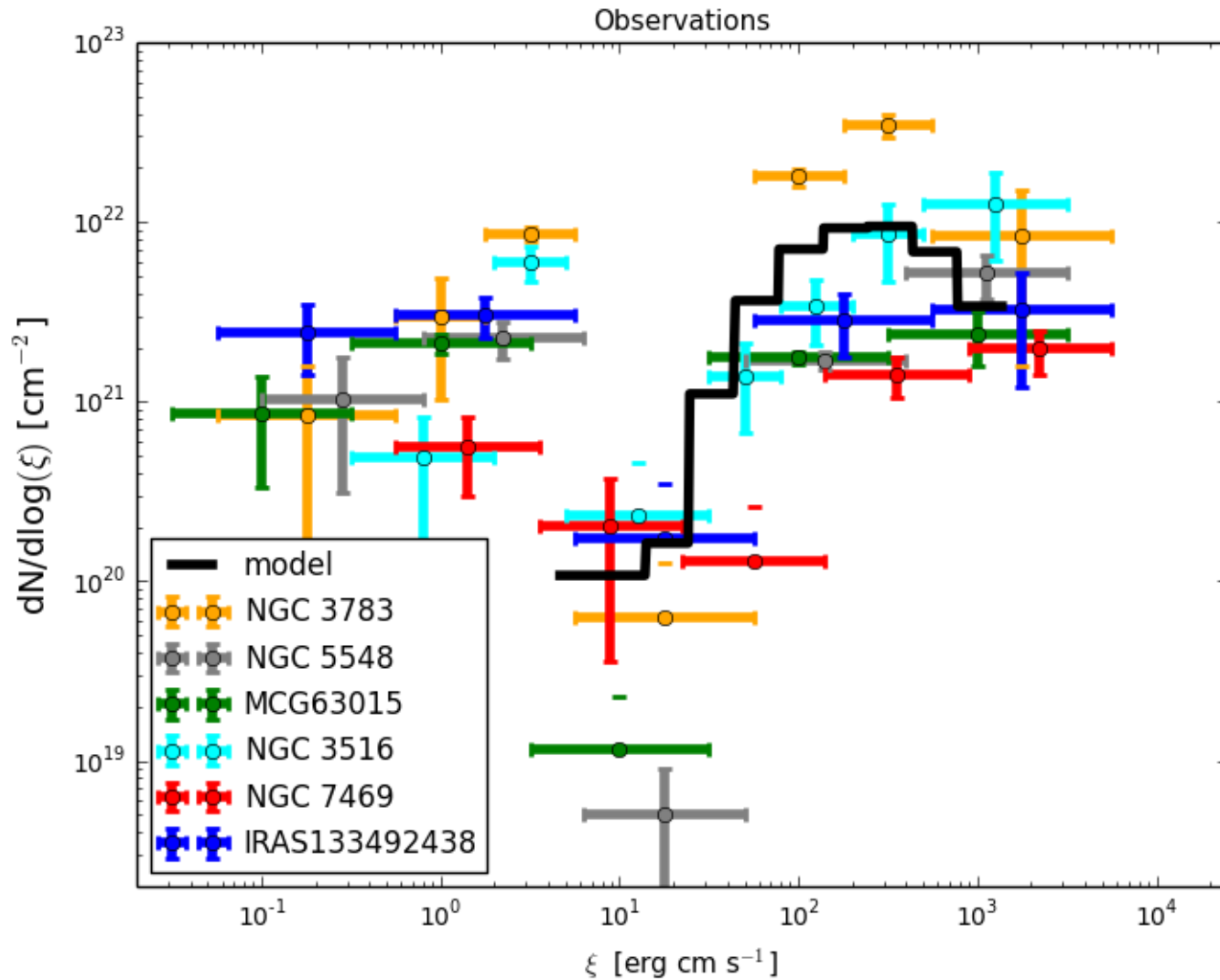


Our first AMD paper

Adhikari +15, normalization of AMD - wrong



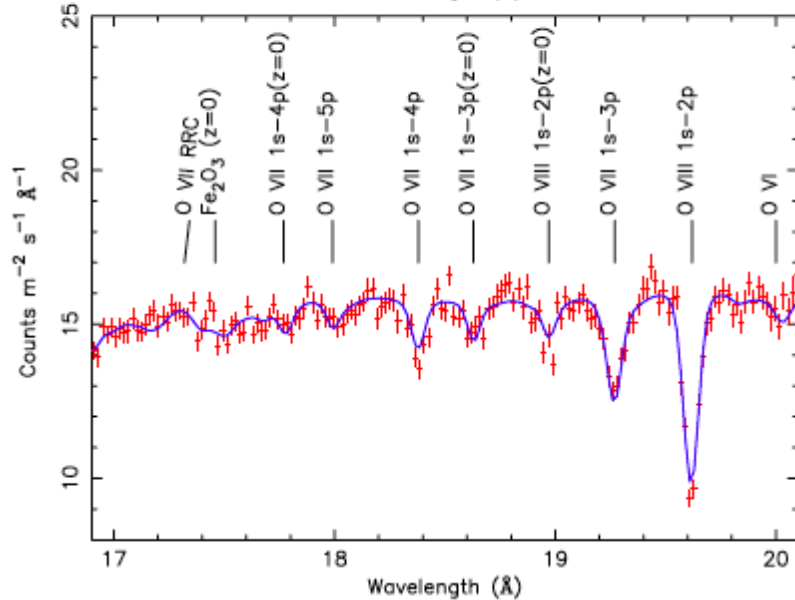
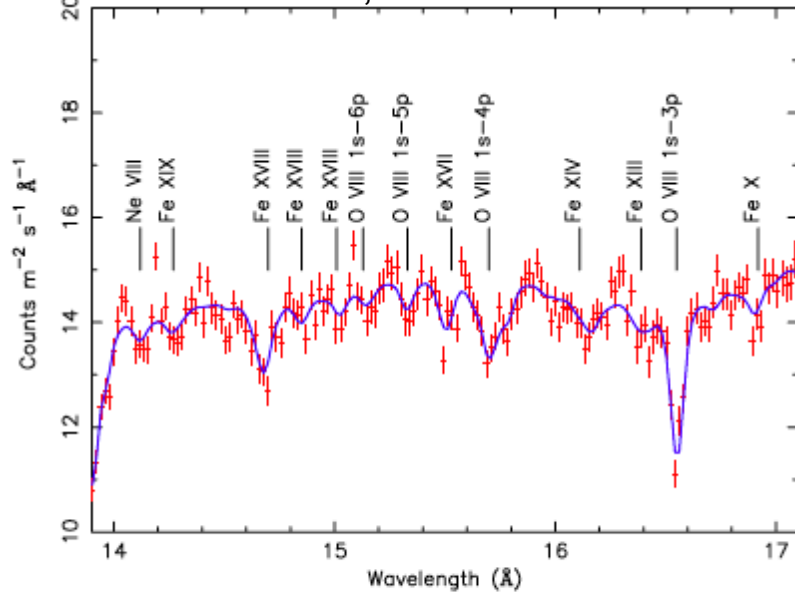
Conclusion first



Normalization and the position of the drop agrees

Spectral analysis

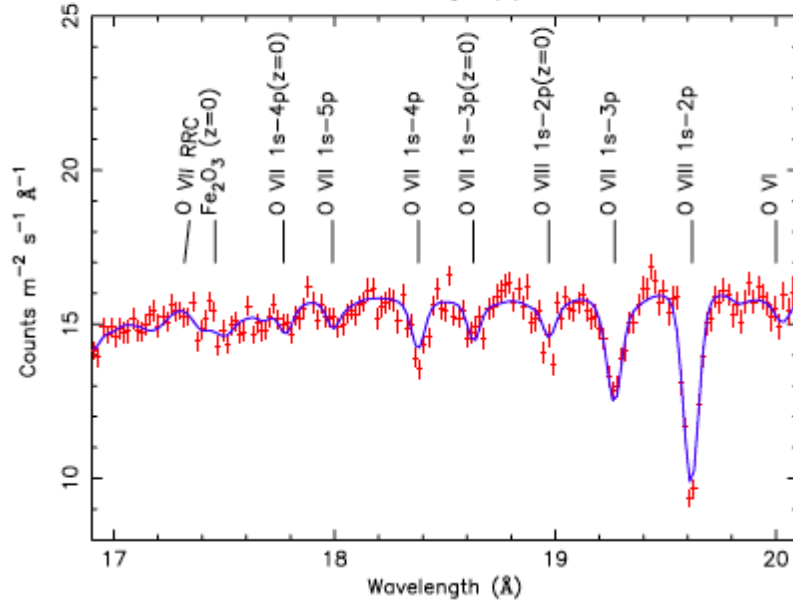
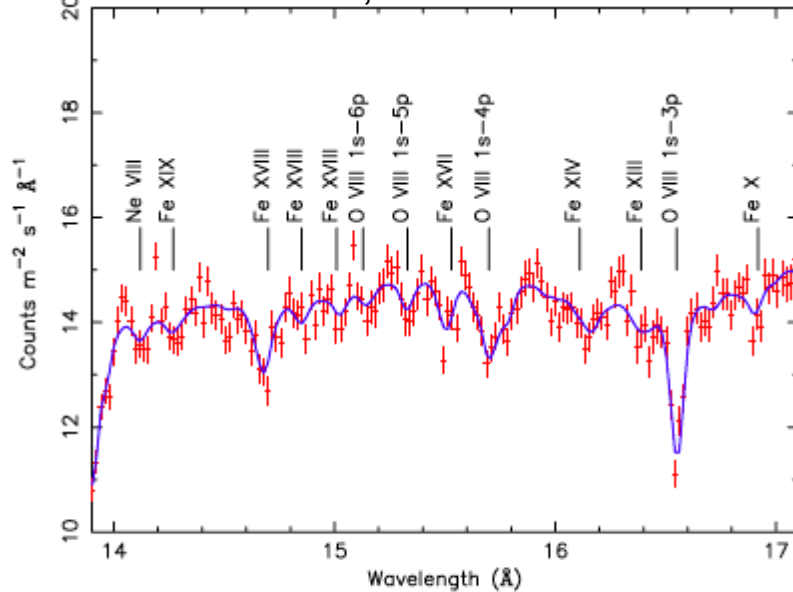
Detmers +11, **Mrk 509**,
XMM=Newton, RGS 600 ksec



- Each line fitted with Gaussian profile, energy shift gives ν_i

Spectral analysis

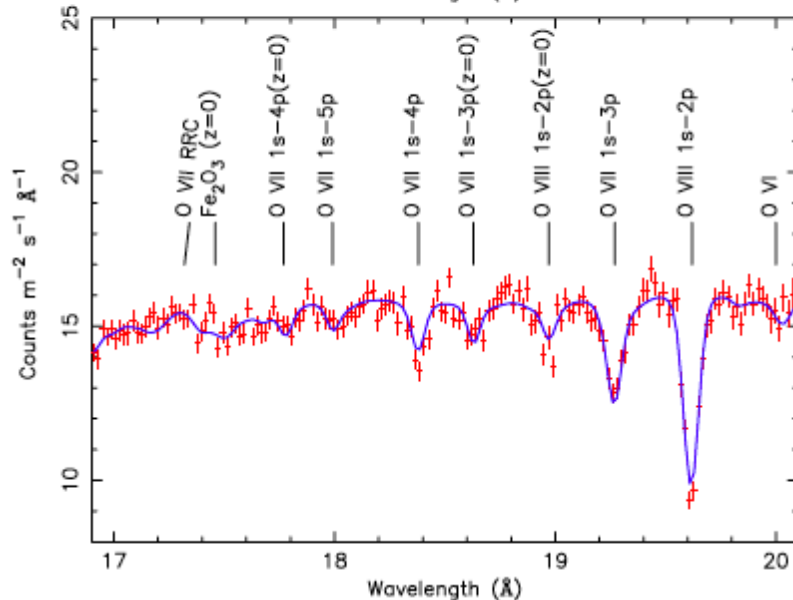
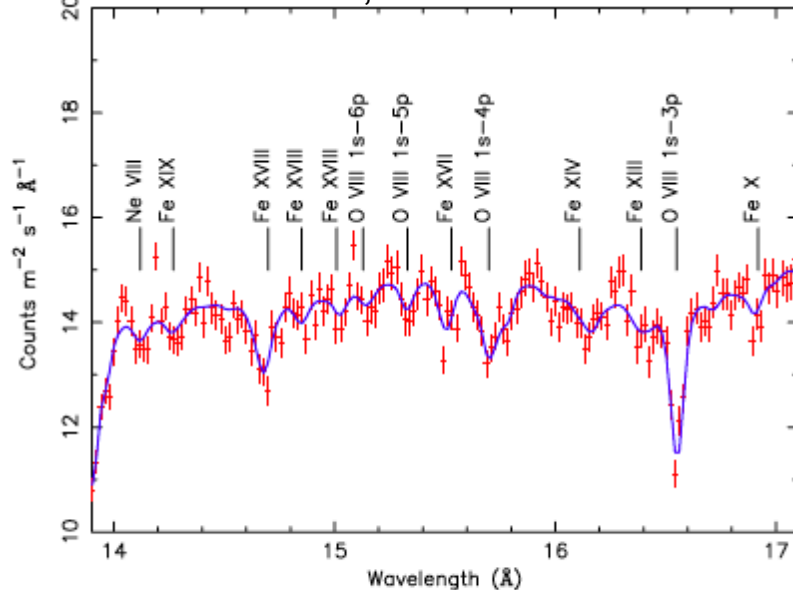
Detmers +11, Mrk 509,
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- EW – standard XSPEC command

Spectral analysis

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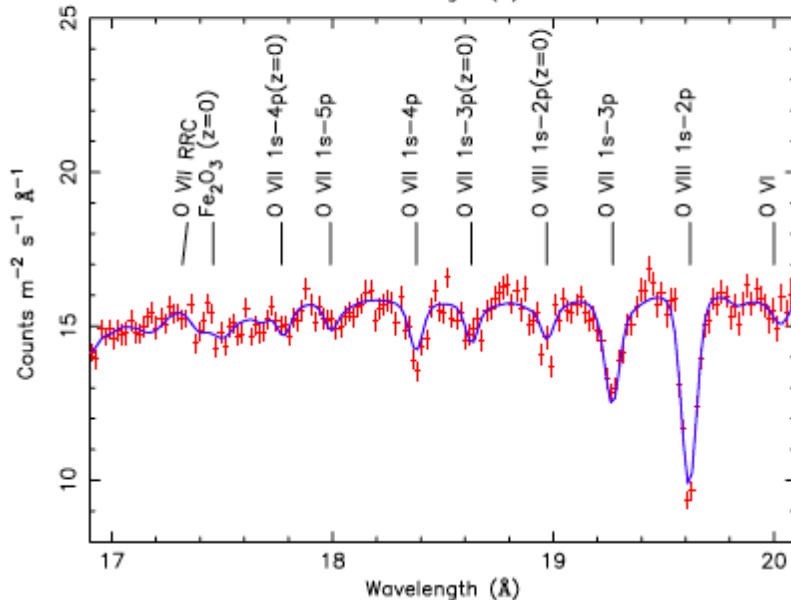
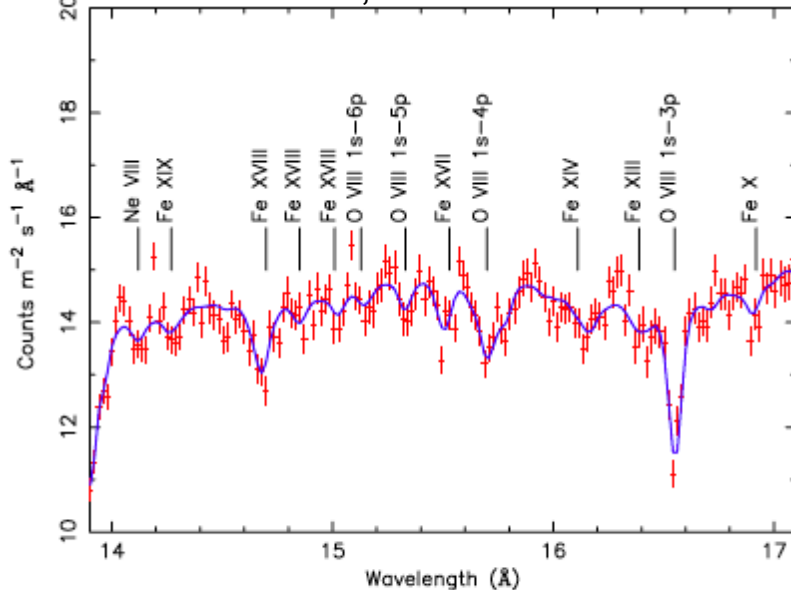


- Each line fitted with Gaussian profile, energy shift gives ν_i
- EW – standard XSPEC command
- Ionic column densities integrated over the model:

$$N_i = \frac{m_e c}{\pi e^2 f_i \lambda_i} \int \tau(\nu) d\nu$$

Spectral analysis

Detmers +11, Mrk 509,
XMM=Newton, RGS 600 ksec



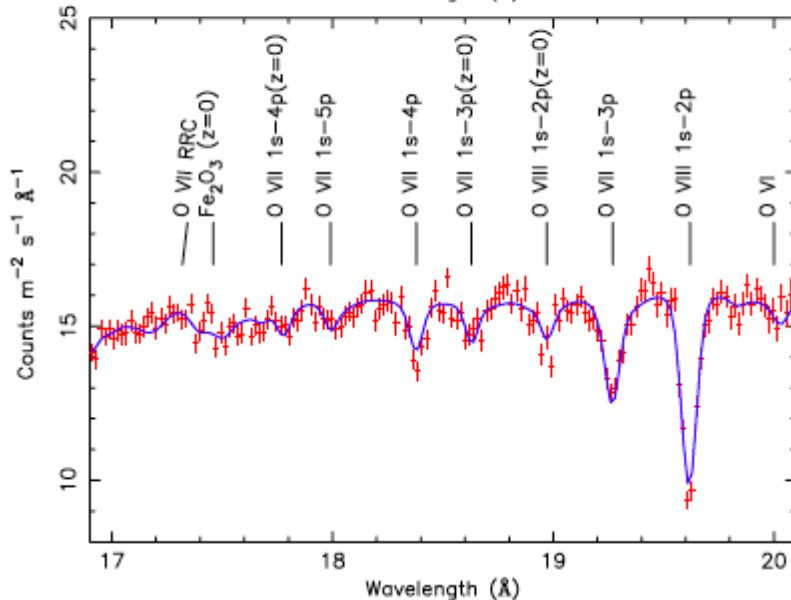
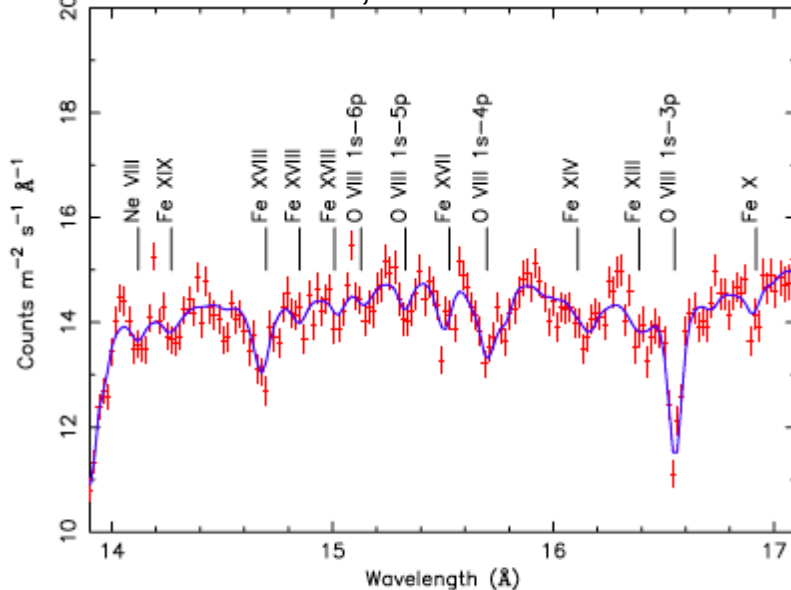
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- With Solar :) abundances
photoionization calculations

Spectral analysis

Detmers +11, Mrk 509,
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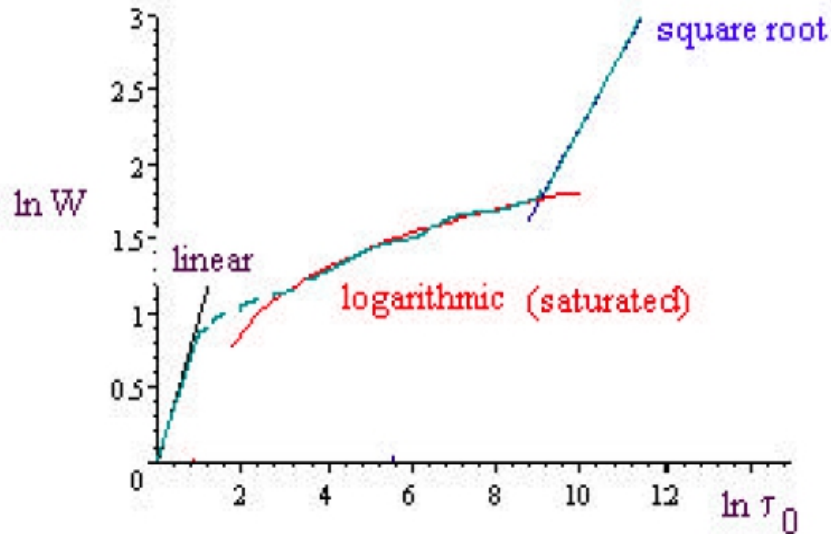
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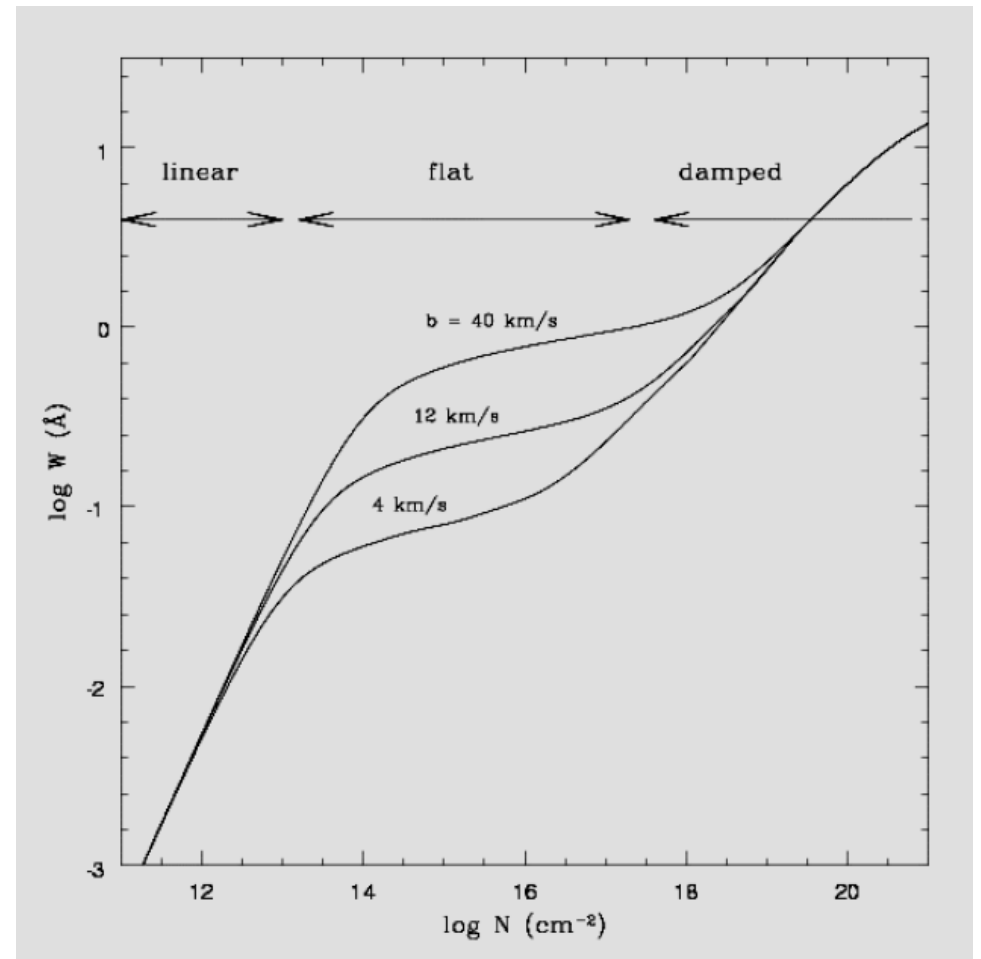
- With Solar :) abundances
photoionization calculations
- Connects N_i with N_H and N_{tot}
column density of the absorber
AMD – broad

Curve of growth

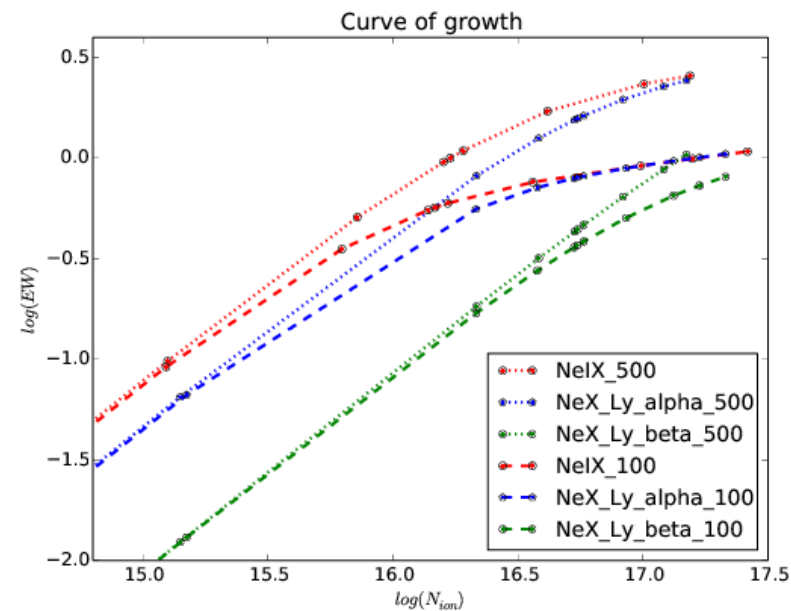
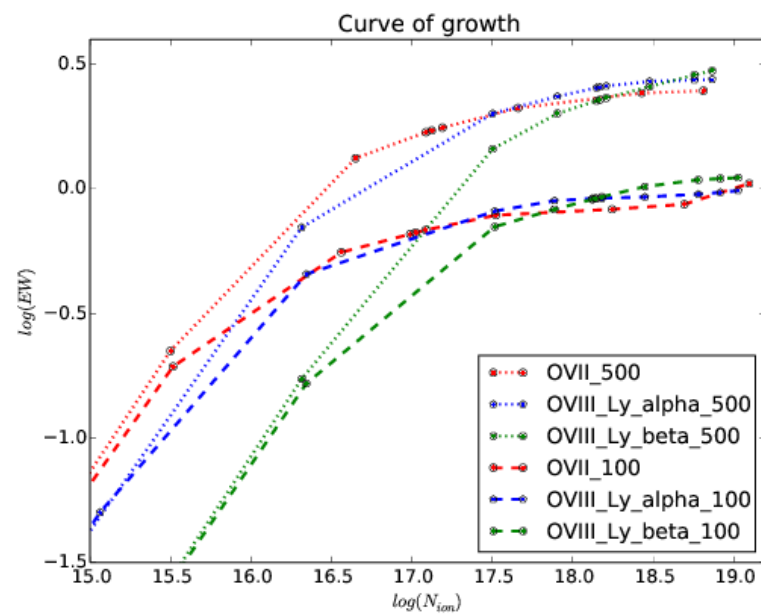
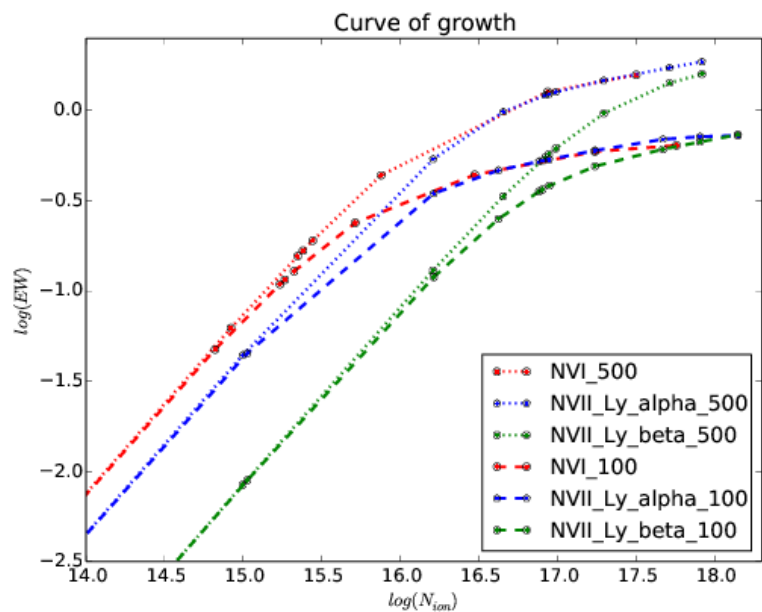
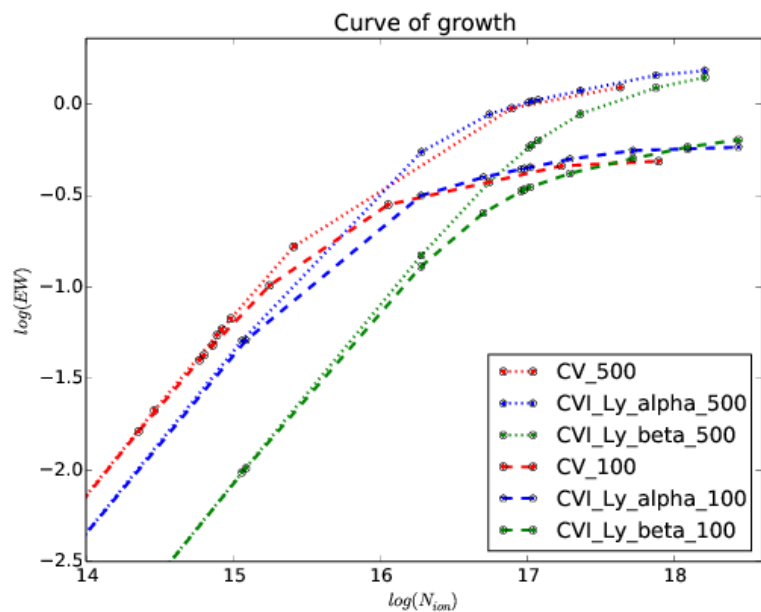
Linear dependence of EW (named W here) on ionic column density is valid only if lines are unsaturated



For saturated lines velocity matters



Curve of growth from TITAN model

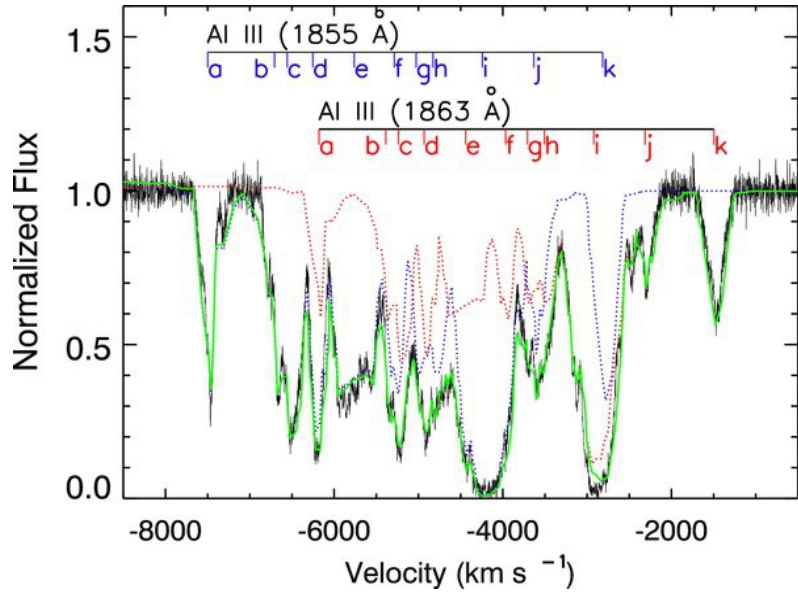


Questions to the audience

- Do we observe saturated lines in X-ray domain?

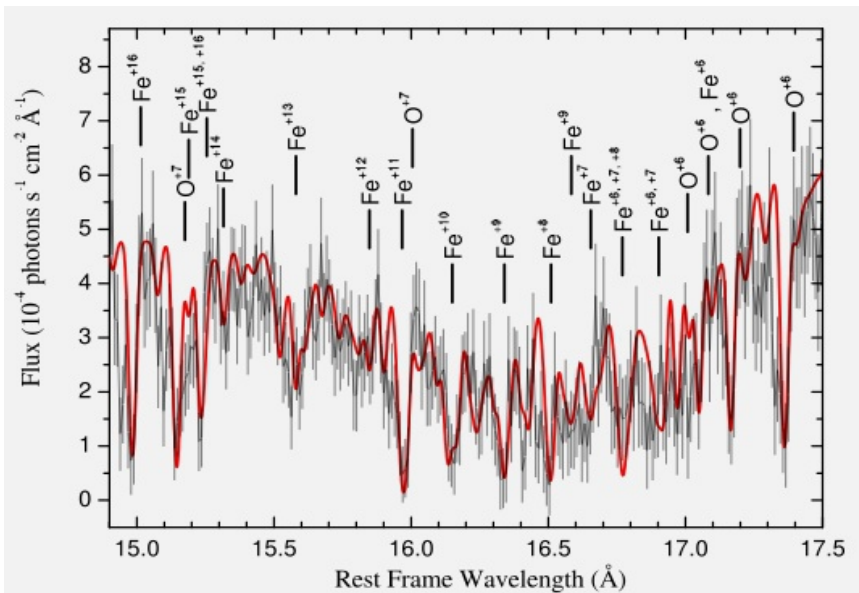
UV lines in AGN

Dunn +10, **SDSS J0318-0600**, VLT, $z=1.96$



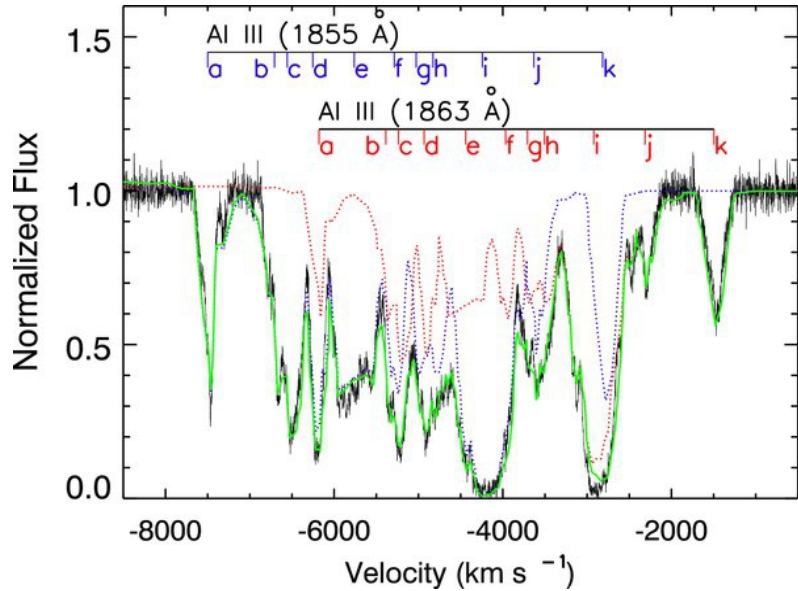
- Velocity components clearly seen

Holzner +05, **NGC 3783**, HETG



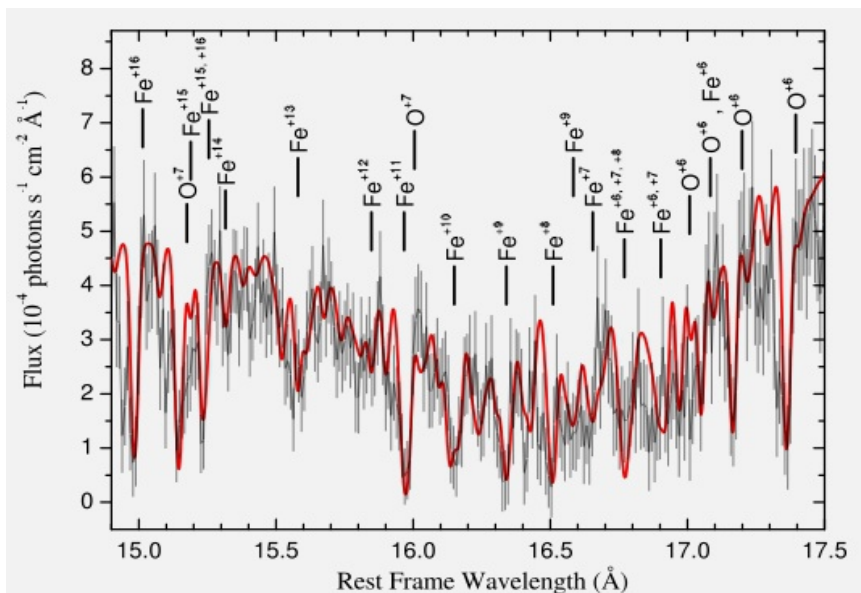
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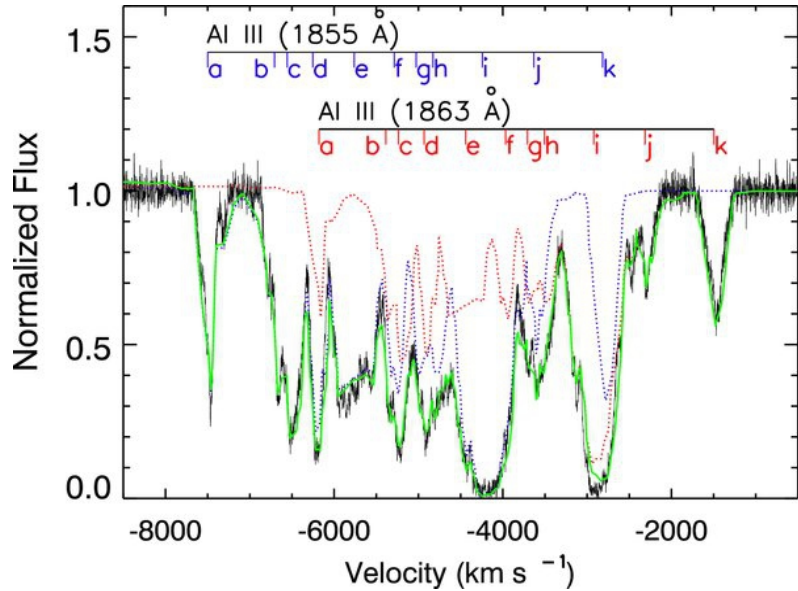
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UV lines in AGN

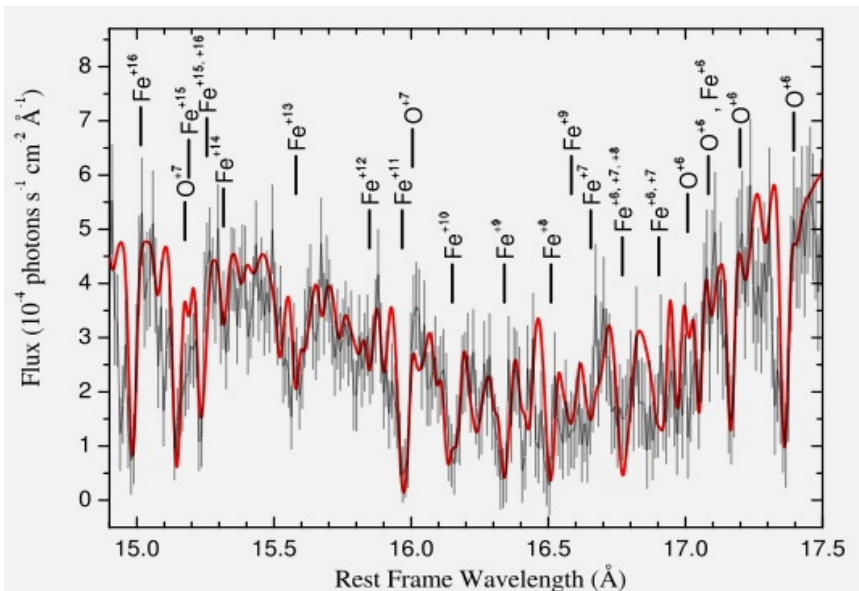
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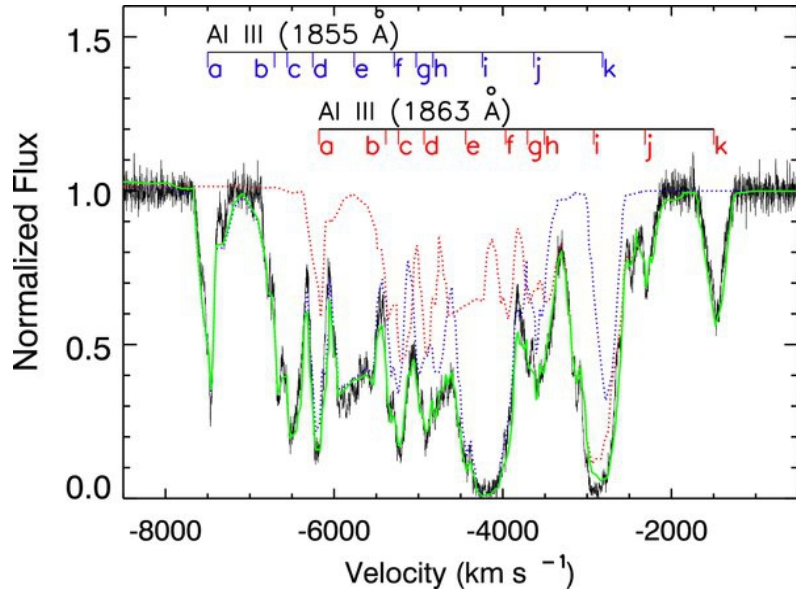
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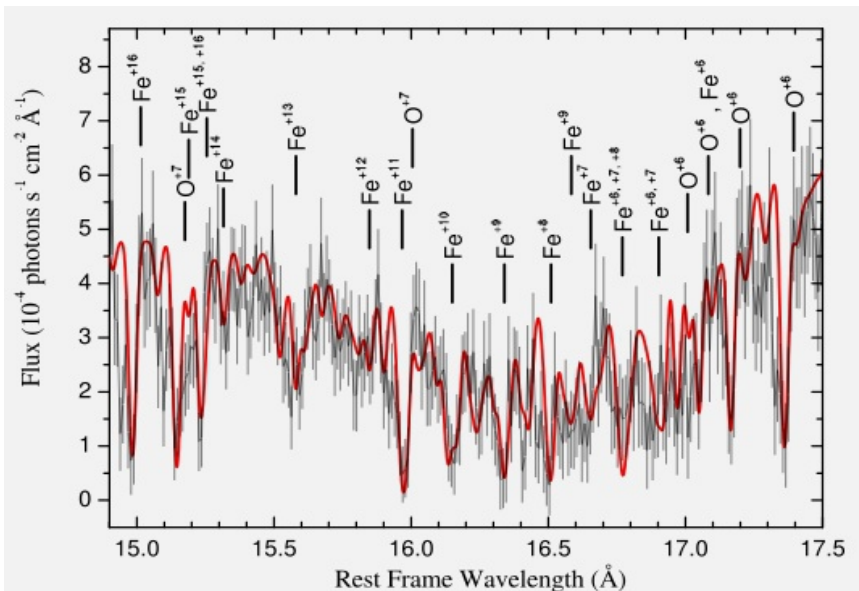
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Holzner +05, **NGC 3783**, HETG



- Covering factors possible

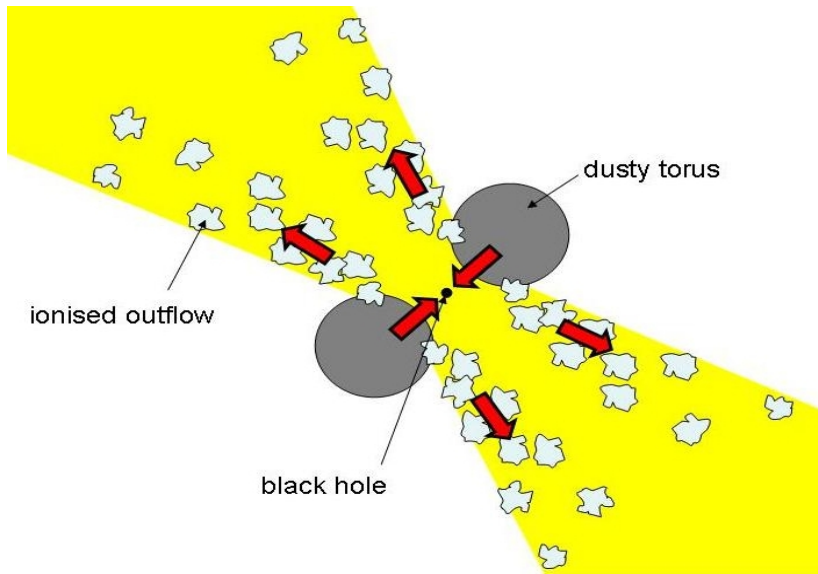
$$\tau_\nu = -\ln \left(\frac{I_\nu - 1 - C_f}{C_f} \right)$$

- Photoionization calculations, **AMD?**

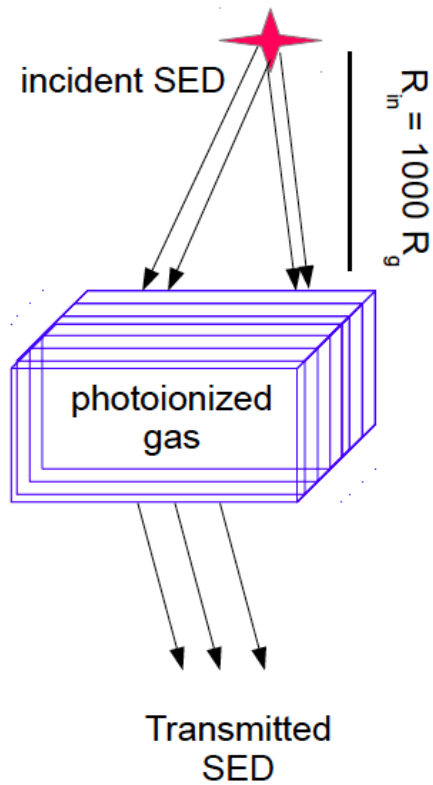
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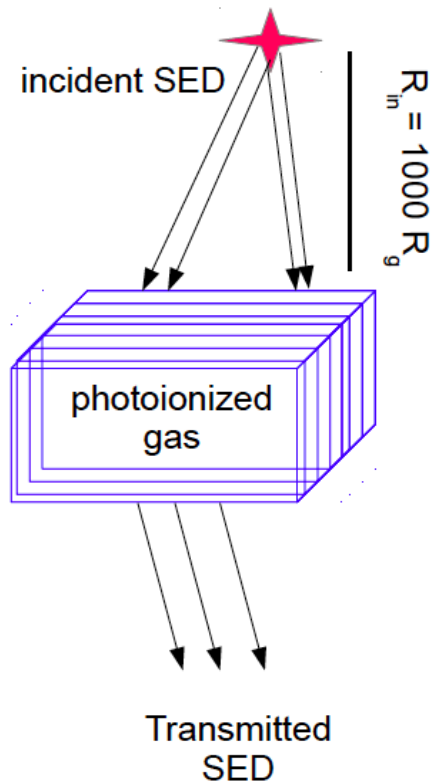
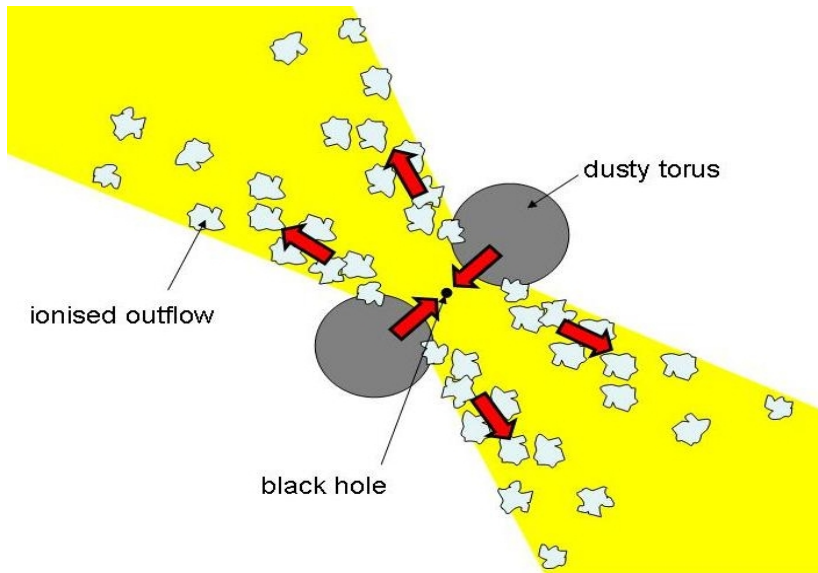
Photoionization calculations



- Parameters: A_i – Solar :), R , n_0 , N_{tot} , L_{ion} , SED , $C_f=1$

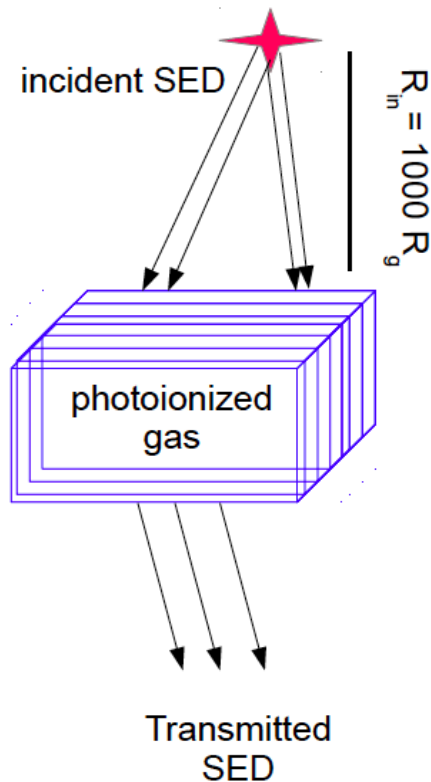
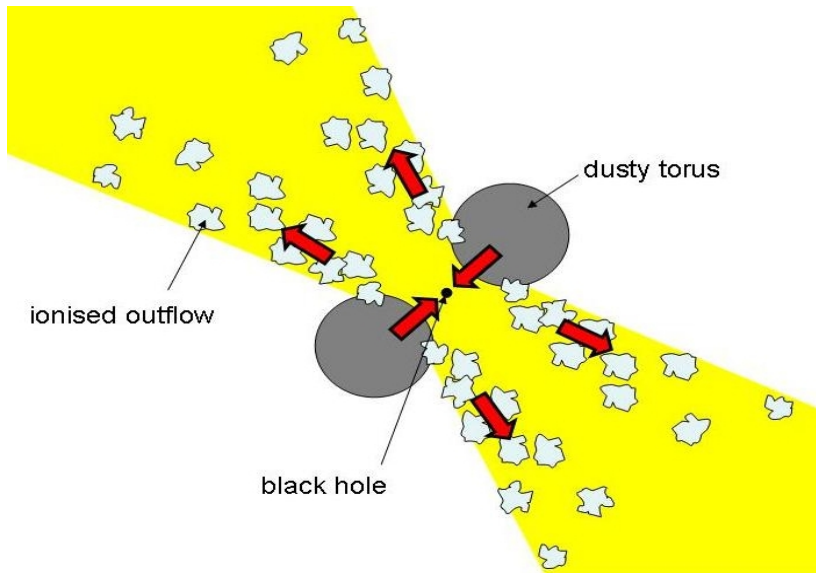


Photoionization calculations



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- 1D non-LTE radiative transfer with ionization and thermal eq.:
CLOUDY, **XSTAR**, **TITAN**, **PHASE**,
PION, **SPEX**, **XABS**, **SLAB**

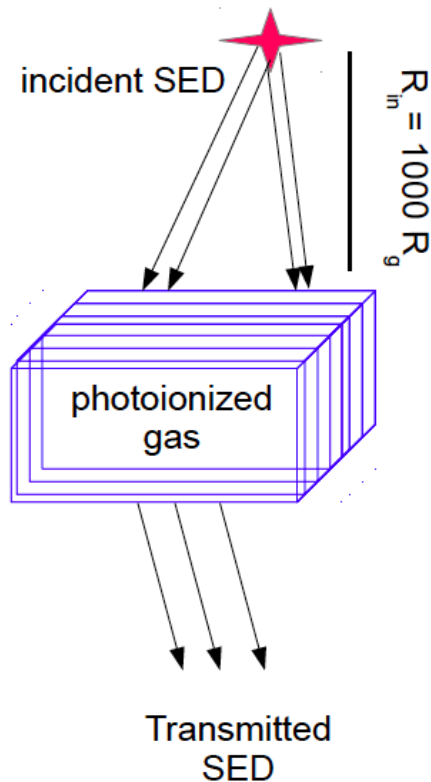
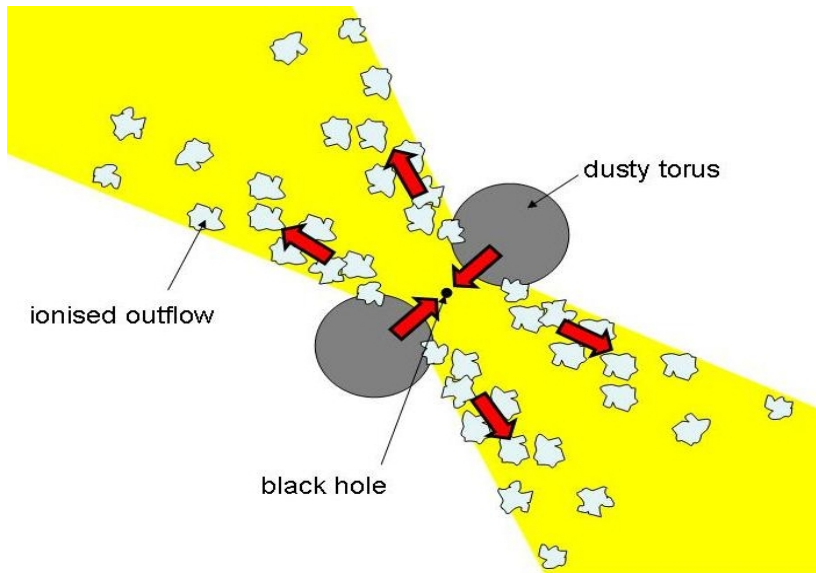
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- Ionization parameter

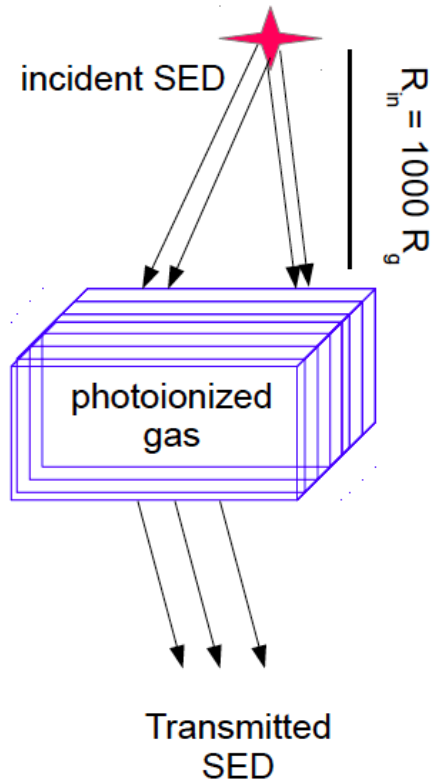
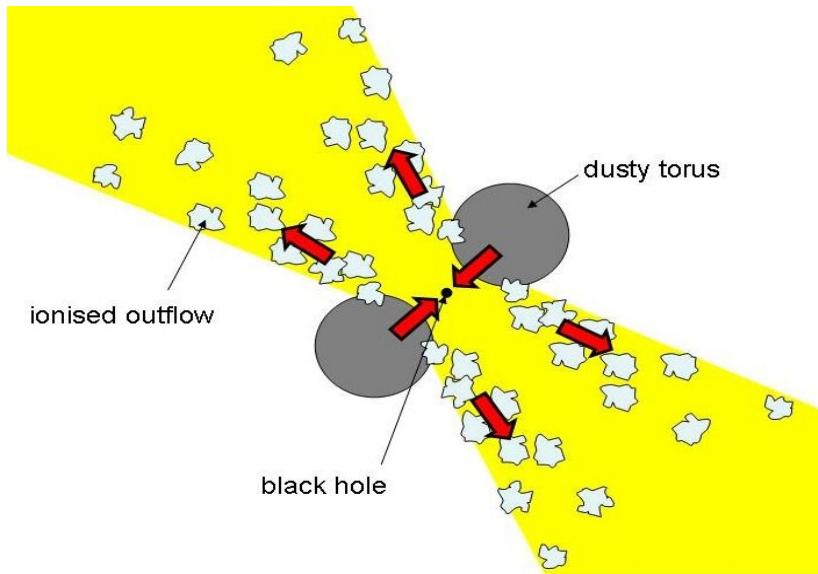
$$\xi_0 = \frac{L_{ion}}{n_0 R^2}$$

Photoionization calculations



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- X-ray atomic data !!!

Photoionization calculations



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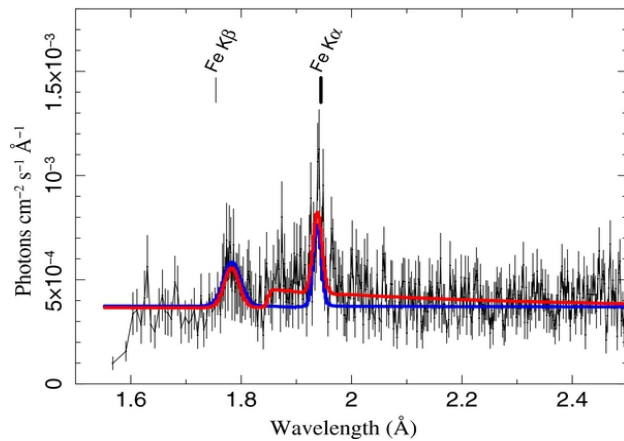
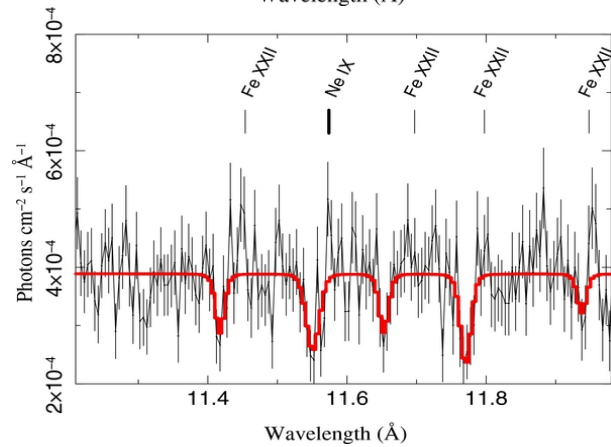
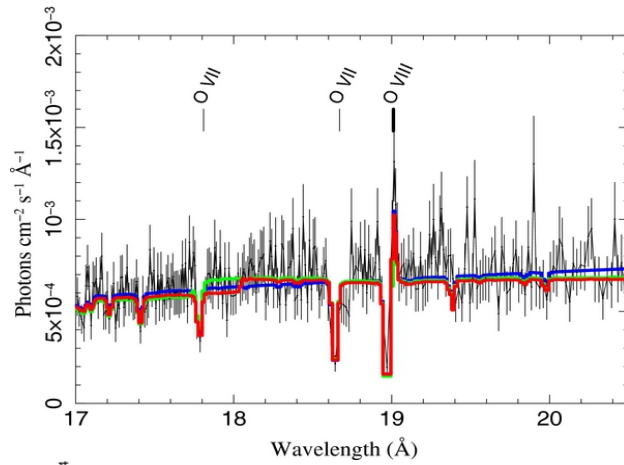
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- Energy balance:

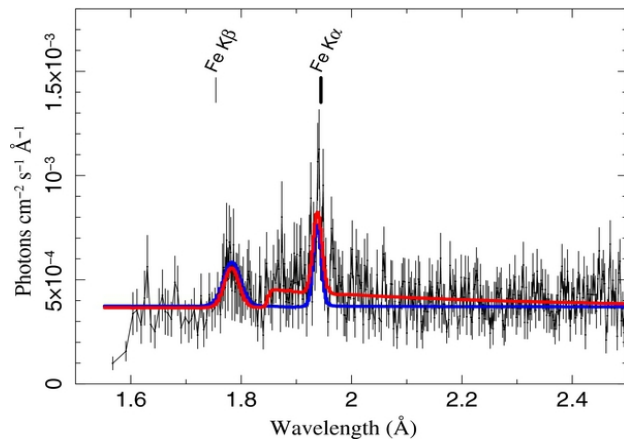
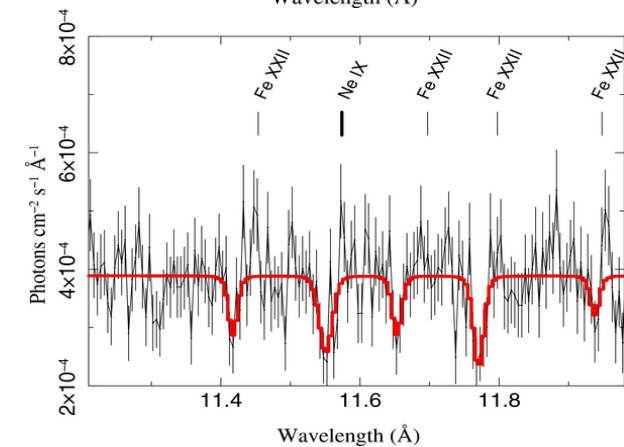
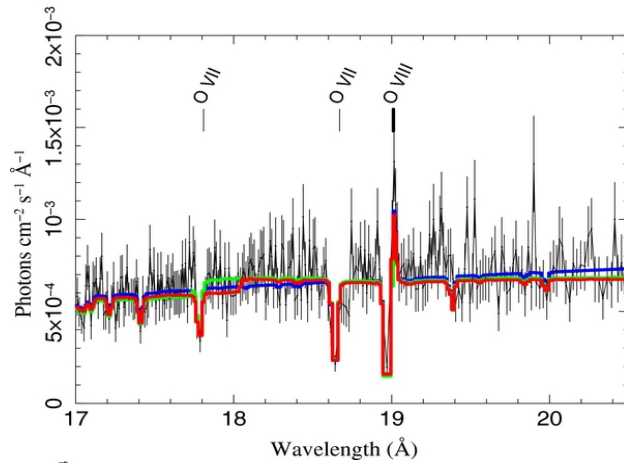
$$\Gamma_{bb} + \Gamma_{bf} + \Gamma_{ff} = \Lambda_{bb} + \Lambda_{bf} + \Lambda_{ff}$$

One photoionization component

- Continuity equation:
 $n = \text{const}$, $\xi = \text{const}$, $v = 0$

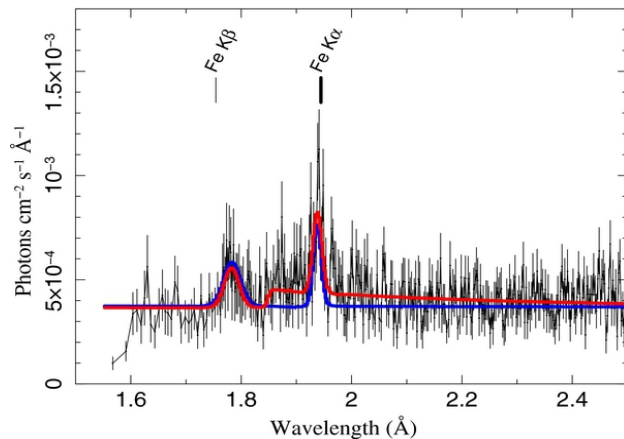
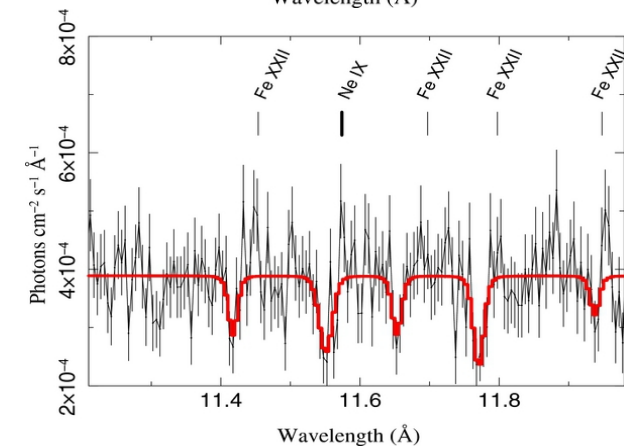
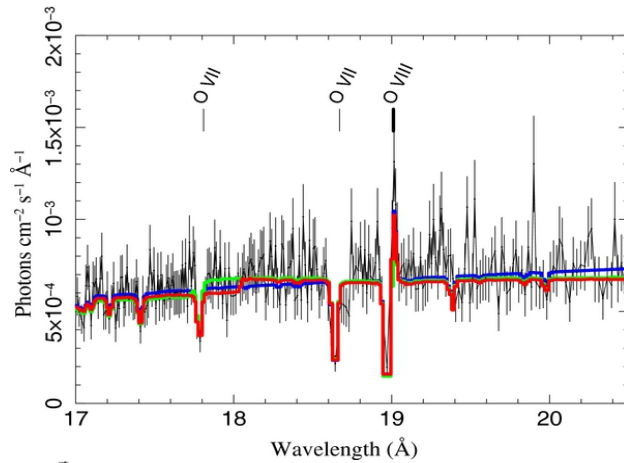


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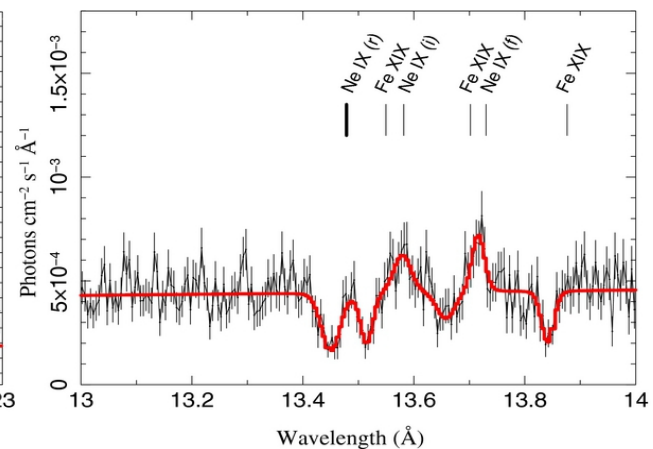
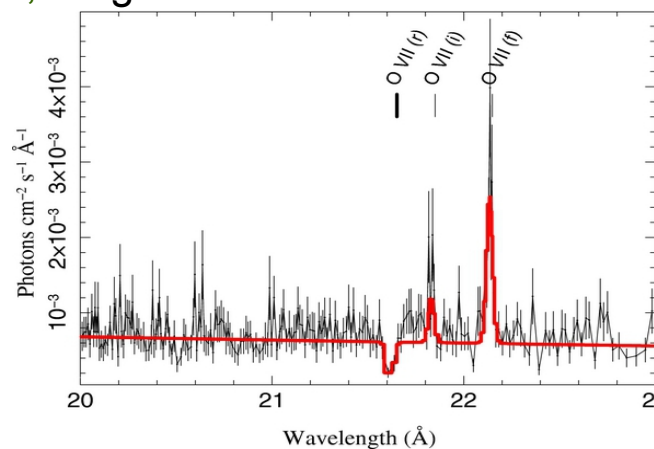
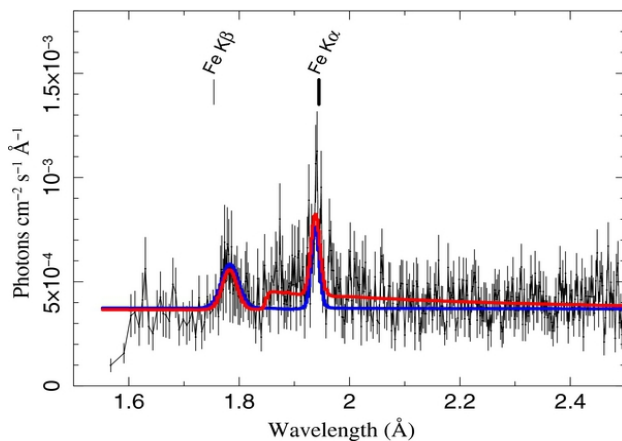
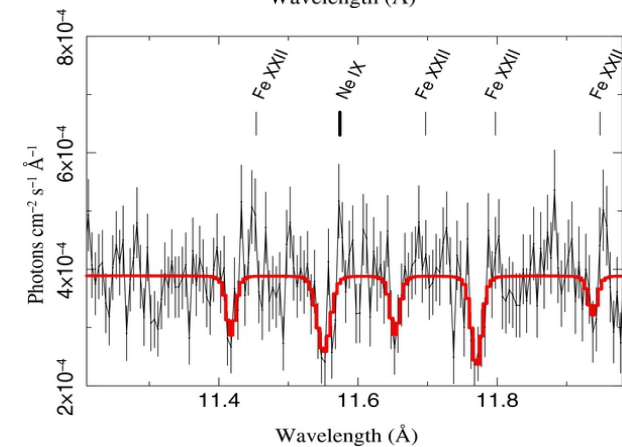
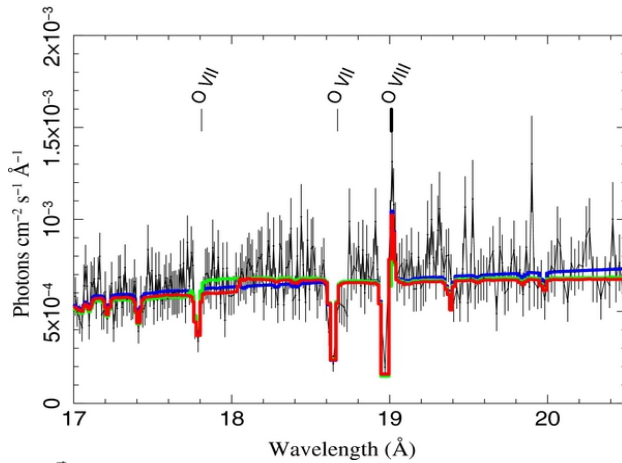
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- All codes – T , N_{tot} , ξ , EWs

One photoionization component



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- Location does not depend on gravity of the central BH

One photoionization component



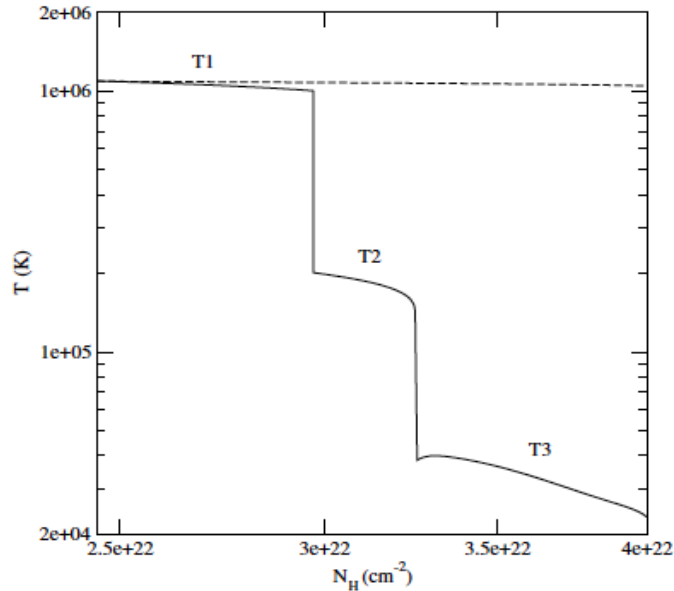
NGC 4051, King +10

- Continuity equation:
 $n = \text{const}, \xi = \text{const}, v = 0$
- All codes – $T, N_{\text{tot}}, \xi, EWs$
- Location does not depend on gravity of the central BH
- Three components:
 $\log(\xi) = 4.5, 3.5, 1$
 $v = -580, -450, -310 \text{ km/s}$

Continuous photoionization component, Róžańska +06

NGC 3783, Goncalves +06

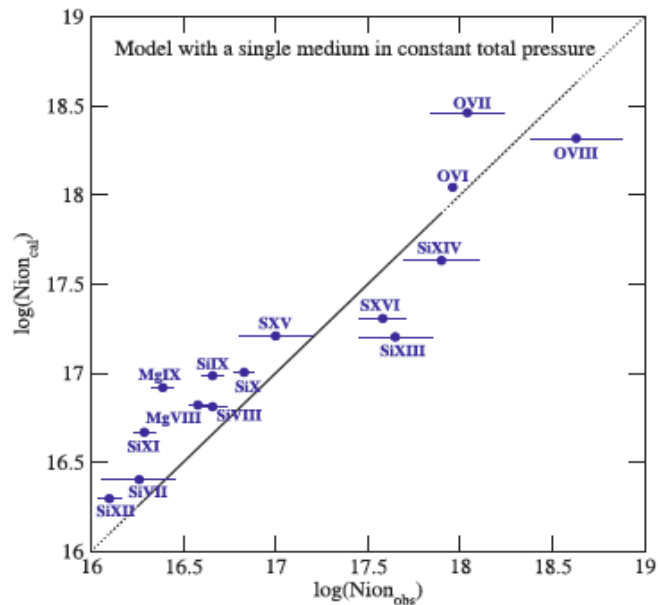
$\xi = 2500$, $N_{tot} = 4 \times 10^{22} \text{ cm}^{-2}$, $v = 800 \text{ km/s}$



- Momentum equation:

$$P_{tot} = \text{const}, v = 0$$

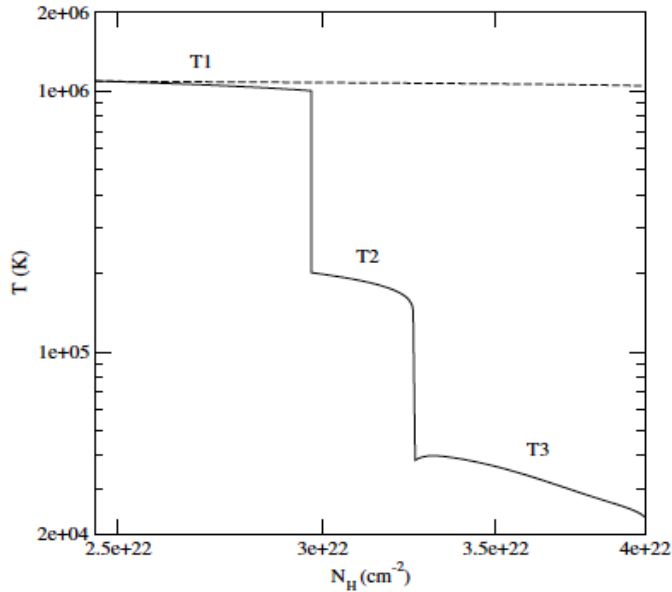
- **TITAN** does this including calculations of $P_{rad}(T)$



Continuous photoionization component, Róžańska +06

NGC 3783, Goncalves +06

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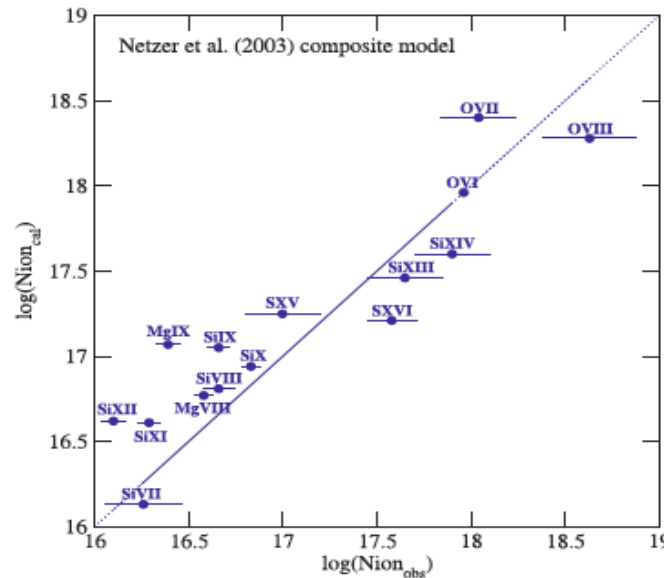
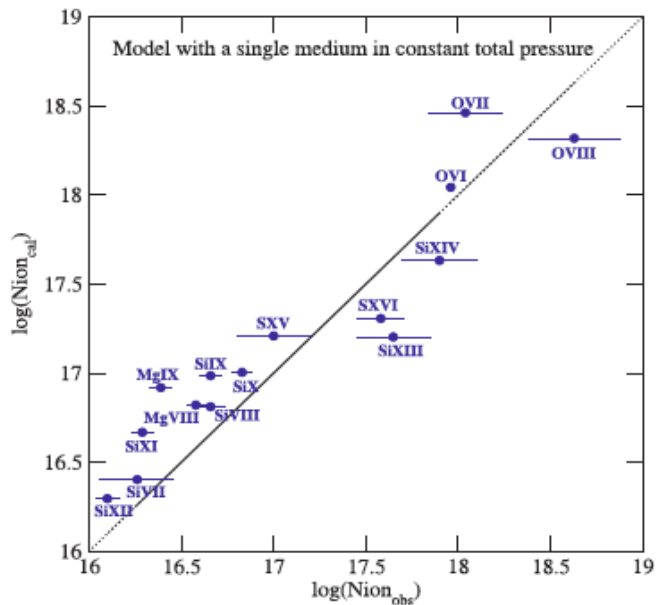
- Momentum equation:

$$P_{tot} = \text{const}, v = 0$$

- TITAN does this including calculations of $P_{rad}(\tau)$

- $T(\tau)$, $n(\tau)$, $\xi(\tau)$, N_{tot} , EWs

- Stability curve: T vs. Ξ



NGC 3783
Netzer +03

Questions to the audience

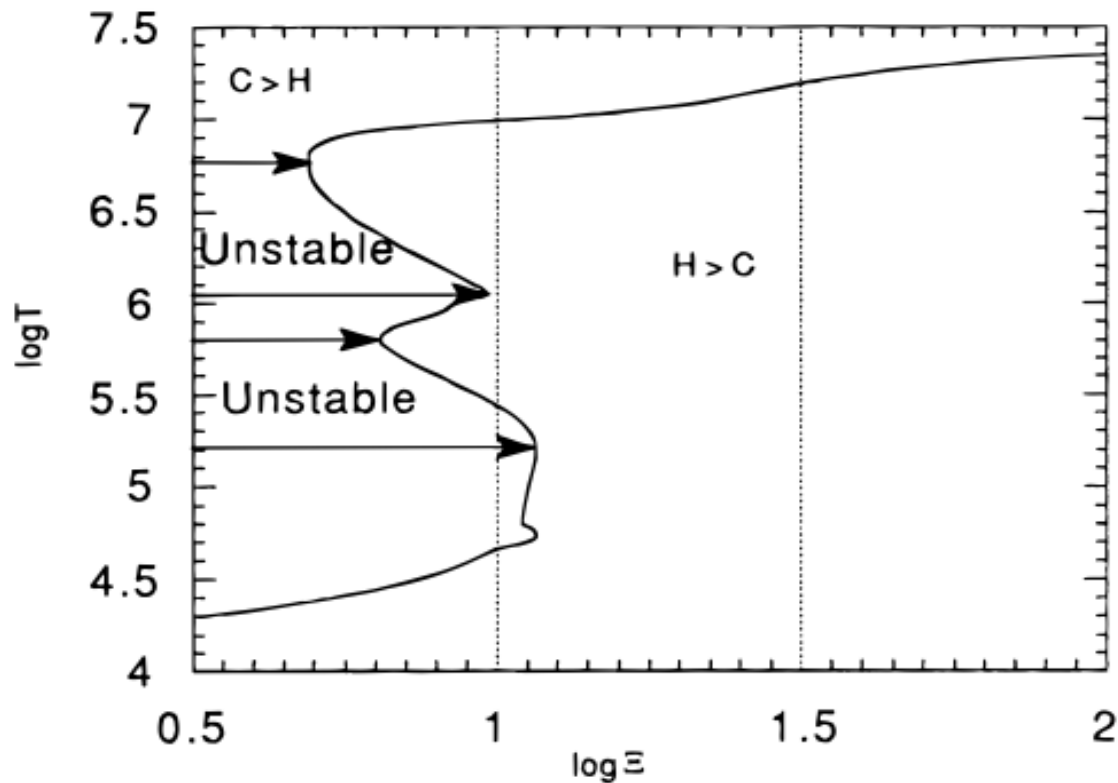
- Do we observe saturated lines in X-ray domain?
- Do we derive AMD for UV absorbers?
- Are we able to distinguish between *const. P* and *const. n* models from observations?

Dynamical ionization parameter

$$\Xi = \frac{\xi}{4\pi ckT} = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT} = \frac{P_{rad}}{P_{gas}} = \frac{P_{rad}}{2.3 P_{gas,H}},$$

Krolik +1981

Hess +1997, Stability curve

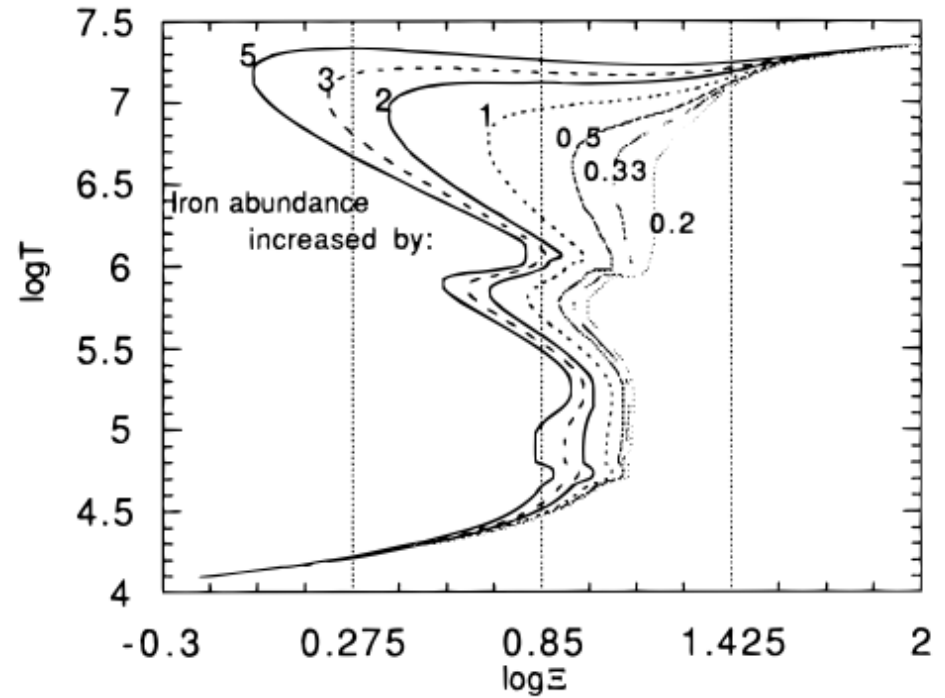
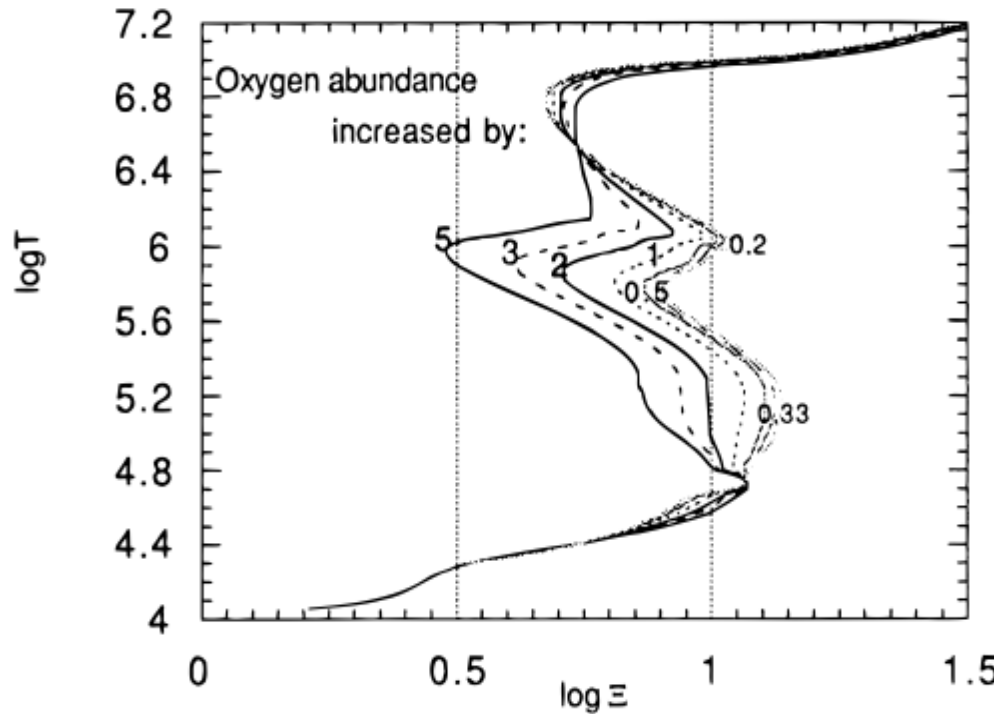


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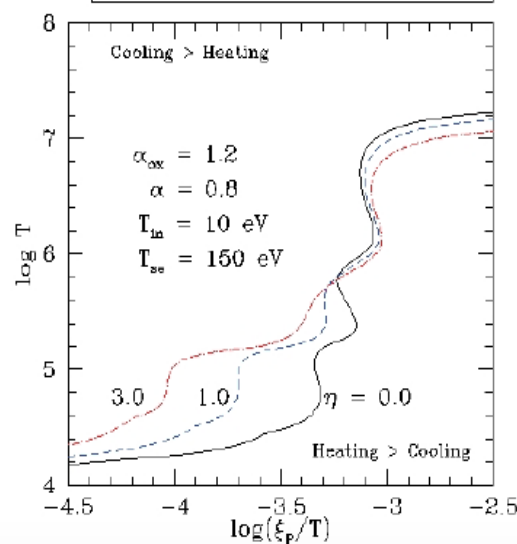
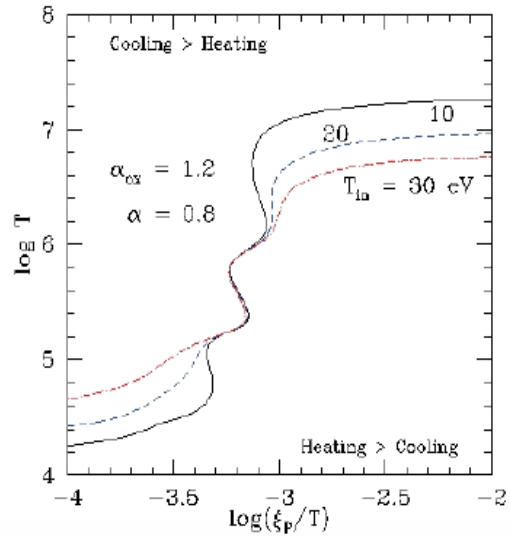
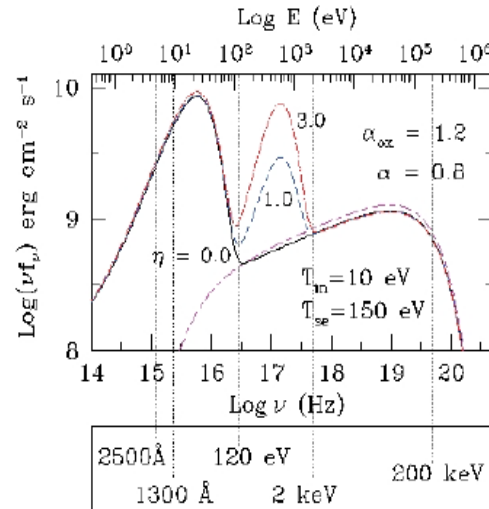
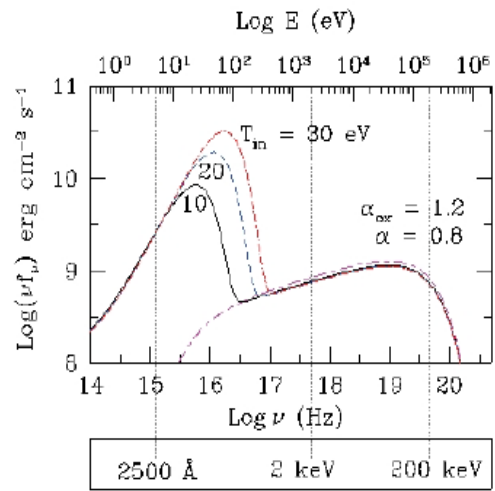
Krolik +1981

Hess +1997, **Stability curve**, Influence of abundances



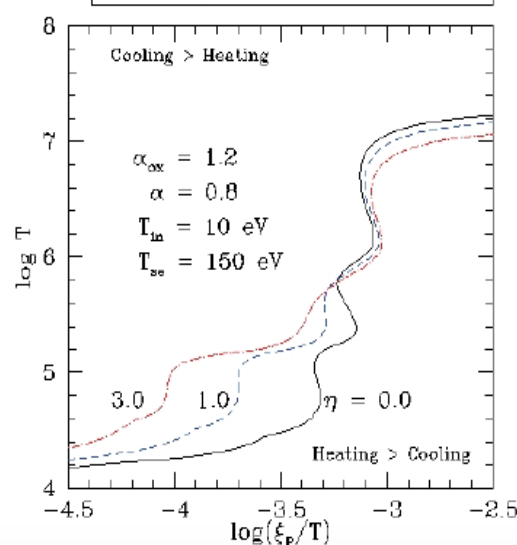
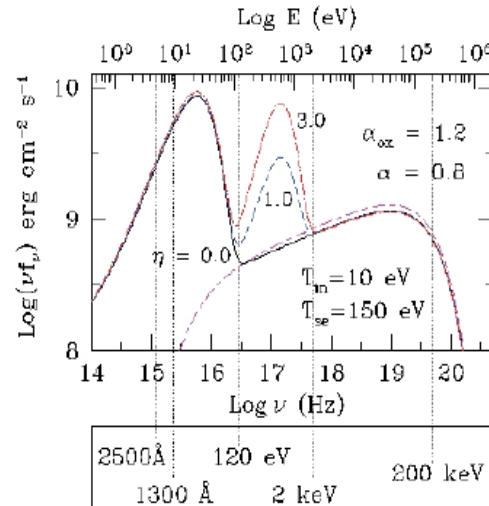
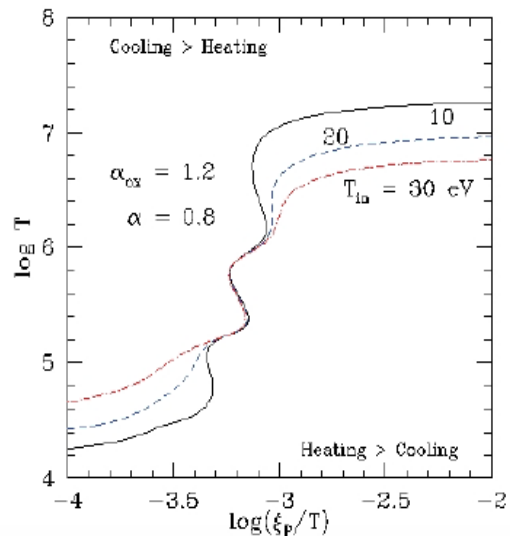
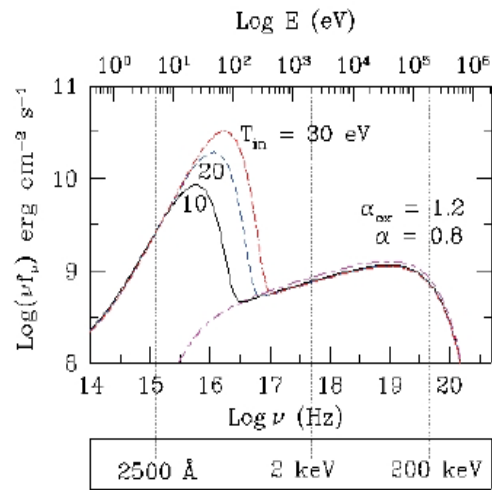
Stability curve

Chakravorty +12, **Different SEDs**

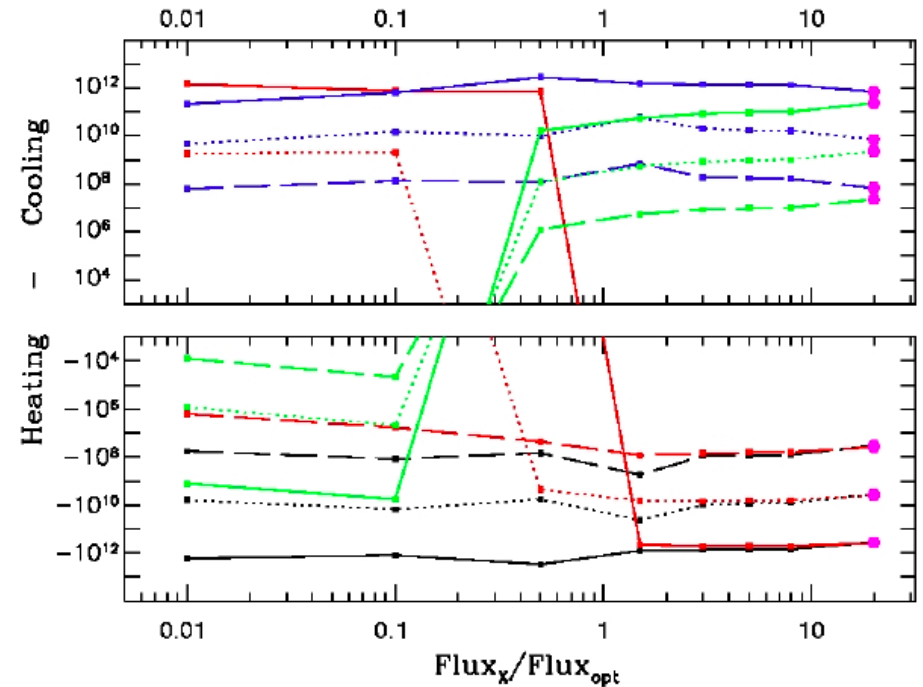


Stability curve

Chakravorty +12, **Different SEDs**



Rózańska +08, **Processes**



- Net bound-free (Ion. - Rec.)
- Net free-free (H - C)
- Net Compton (H - C)
- Net bound-bound (H - C) LINES
- Solid line - $n = 10^{10} \text{ cm}^{-3}$
- Dotted line - $n = 10^8 \text{ cm}^{-3}$
- Dashed line - $n = 10^6 \text{ cm}^{-3}$

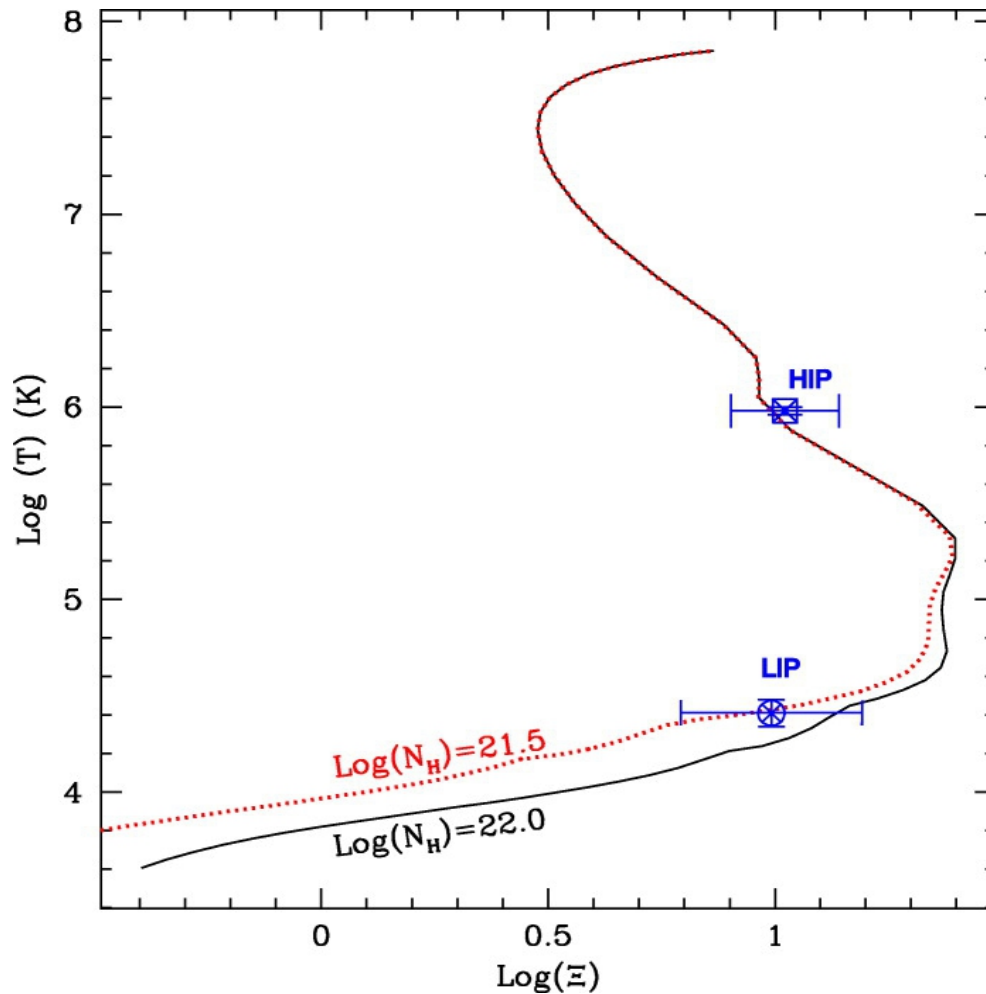
Questions to the audience

- Do we observe saturated lines in X-ray domain?
- Do we derive AMD for UV absorbers?
- Are we able to distinguish between *const. P* and *const. n* models from observations?
- Are f-f winds more important than Compton winds?

Stability curve

One constant density component has constant ξ , and it occurs as the point on the stability curve:

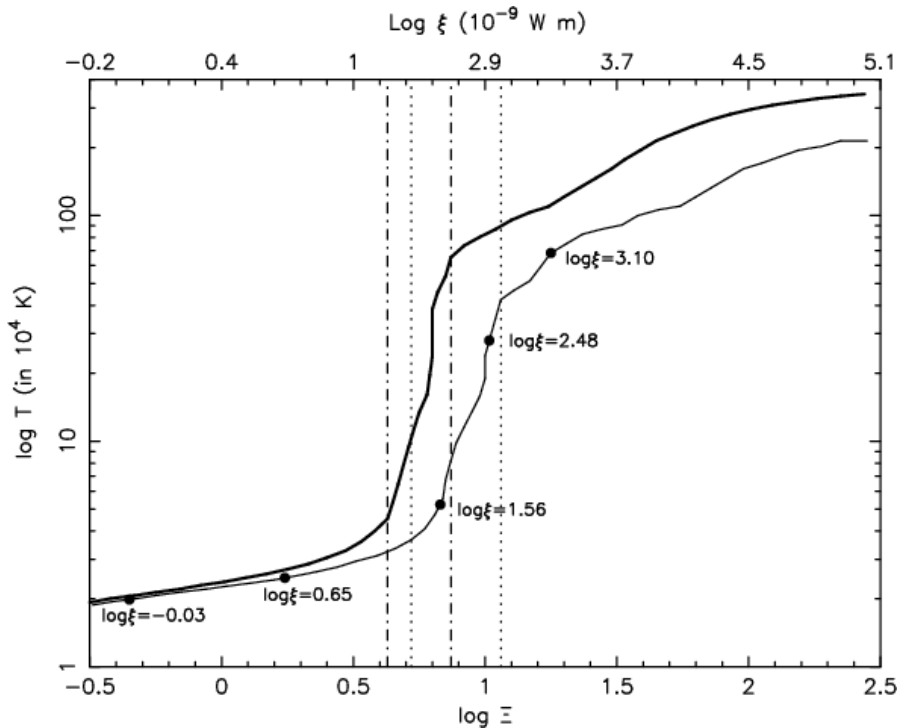
NGC 3783, Krongold +03



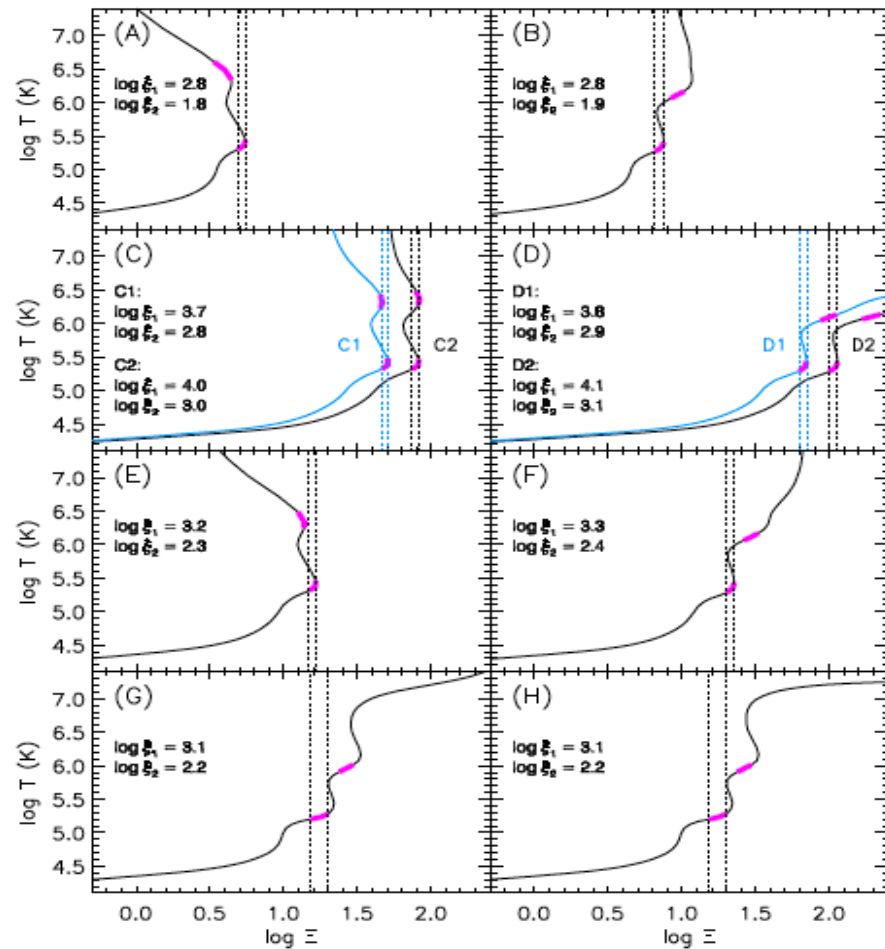
Stability curve

One constant density component has constant ξ , and it occurs as the point on the stability curve:

NGC 5548, Steenbrugge +05



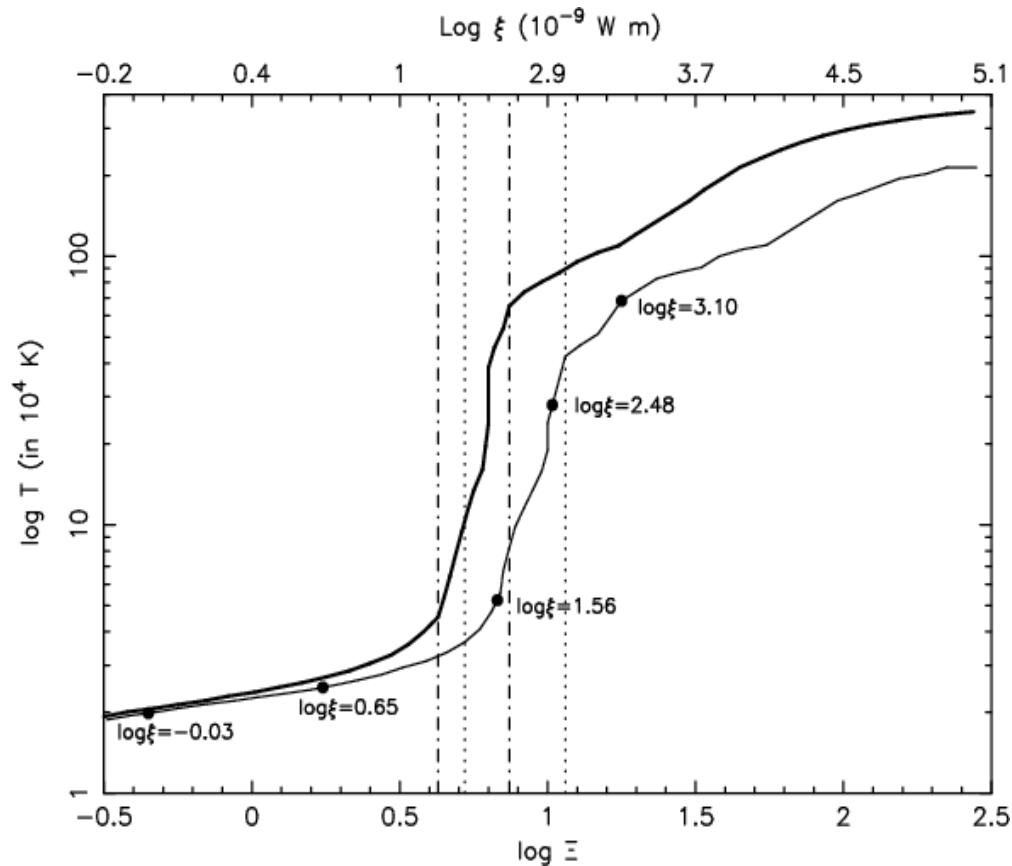
ESO 113-G010, Mehdipour +12



Stability curve

One constant density component has constant ξ , and it occurs as the point on the stability curve:

$$\Xi = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT} = \frac{P_{rad}}{P_{gas}}$$



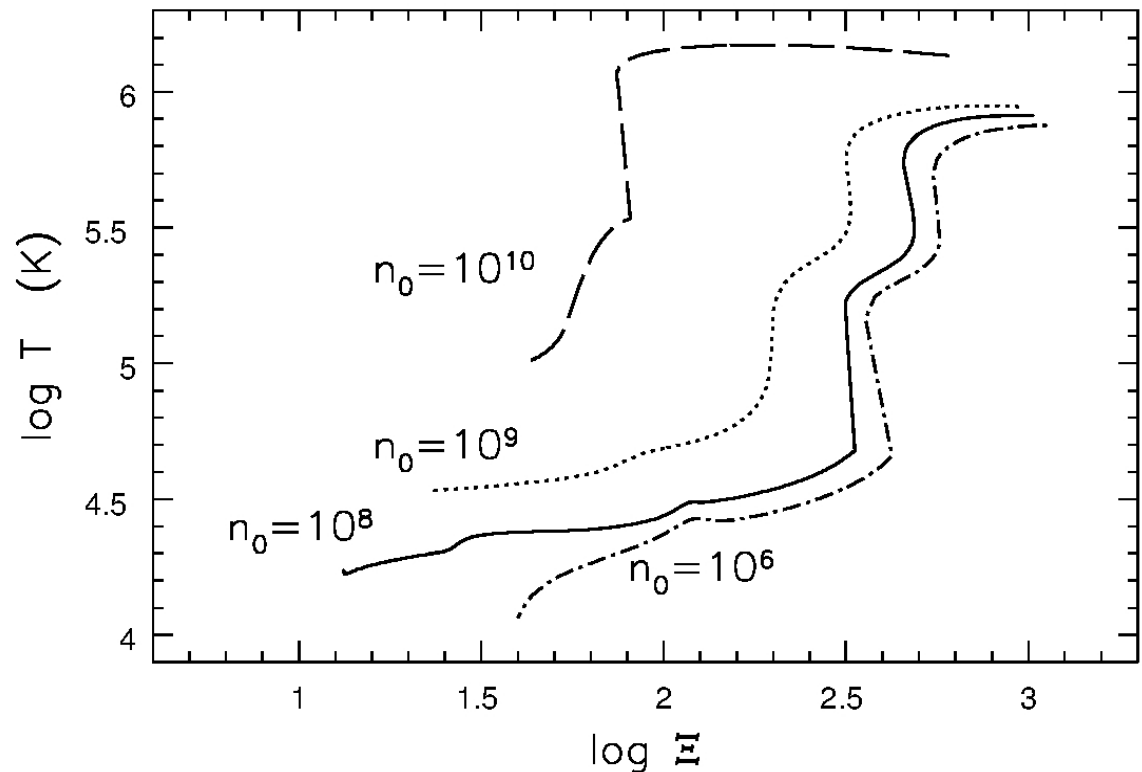
Stability curve

An absorber under constant total pressure, $P_{tot} = P_{rad} + P_{gas}$, solves the pressure structure: $P_{rad}(\tau)$ and $P_{gas}(\tau)$, and the whole stability curve is computed:

$$\Xi = \frac{P_{rad}(\tau)}{P_{gas}(\tau)}$$

SED dominated
by soft component

HS 1603+3820, Rózańska +12

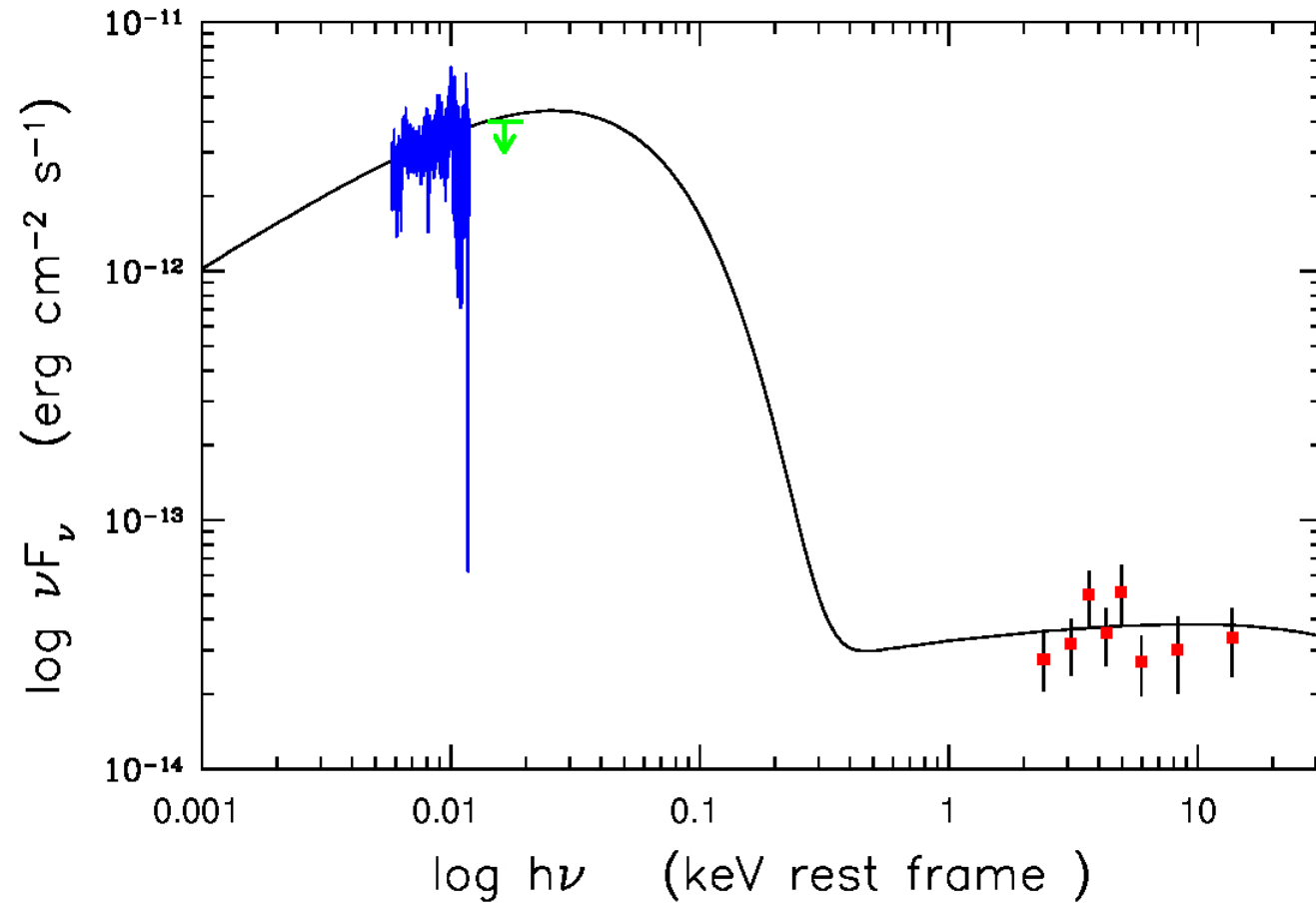


Conclusions:

- The fact that the photoionization models give the same results for broad range of densities is only valid for strong X-ray illumination, and weak optical/UV SED component.

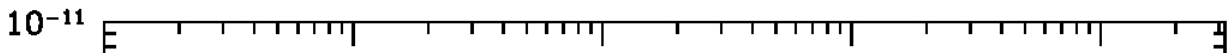
High luminosity quasar, $M_{\text{BH}} = 5.26 \times 10^9 M_{\text{Sun}}$

HS 1603+3820, Róžańska +12



High luminosity quasar, $M_{\text{BH}} = 5.26 \times 10^9 M_{\text{Sun}}$

HS 1603+3820, Rózańska +12



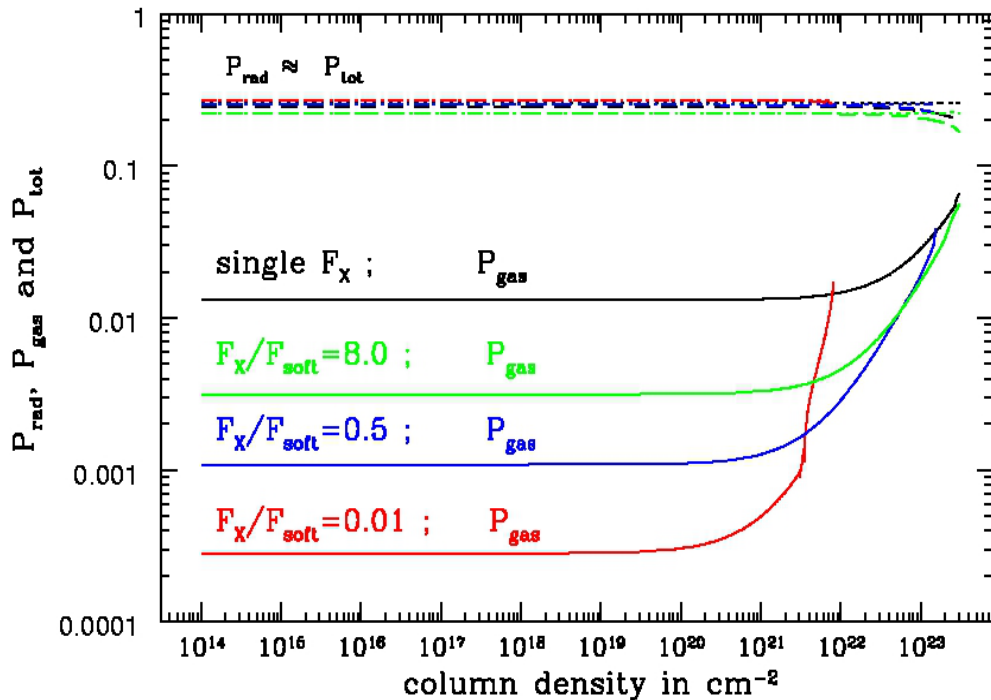
Par.	Unit	CLOUDY	TITAN
ξ	[$\text{erg s}^{-1} \text{cm}^{-1}$]	7	10^4
n_0	[cm^{-3}]	10^{12}	10^{10}
E_{max}^{UV}	[eV]	10	40
$\log(N_{CIV})$	[cm^{-2}]	14.97	14.71
N_{CIV}/N_{HI}		20.37	19.70
$L_{bol} = 7.7$	$\times 10^{47}$ [erg s^{-1}]	This paper	
$\log(R)$	[cm]	17.52	16.94
R	[pc]	0.106	0.028

NLS1, Leighly +04

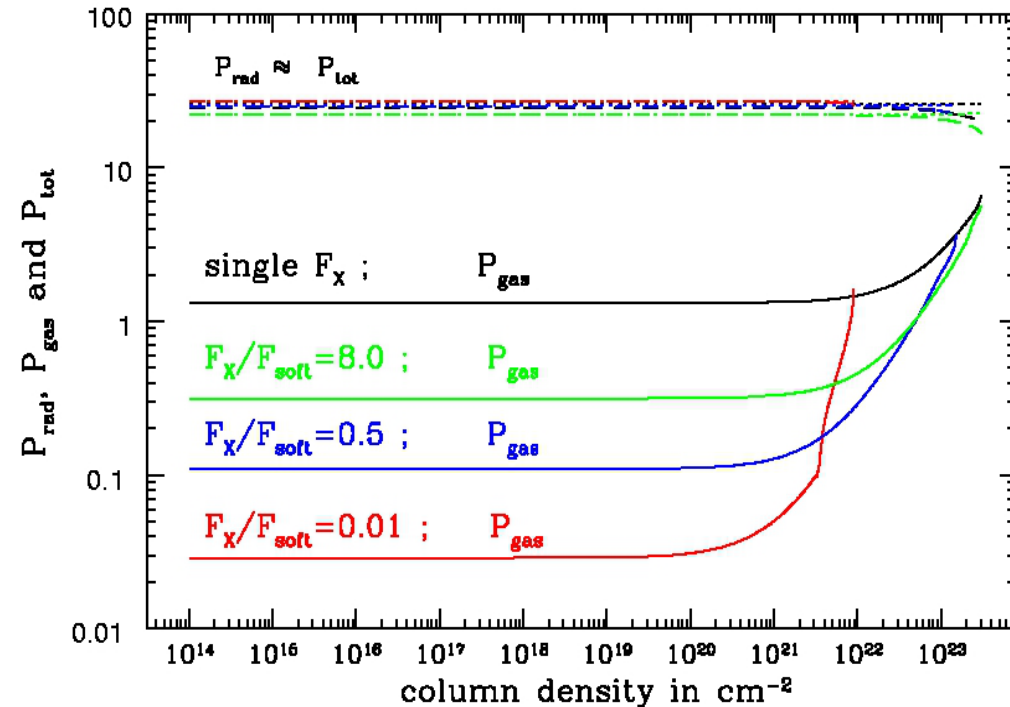
Radiation pressure

All clouds computed by TITAN code for ionized absorber are dominated by radiation pressure. Agrees with Stern +16

Rózańska +08, Double power-law SED with exp. cut-off



$$n_0 = 10^6 \text{ cm}^{-3}, \quad \xi = 10^5$$



$$n_0 = 10^8 \text{ cm}^{-3}, \quad \xi = 10^5$$

Conclusions:

- The fact that the photoionization models give the same results for broad range of densities is only valid for strong X-ray illumination, and weak optical/UV SED component.
- The radiation pressure is dominant in the vicinity of BH.

Equivalent Hydrogen column densities, ion by ion

NGC 5548, Steenbrugge +05

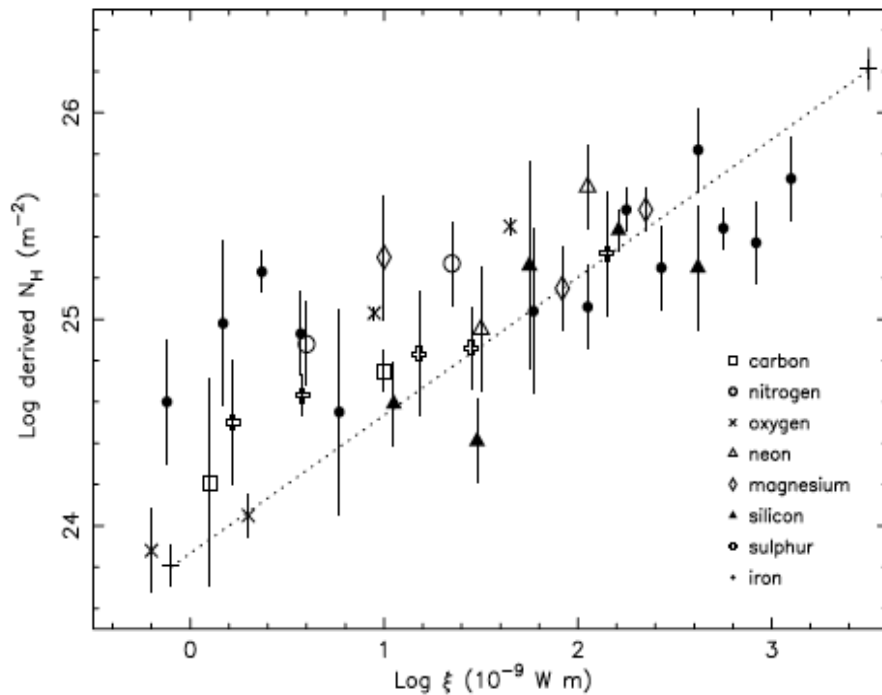


Fig. 11. The total hydrogen column density N_{H} , assuming solar abundances (Anders & Grevesse 1989) derived using Eq. (3), plotted versus ionization parameter. The ionic column densities were taken from Tables 4 and A.1 assuming a velocity broadening of 140 km s^{-1} . For clarity, no upper limits have been plotted. The best fit results for model D are plotted as the two crosses connected by a dotted line.

Mrk 273, Costantini +07

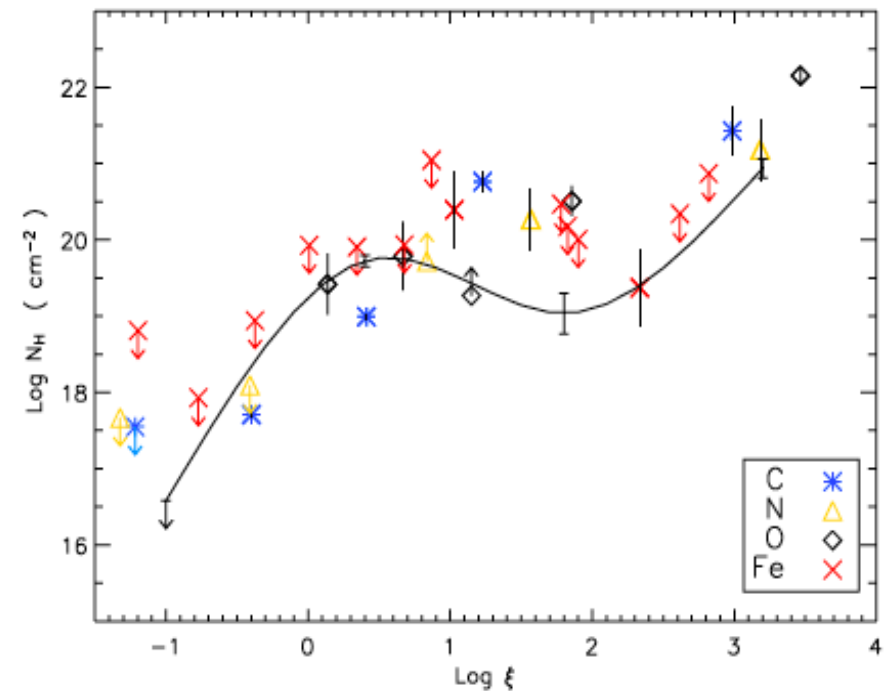


Fig. 10. The hydrogen column density as a function of the ionization parameter determined for: single ions (individual points) and an N_{H} continuous distribution model (solid line). See Sect. 2.4.2 for a full description.

Equivalent Hydrogen column densities, ion by ion

Holczer +07

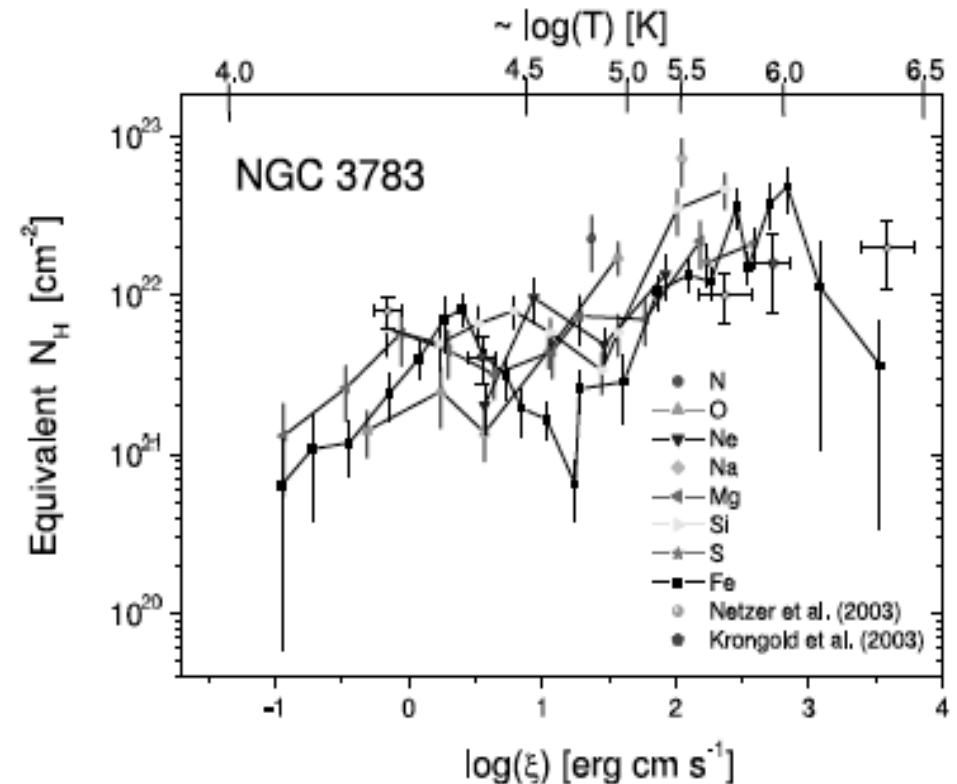
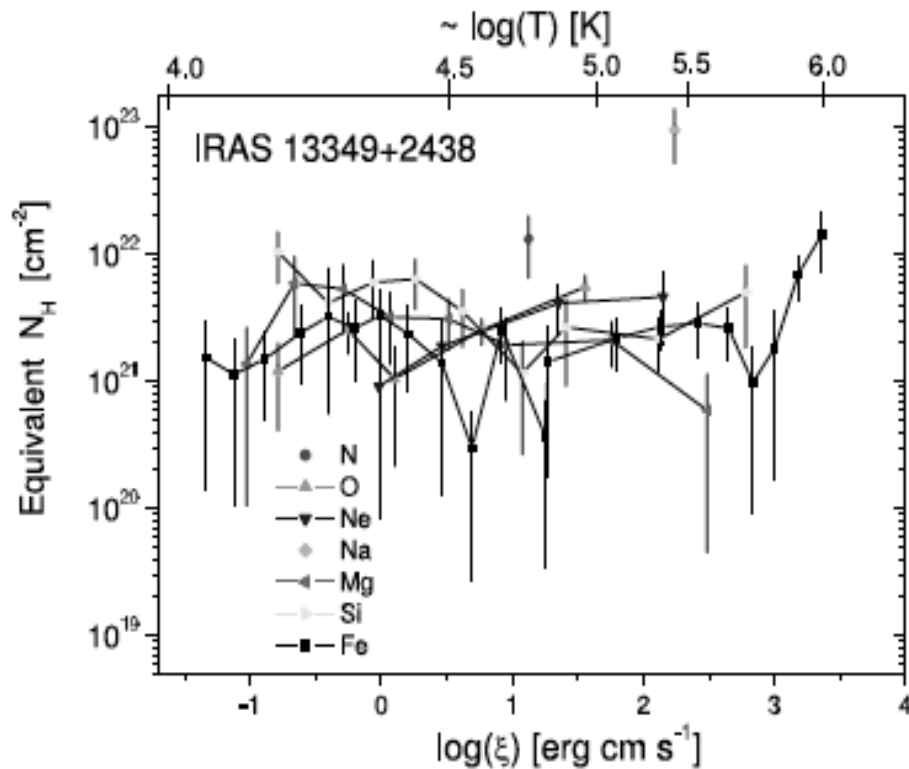


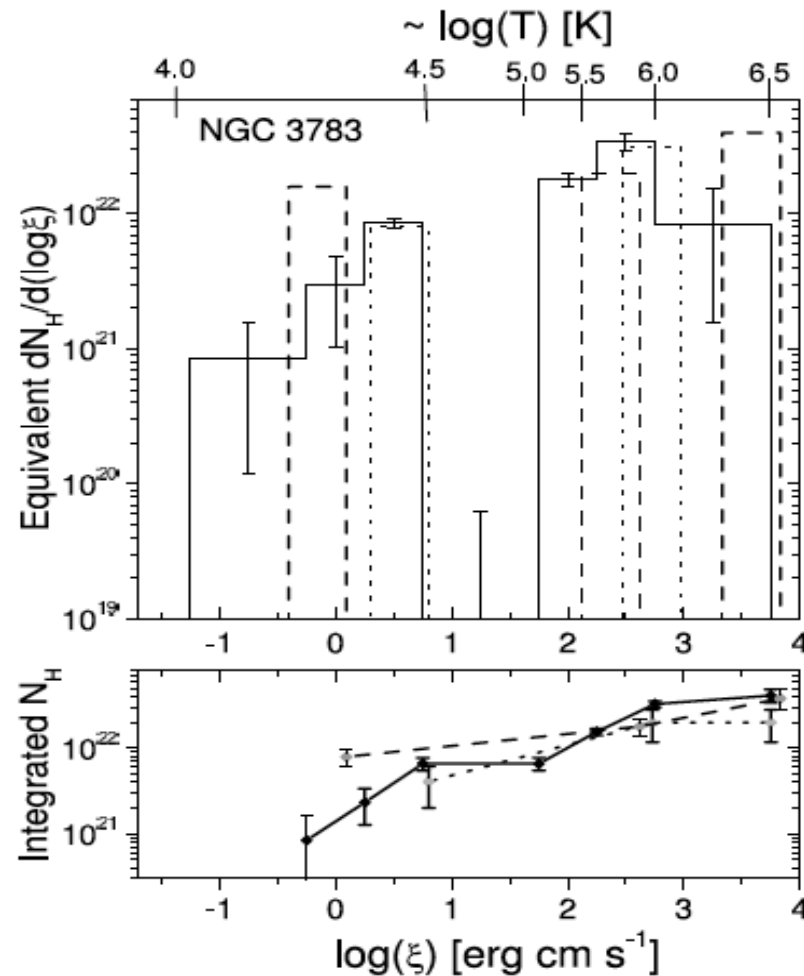
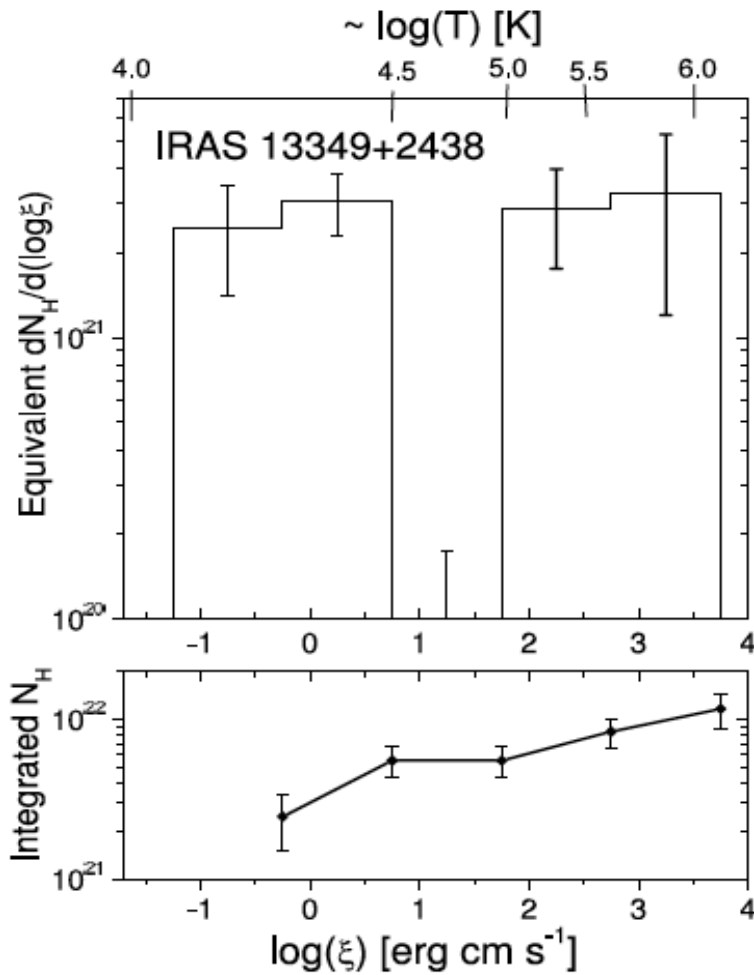
FIG. 4.—Equivalent N_H distribution (eq. [8]) obtained for the IRAS 13349+2438 outflow, assuming that ions form at ξ_{max} and assuming solar abundances (Asplund et al. 2005). Lines are drawn between data points to guide the eye. Vertical offsets between elements indicate deviations from solar abundances. The corresponding temperature scale obtained from the XSTAR computation is shown at the top of the figure. [See the electronic edition of the Journal for a color version of this figure.]

FIG. 6.—Equivalent N_H distribution (eq. [8]) obtained for the NGC 3783 outflow, assuming that ions form at ξ_{max} and assuming solar abundances (Asplund et al. 2005). Lines are drawn between data points to guide the eye. Vertical offsets between elements indicate deviations from solar abundances. The corresponding temperature scale obtained from the XSTAR computation is shown at the top of the figure. The Netzer et al. (2003) three-component model results and the Krongold et al. (2003) two-component model results are plotted for comparison. [See the electronic edition of the Journal for a color version of this figure.]

Absorption measure distribution

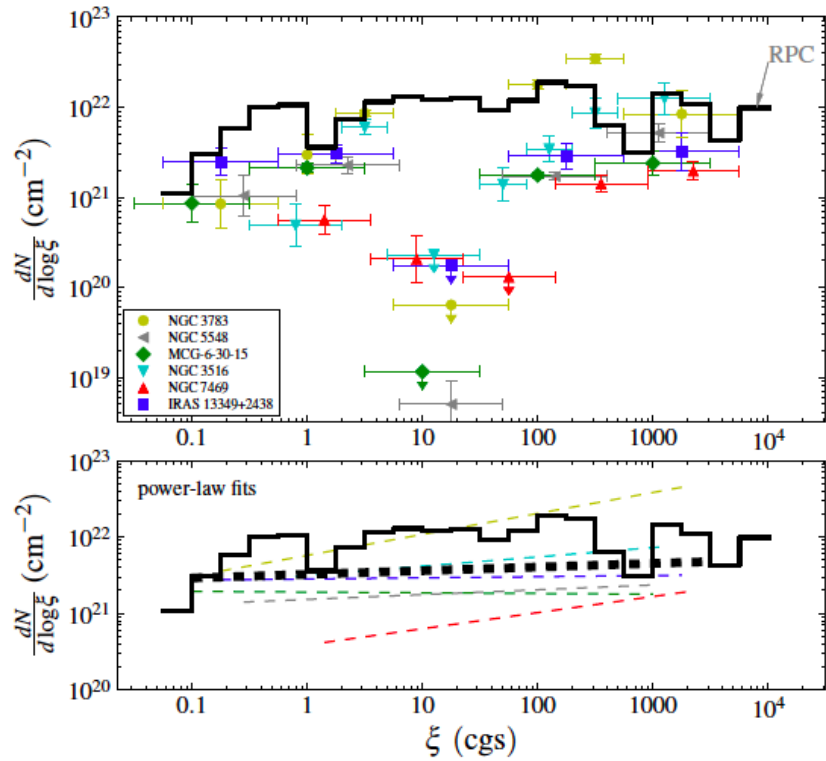
Holczer +07, constant density slabs

AMD is: $\xi \frac{dN_H}{d\xi}$ vs. $\log(\xi)$

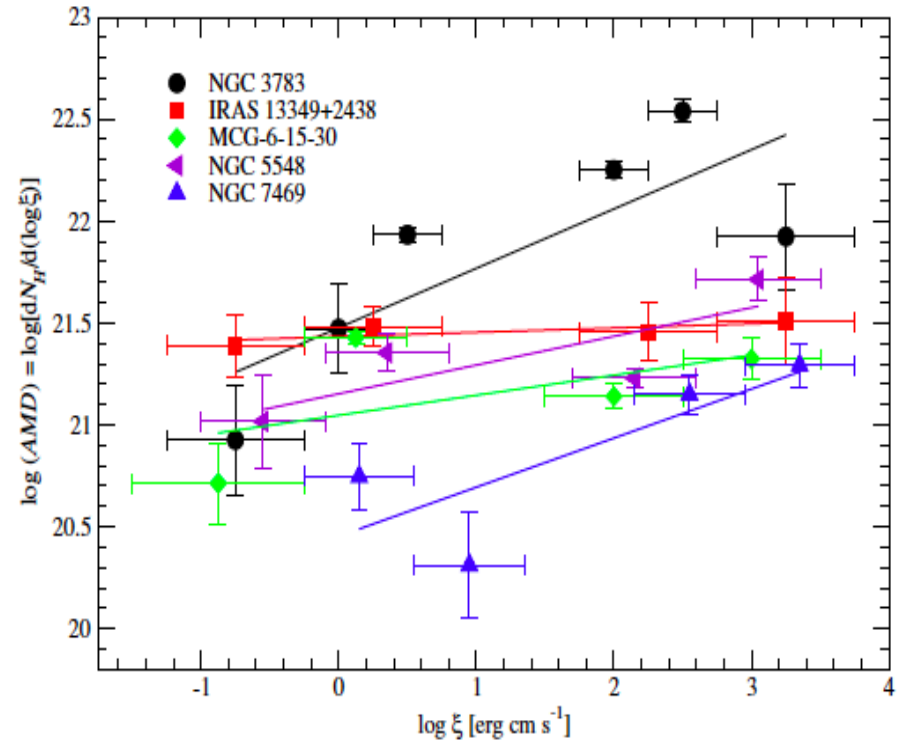


Observed AMD

Stern +14

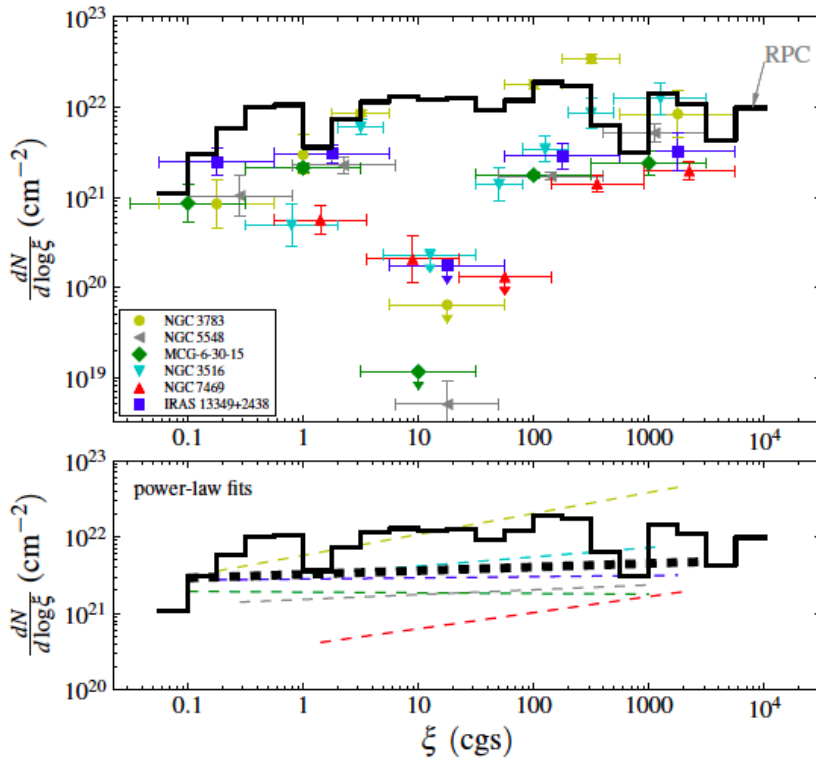


Behar +09



Observed AMD modelled by CLOUDY

Stern +14, constant pressure slabs

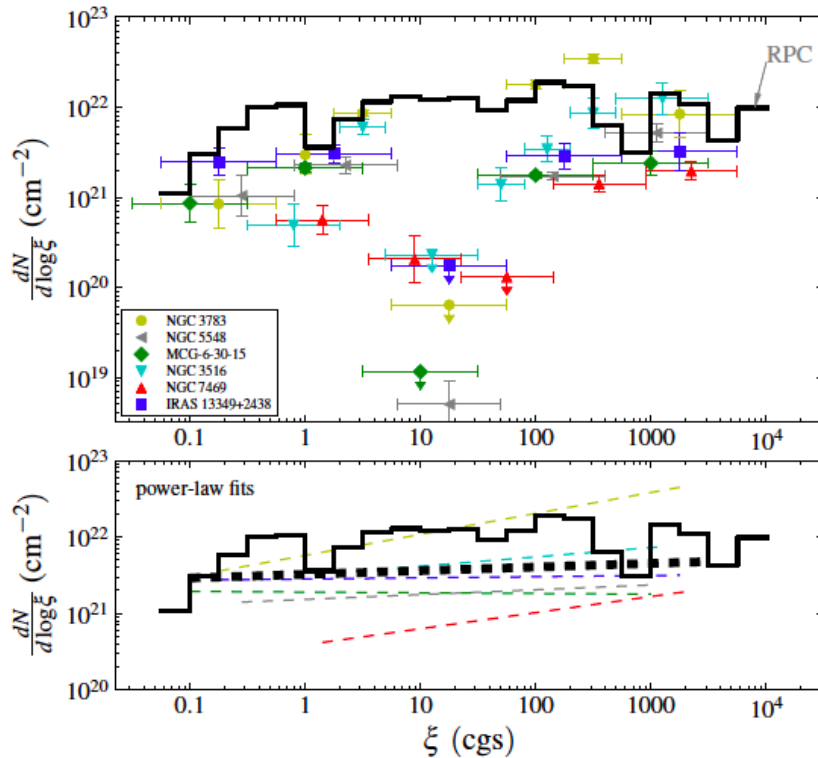


- Radiation Pressure Confinement

$$dP_{\text{gas}}(\tau) = P_{\text{rad}} e^{-\tau} d\tau$$

Observed AMD modelled by CLOUDY

Stern +14, constant pressure slabs



- Radiation Pressure Confinement

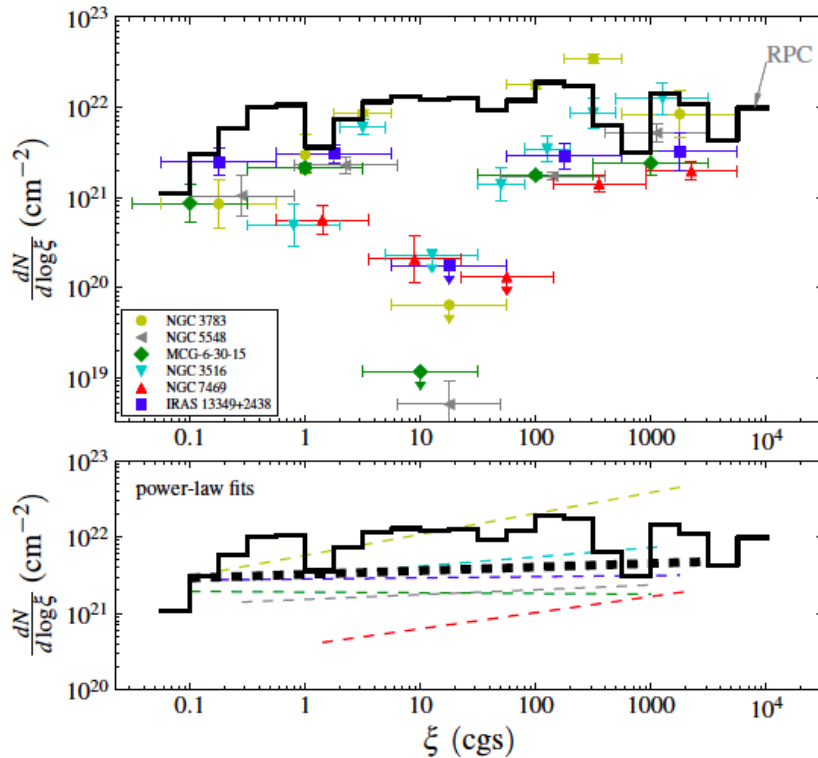
$$dP_{\text{gas}}(\tau) = P_{\text{rad}} e^{-\tau} d\tau$$

- CLOUDY computations under constant pressure

$$P_{\text{gas}}(\tau = 0) = \text{const}$$

Observed AMD modelled by CLOUDY

Stern +14, constant pressure slabs



- Radiation Pressure Confinement

$$dP_{\text{gas}}(\tau) = P_{\text{rad}} e^{-\tau} d\tau$$

- CLOUDY computations under constant pressure

$$P_{\text{gas}}(\tau = 0) = \text{const}$$

- AMD deep structure is not reconstructed by the model

Radiation pressure in TITAN

$$\mu \frac{dl_\nu}{d\tau_\nu} = l_\nu - \frac{j_\nu}{\kappa_\nu + \sigma_\nu} = l_\nu - S_\nu$$

Emission coefficient j_ν is the sum of three terms, $j_\nu = j_\nu^{th} + j_\nu^{sc} + j_\nu^{fl}$.

Requires iteration with gas(X,Y,Z) structure due to equilibrium equations:

- Hydrostatic equil. $\Rightarrow \frac{dP}{dz}$
- Radiative equil. $\Rightarrow \frac{dT}{dz}$
- EoS - usually ideal gas

Radiation pressure in TITAN

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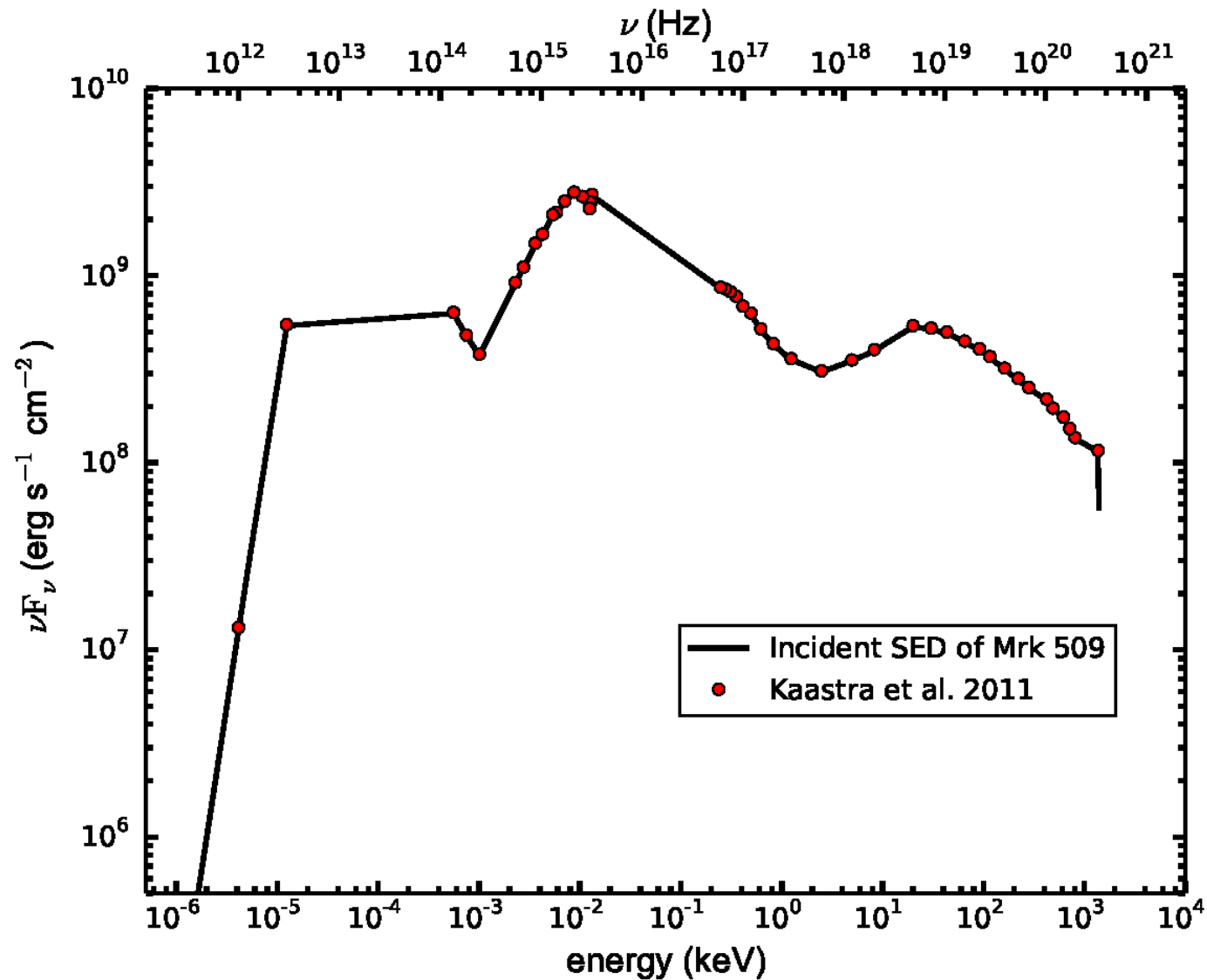
Requires iteration with gas(X,Y,Z) structure due to equilibrium equations:

- Hydrostatic equil. $\Rightarrow \frac{dP}{dz}$
- Radiative equil. $\Rightarrow \frac{dT}{dz}$
- EoS - usually ideal gas

Radiation pressure is computed from the radiation field and goes into the gas structure directly.

Observed AMD modelled by TITAN

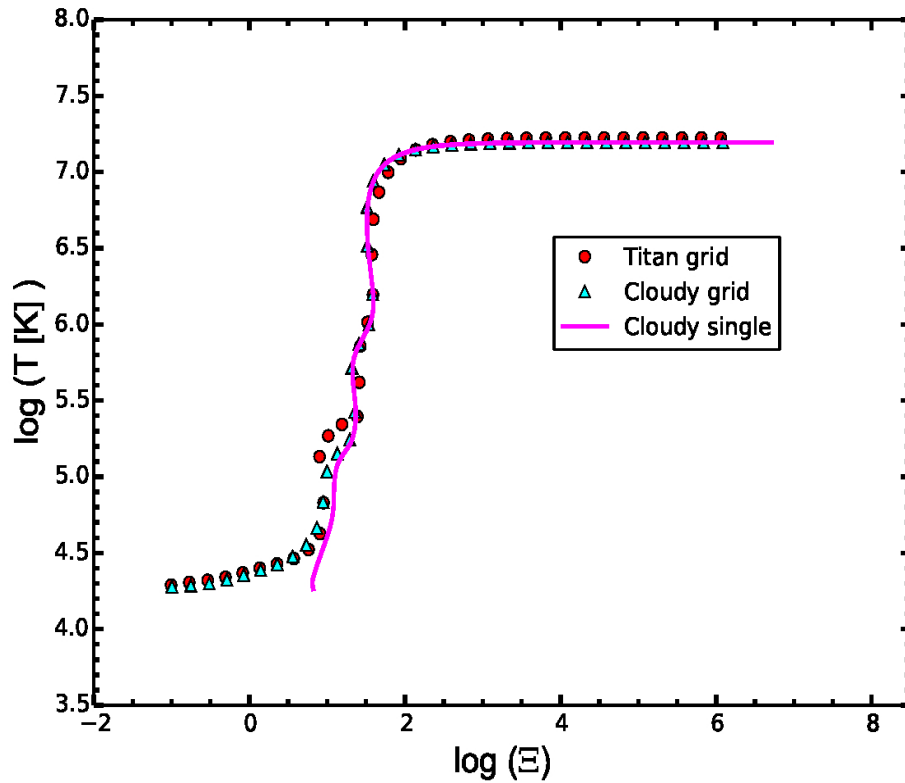
Adhikari +15, **constant pressure single model**



Observed AMD modelled by TITAN

Adhikari +15, constant pressure single model

const. n



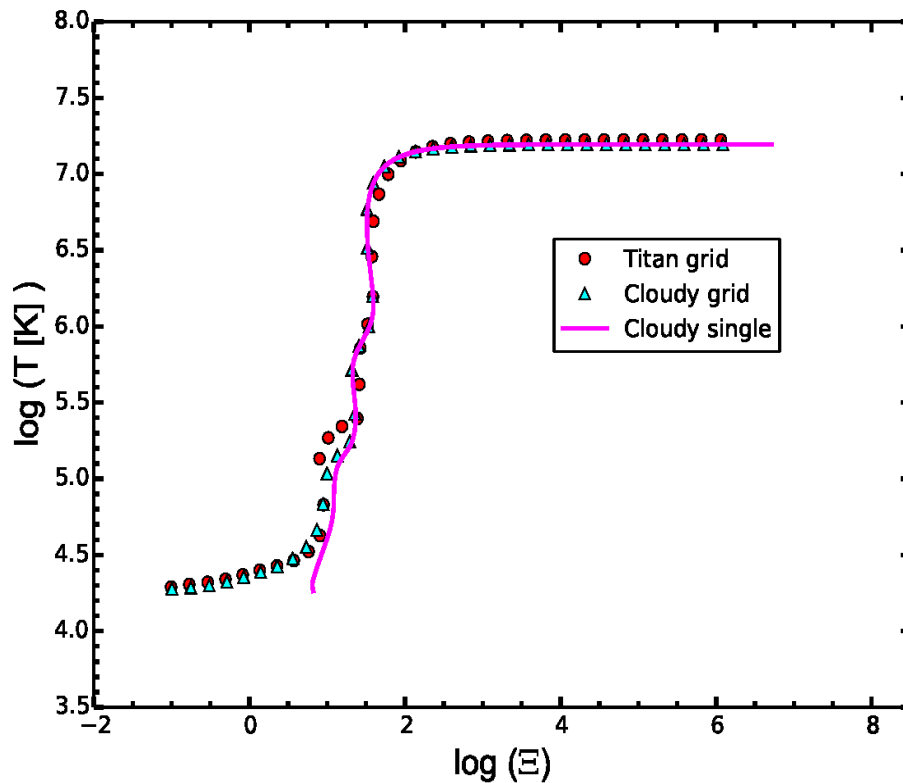
CLOUDY:

$$\Xi = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT}$$

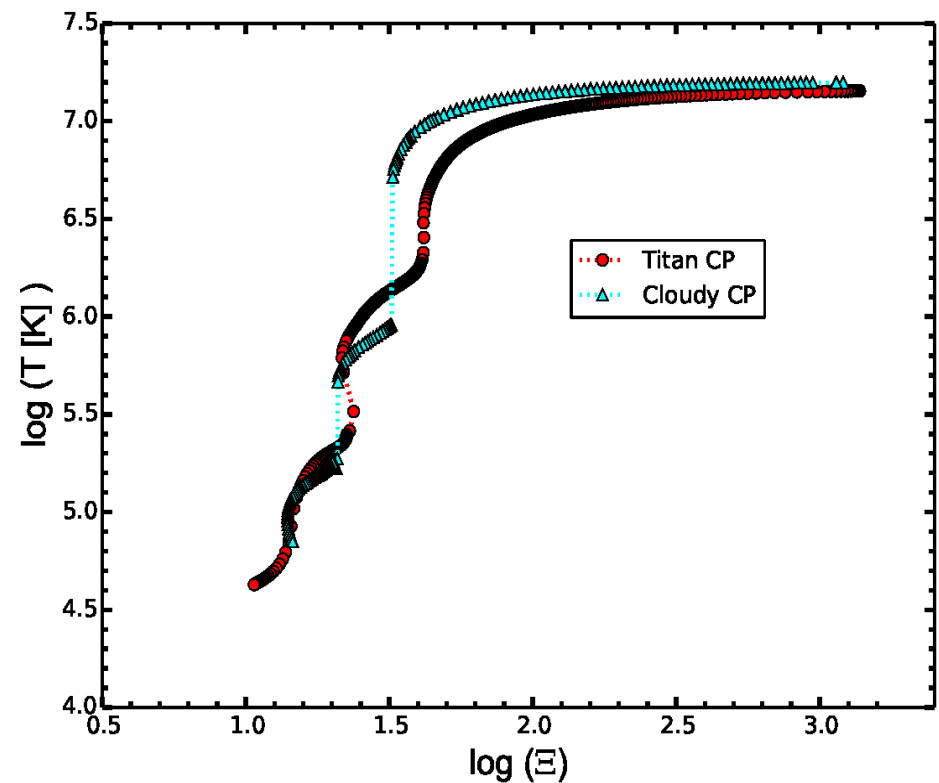
Observed AMD modelled by TITAN

Adhikari +15, constant pressure single model

const. n



const. P



CLOUDY:

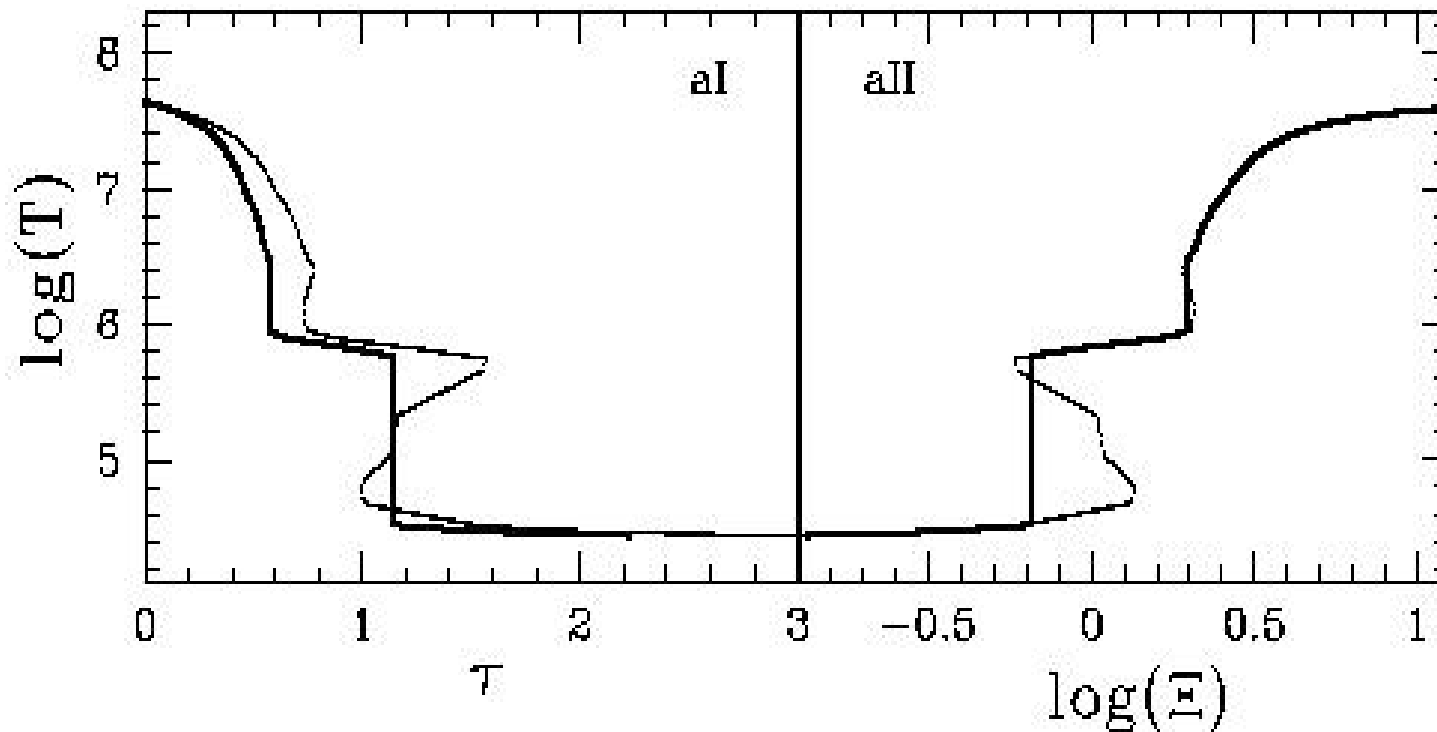
$$\Xi = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT}$$

TITAN:

$$\Xi = \frac{P_{rad}(\tau)}{P_{gas}(\tau)}$$

Thermal instability in transition layer between disk and corona

Różańska +96, **CLOUDY** cooling and heating



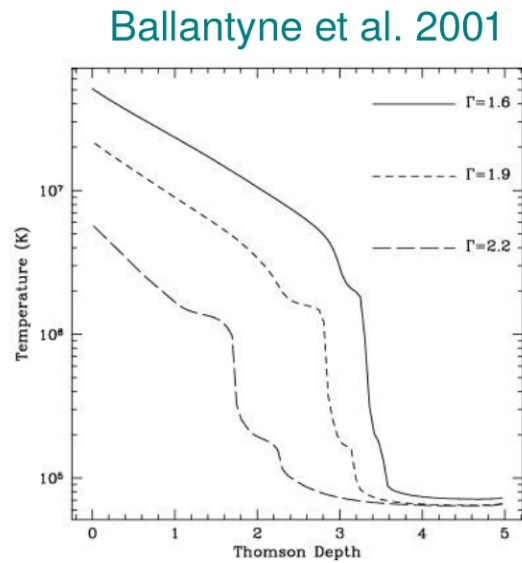
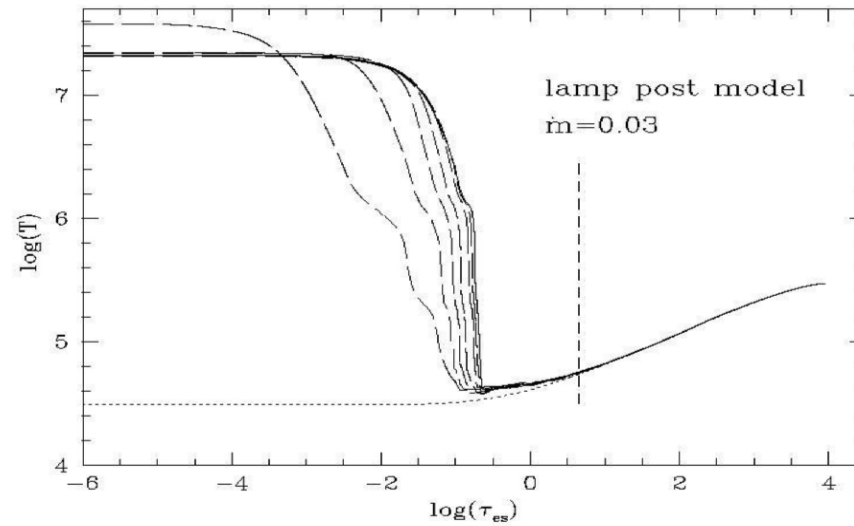
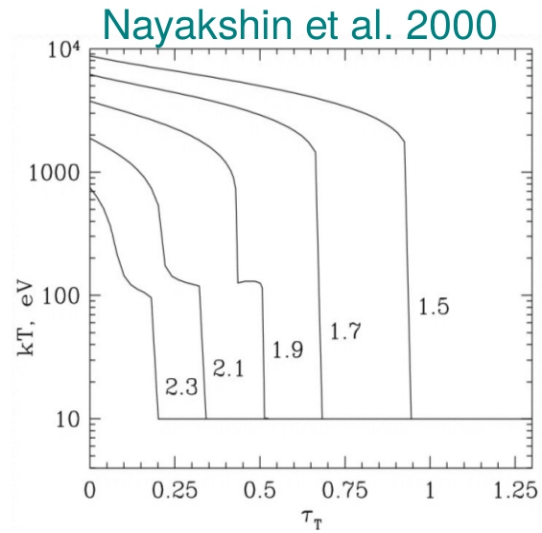
The disk in hydrostatic equilibrium

Conclusions:

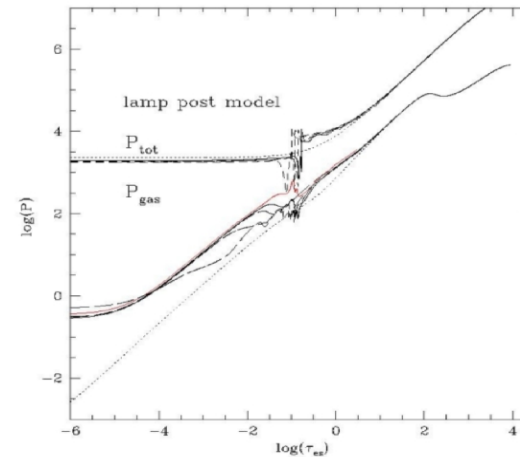
- The fact that the photoionization models give the same results for broad range of densities is only valid for strong X-ray illumination, and weak optical/UV SED component.
- The radiation pressure is dominant in the vicinity of BH.
- Thermal Instability occurs only when hydrostatic equilibrium is solved.

Thermal instability in illuminated disk

The transition layer between an accretion disk and corona:



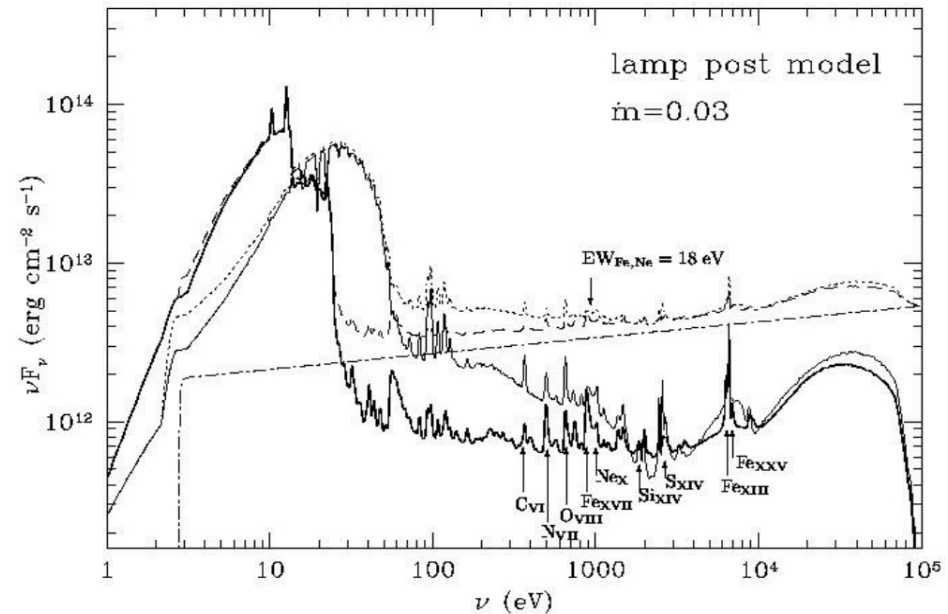
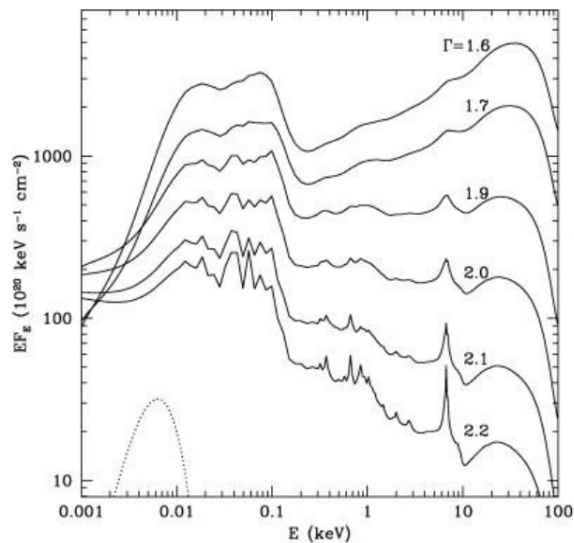
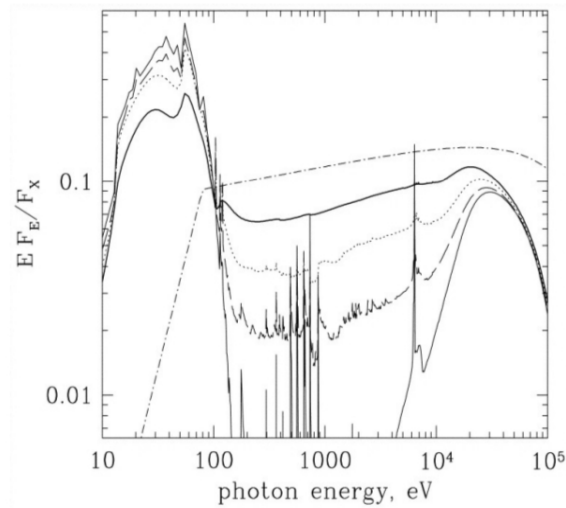
TITAN , Różańska et al 2002



Thermal instability in illuminated disk

The transition layer between an accretion disk and corona:

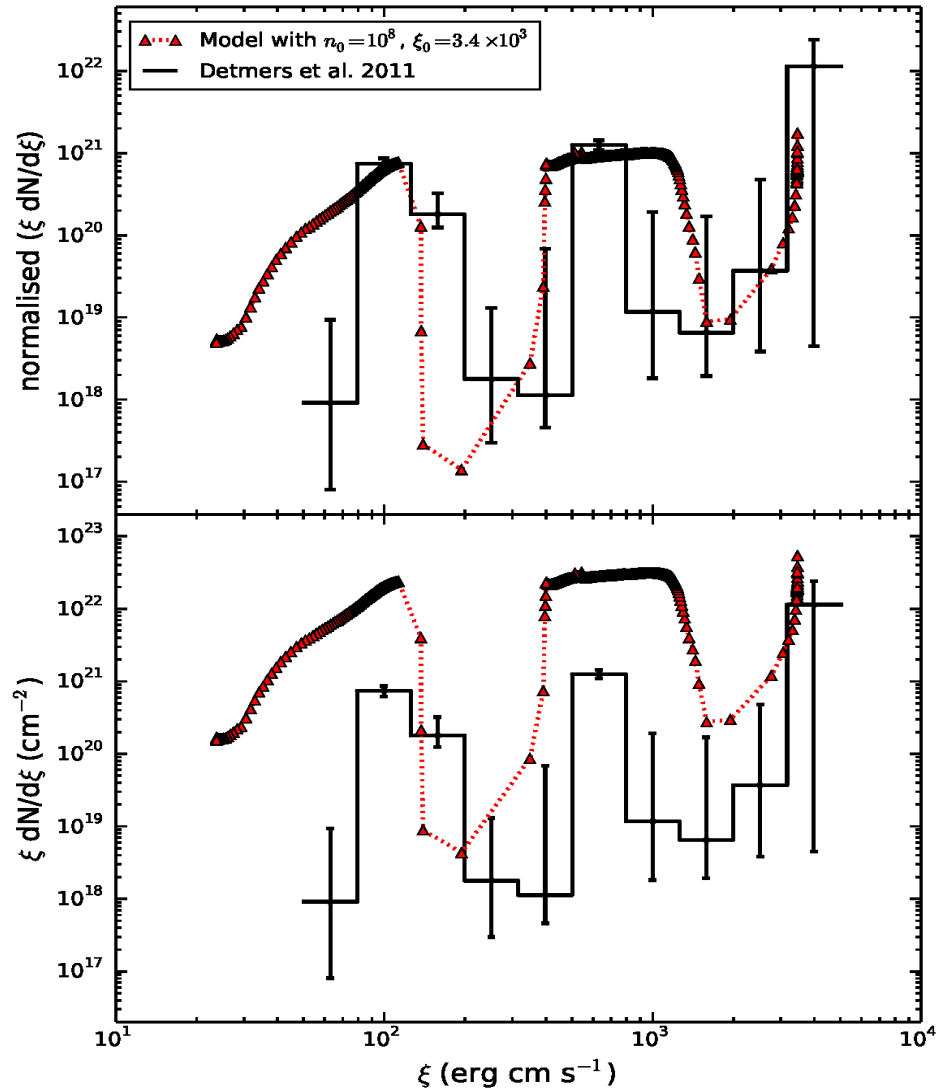
Comparing of work by: [Nayakshin, Ballantyne](#) and **TITAN**:



non-LTE,
external illumination
900 atomic
bound-bound
transitions.

Observed AMD modelled by TITAN

Adhikari +15, constant pressure single model



Observed AMD modelled by TITAN

Goosmann +16, constant pressure model – two clouds, NGC 3783

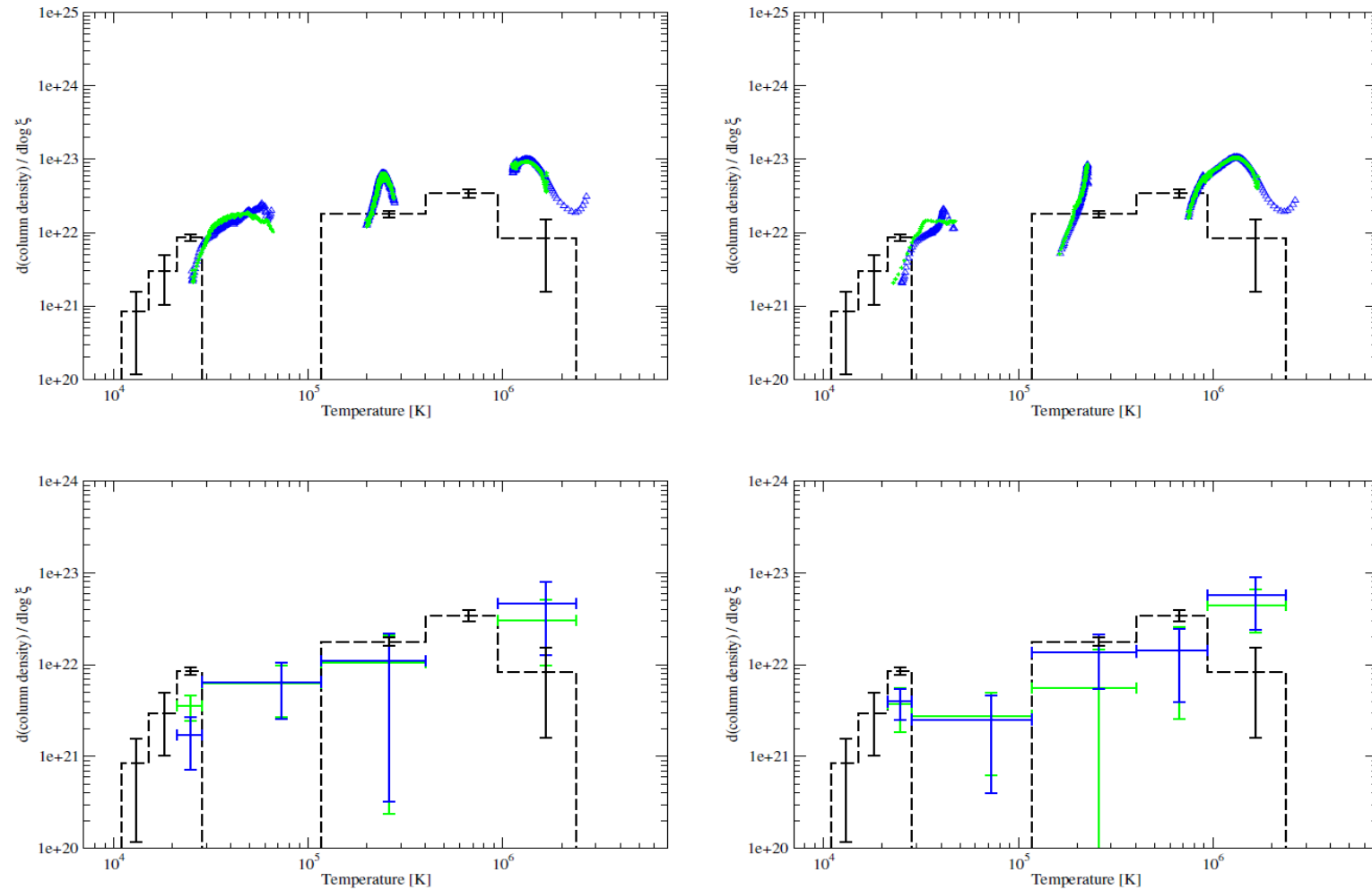
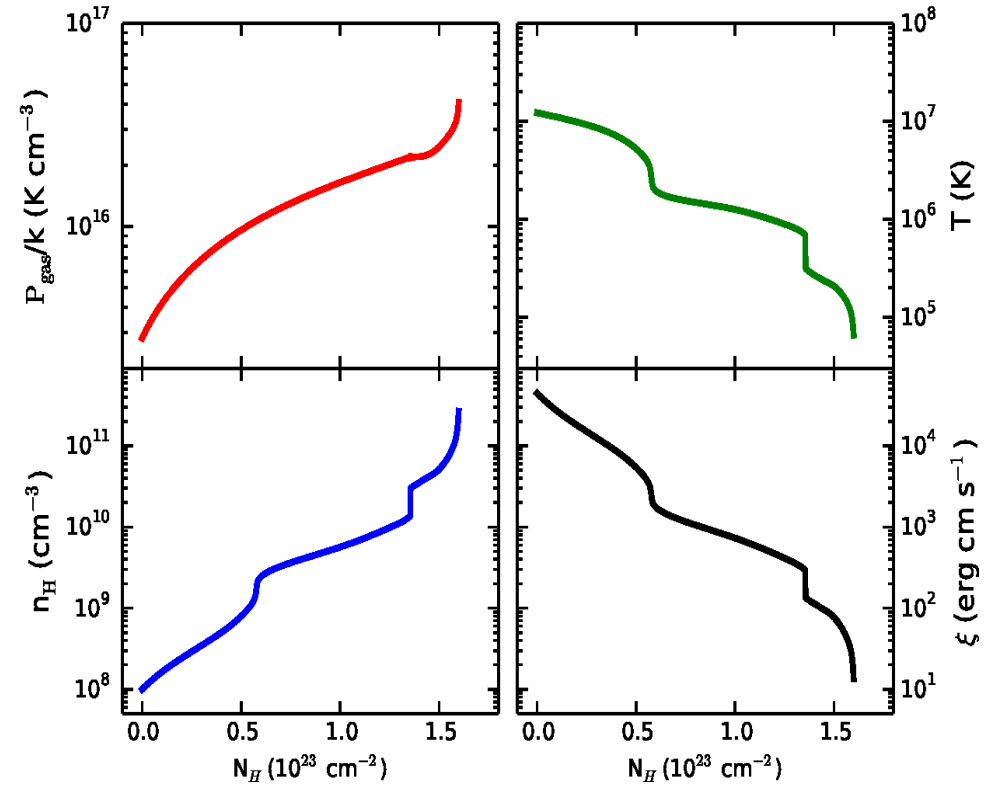
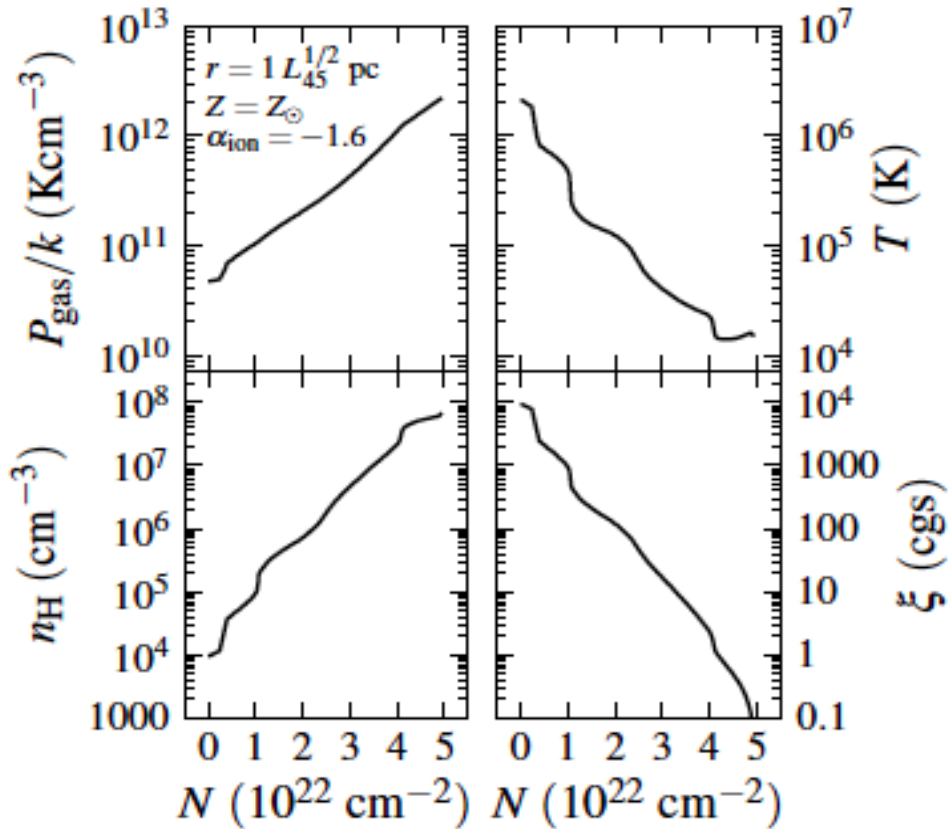


Fig. 7. Comparison between the observed and the modeled AMD as a function of temperature inside the medium (see Sect. 3). We construct theoretical AMD curves for the cold (*left*) and hot (*right*) solutions of the cases $\xi_{\text{tot}} = 4000$ (green) and $\xi_{\text{tot}} = 8000$ (blue). The observational AMD is denoted by the dashed line. The bottom panels show the same theoretical AMDs as above but degraded to the resolution of the observed AMD and plotted on a larger vertical scale.

Modelled AMD structure

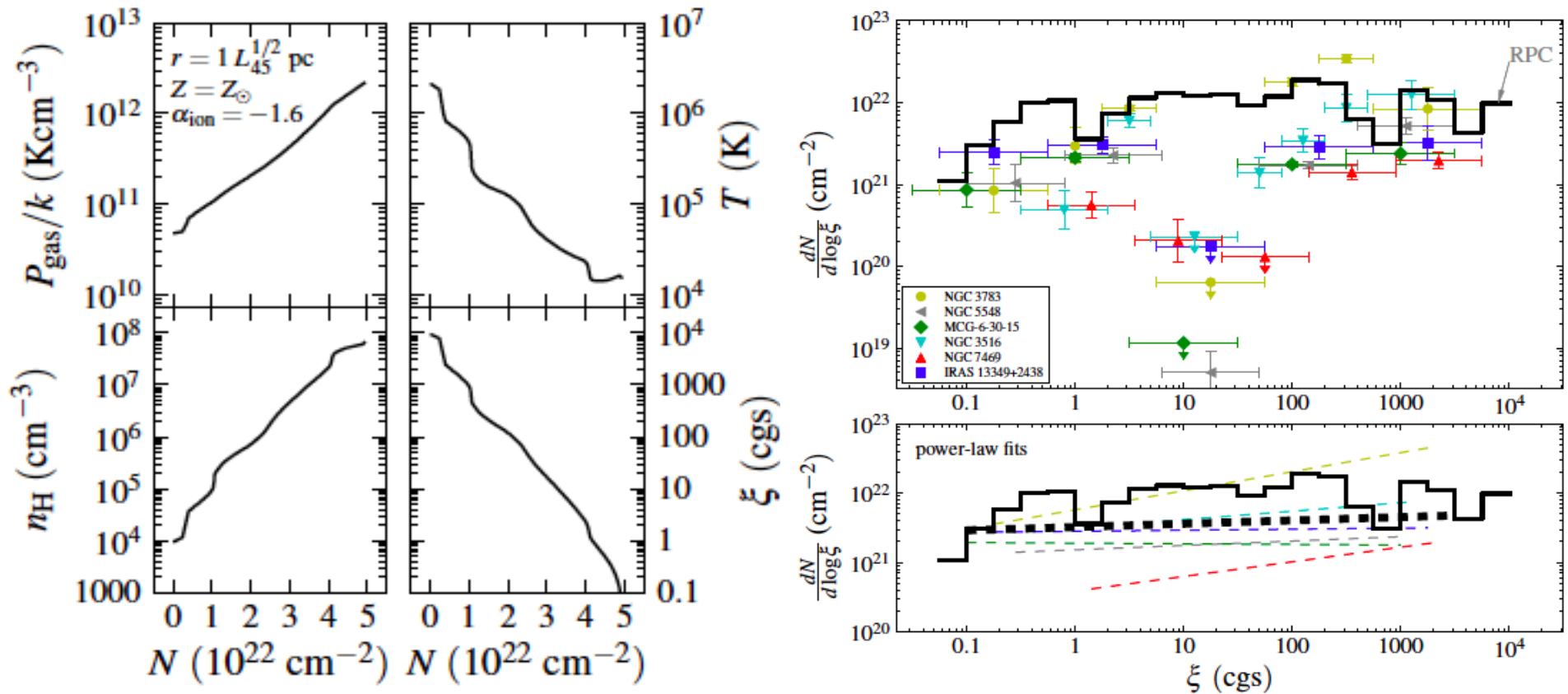
Stern +14, **constant pressure slabs**

Adhikari +15, **constant pressure slab**

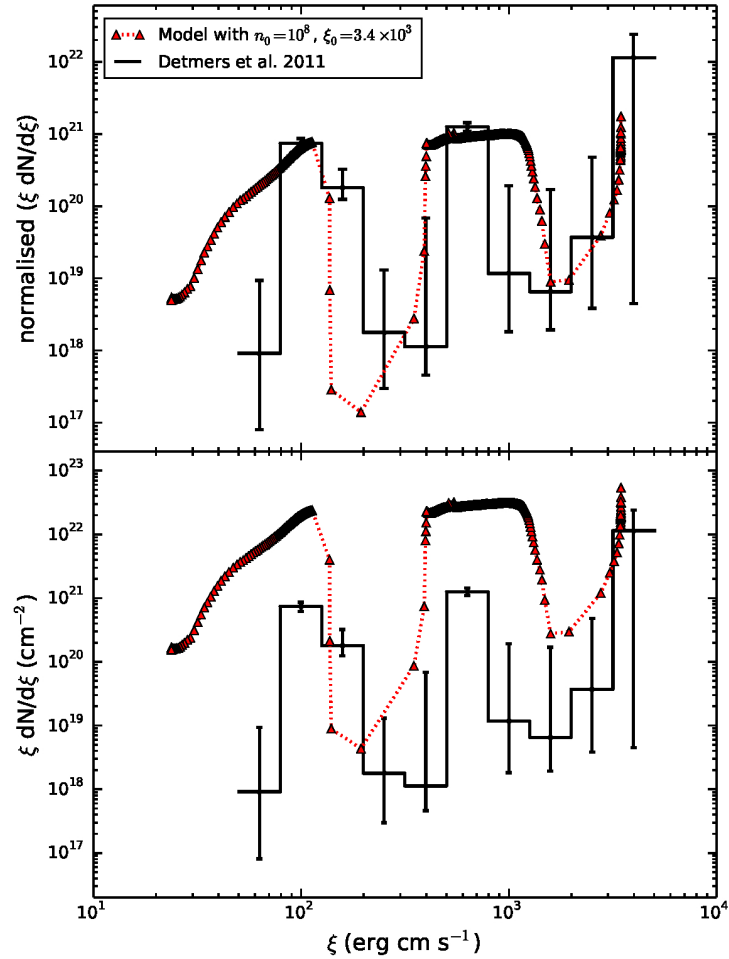


Modelled AMD structure

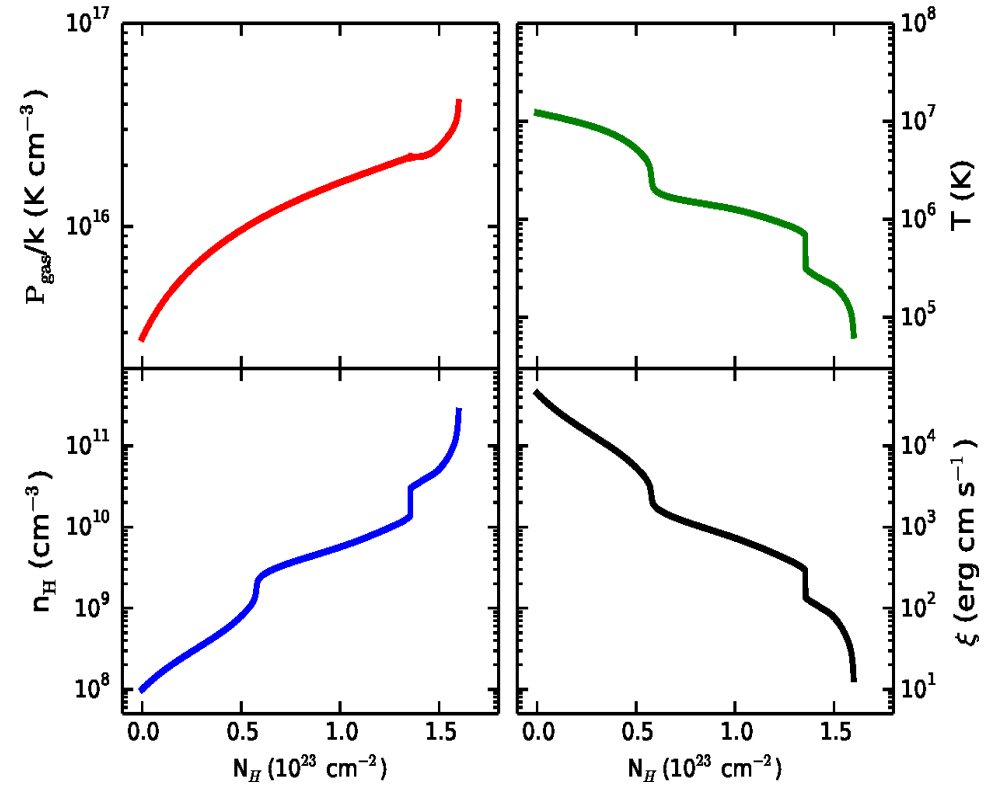
Stern +14, constant pressure slabs



Modelled AMD structure

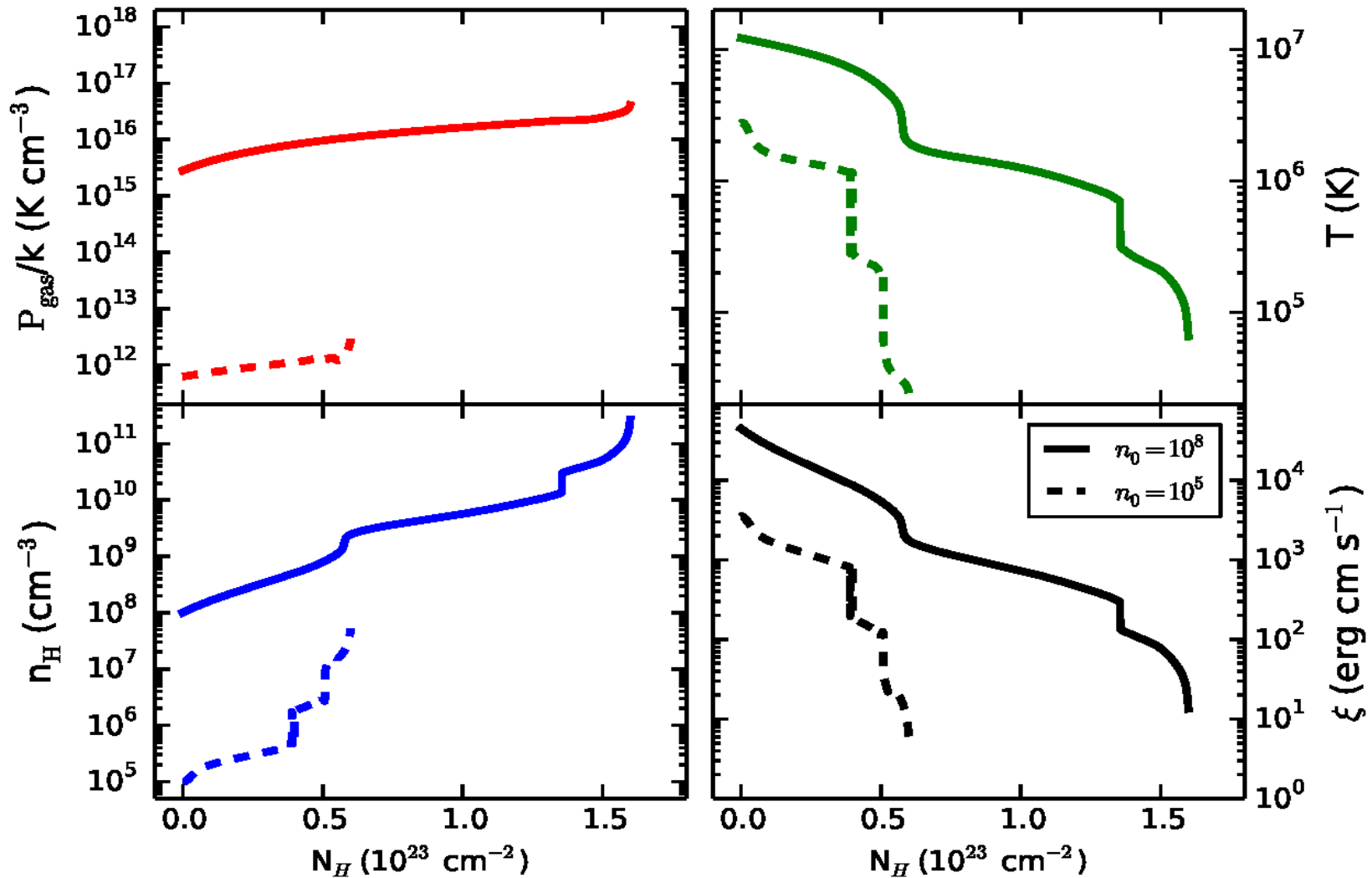


Adhikari +15, constant pressure slab



Modelled AMD structure

Adhikari +15, **constant pressure slab**, compared to Goosmann +16

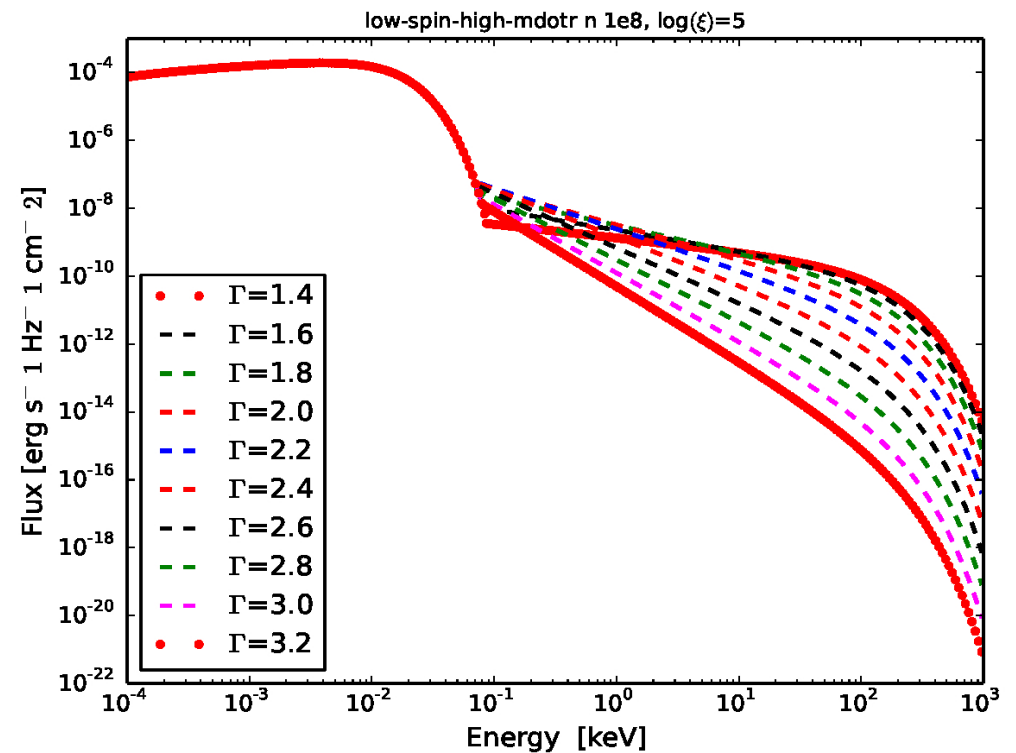
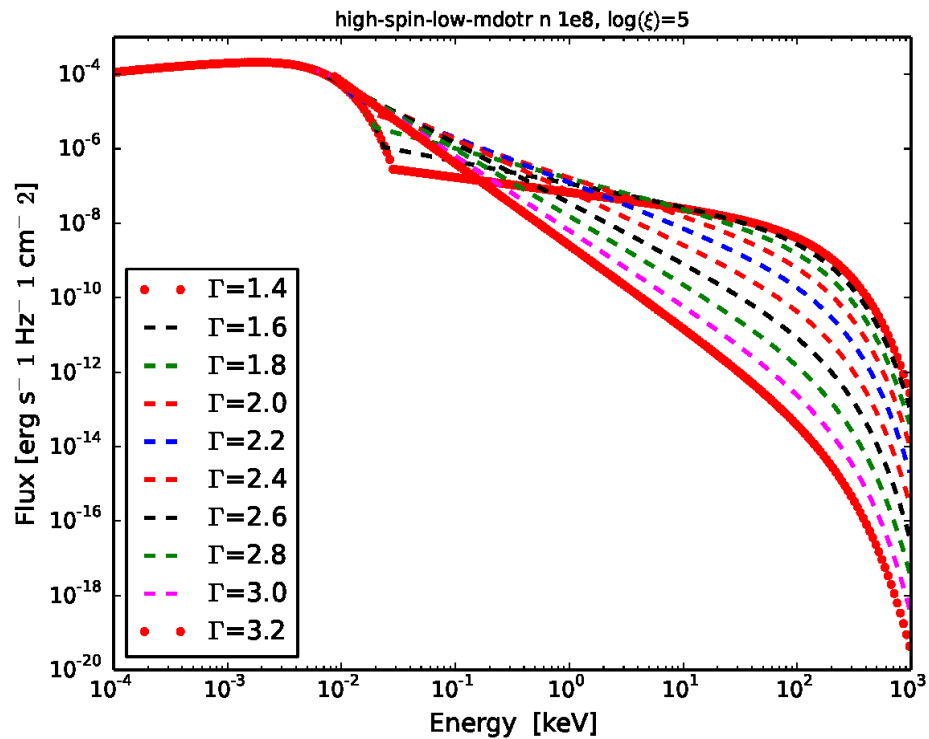


Questions to the audience

- Do we observe saturated lines in X-ray domain?
- Do we derive AMD for UV absorbers?
- Are we able to distinguish between *const. P* and *const. n* models from observations?
- Are f-f winds more important than Compton winds?
- Can we distinguish volume density of the absorber?

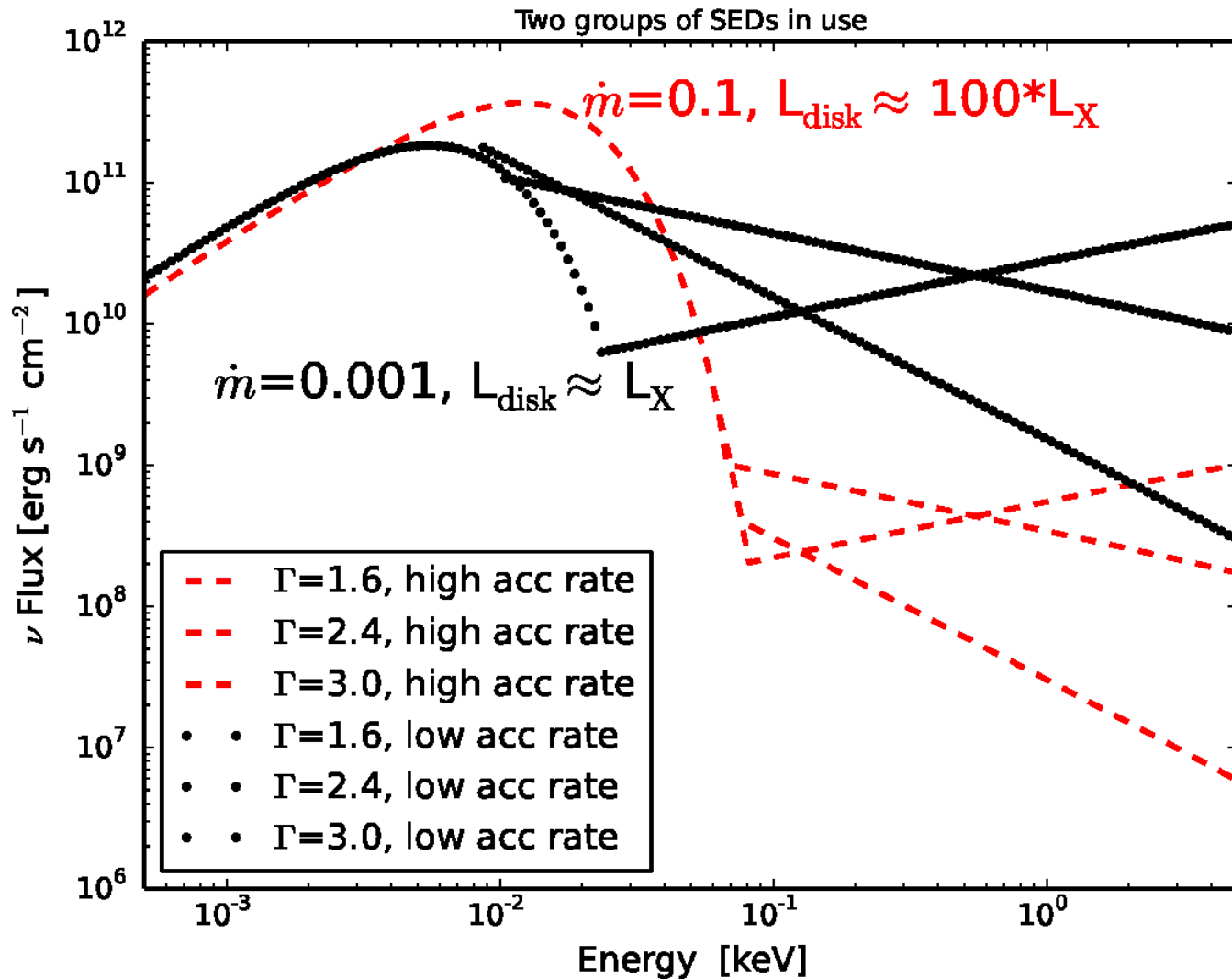
Systematic studies of AMD with TITAN

$n=10^8 \text{ cm}^{-3}$, different SEDs, $L_{\text{tot}} \sim 10^{45} \text{ erg/s}$

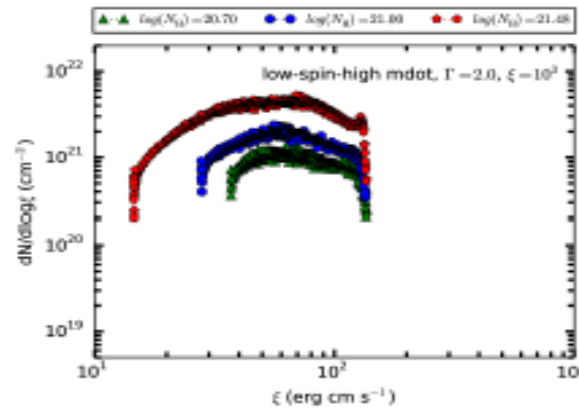
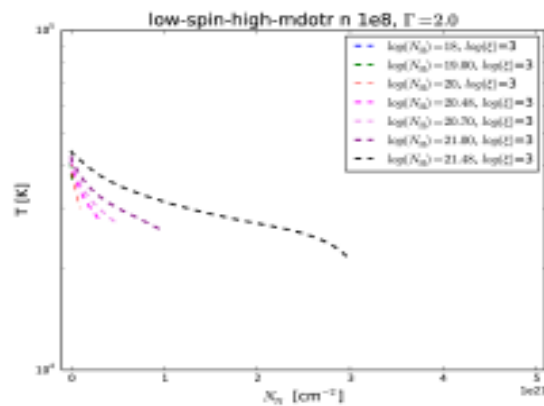
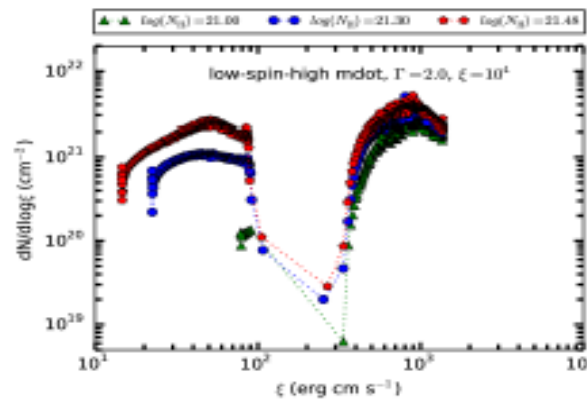
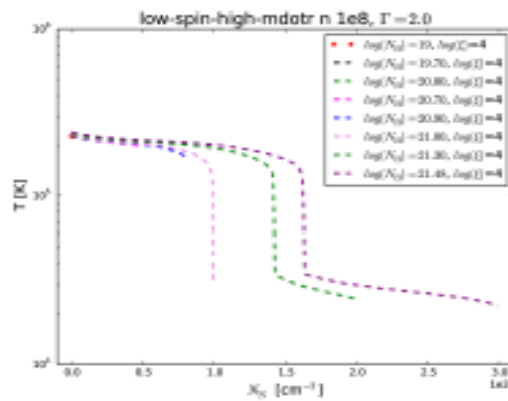
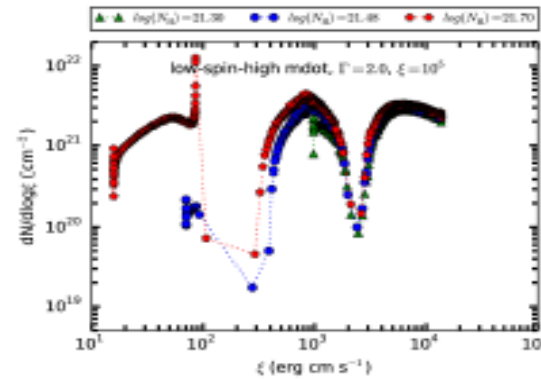
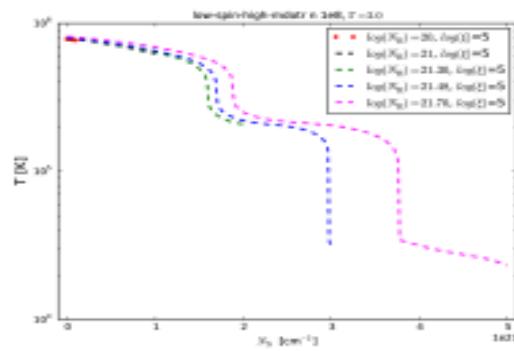


Systematic studies of AMD with TITAN

$n=10^8 \text{ cm}^{-3}$, different SEDs, $L_{\text{tot}} \sim 10^{45} \text{ erg/s}$



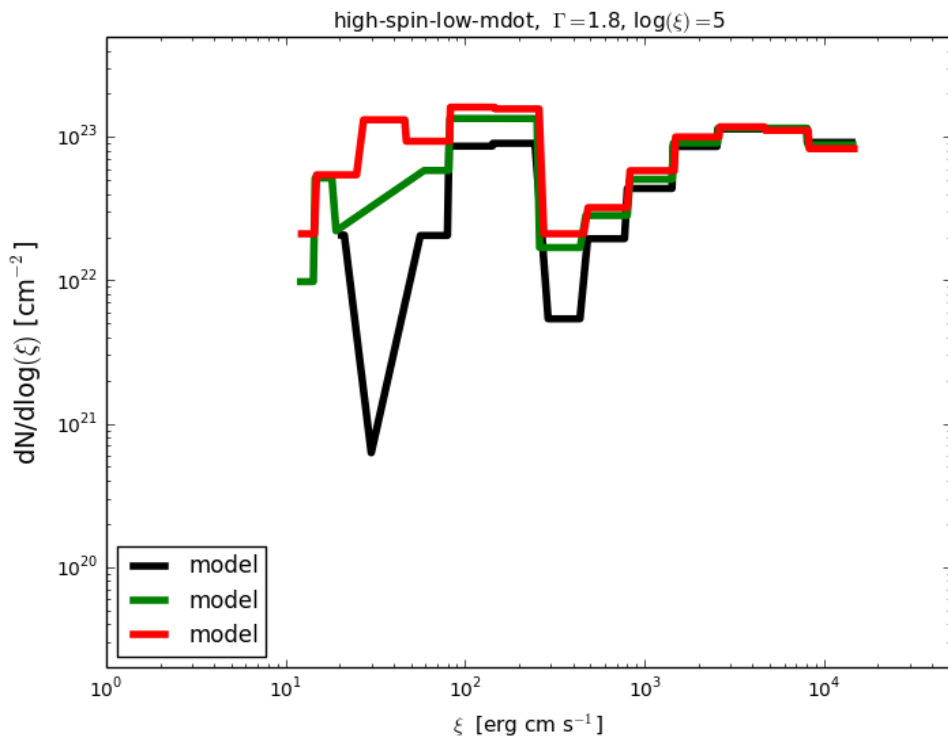
Systematic studies of AMD with TITAN



Normalization of AMD with TITAN

$$N_{\text{tot}} \geq 10^{23} \text{ cm}^{-2}$$

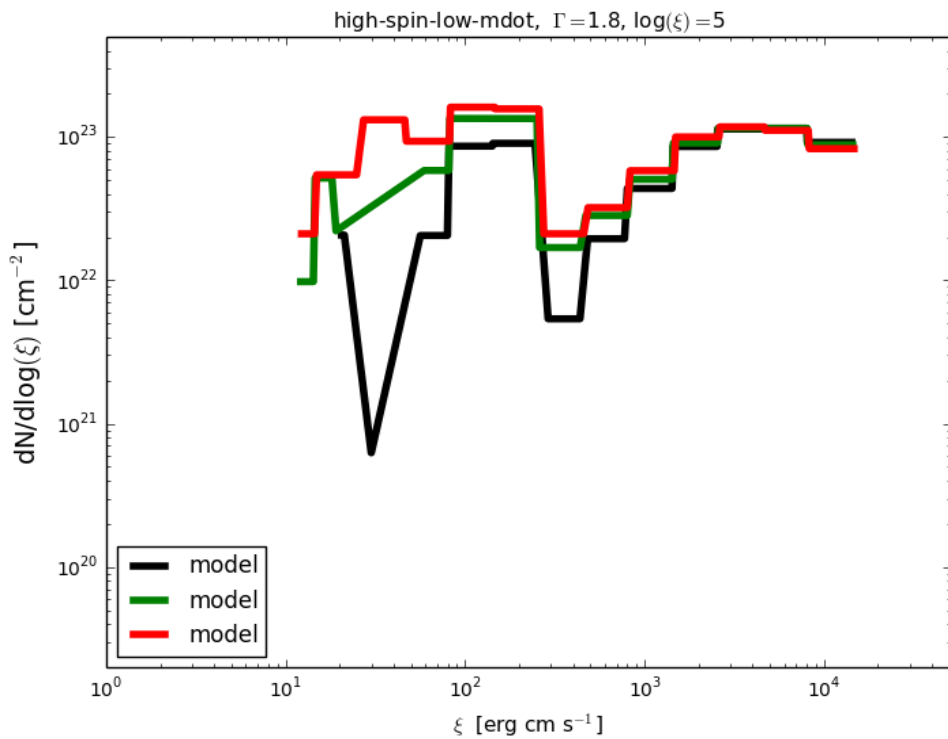
SED – **NO** soft X-ray bump



Normalization of AMD with TITAN

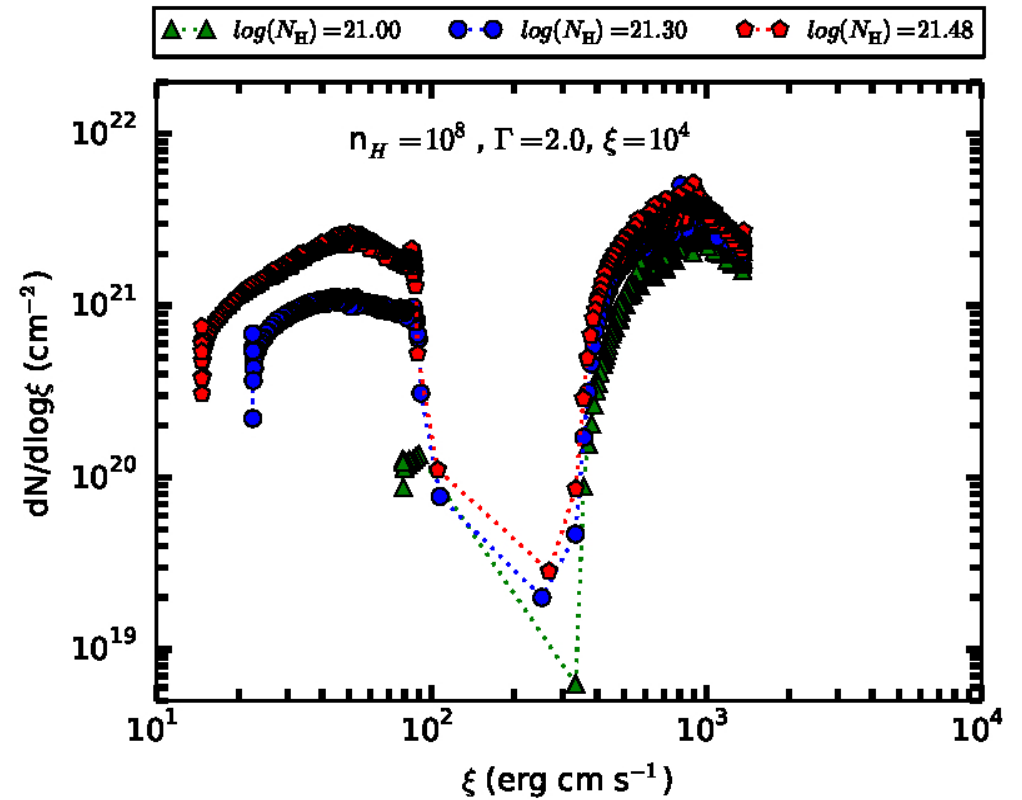
$$N_{\text{tot}} \geq 10^{23} \text{ cm}^{-2}$$

SED – **NO** soft X-ray bump



$$N_{\text{tot}} \sim 10^{21-22} \text{ cm}^{-2}$$

SED – soft X-ray bump

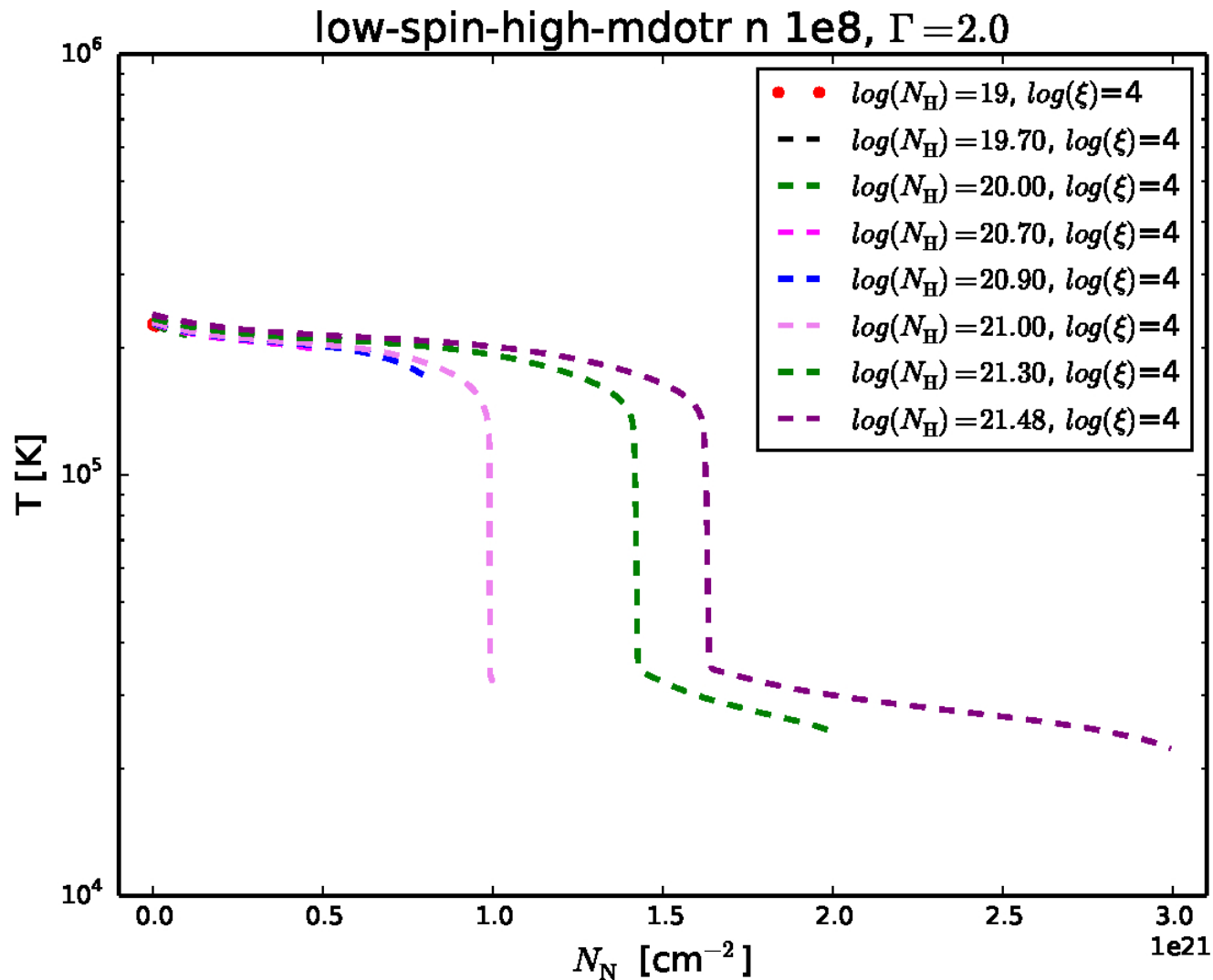


Conclusions:

- The fact that the photoionization models give the same results for broad range of densities is only valid for strong X-ray illumination, and weak optical/UV SED component.
- The radiation pressure is dominant in the vicinity of BH.
- Thermal Instability occurs only when hydrostatic equilibrium is solved.
- AMD normalization is higher for SED with strong X-ray component and weak optical UV component

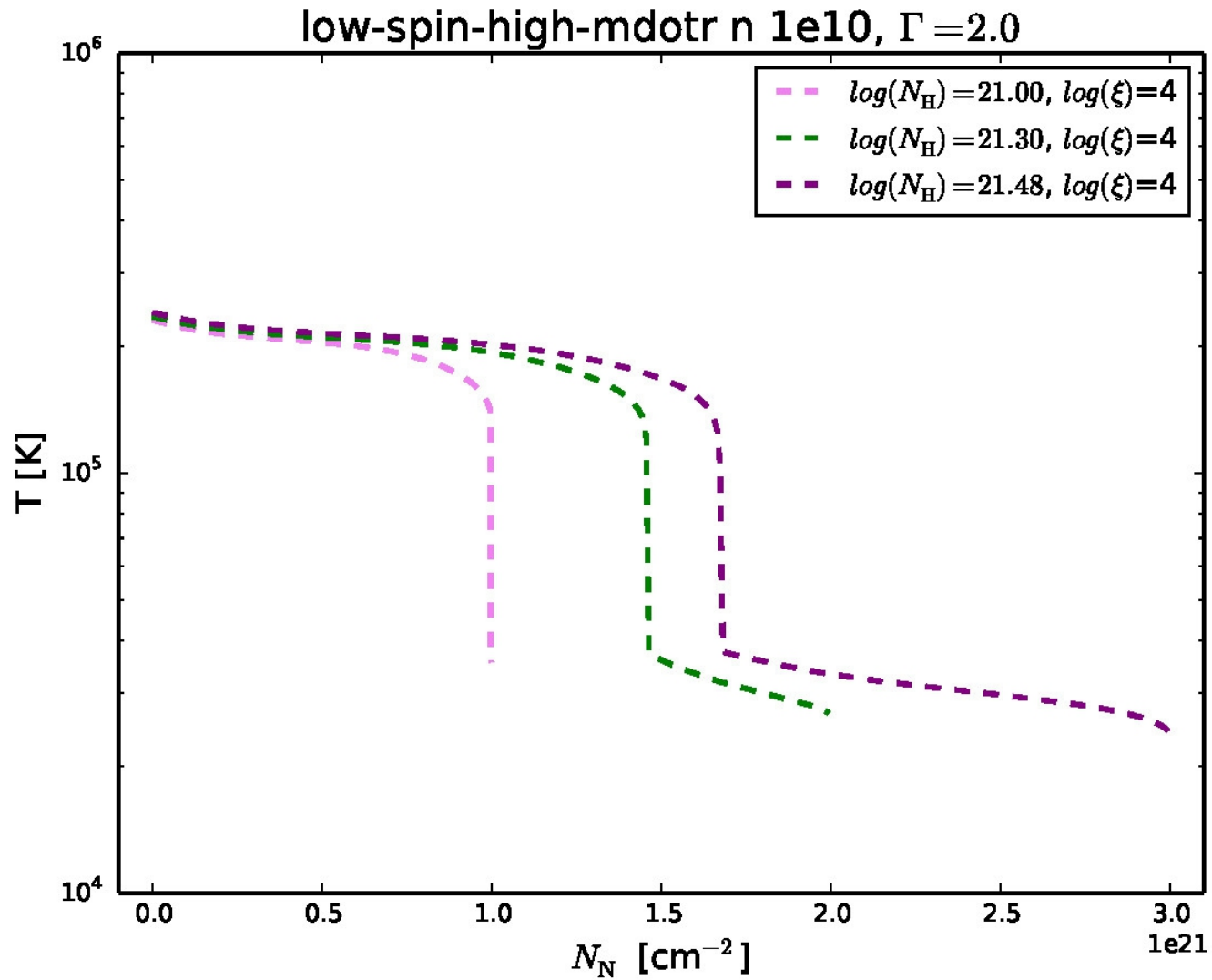
Position of the drop of AMD with TITAN

$N_{\text{tot}} \sim 10^{21-22} \text{ cm}^{-2}$, SED – soft X-ray bump



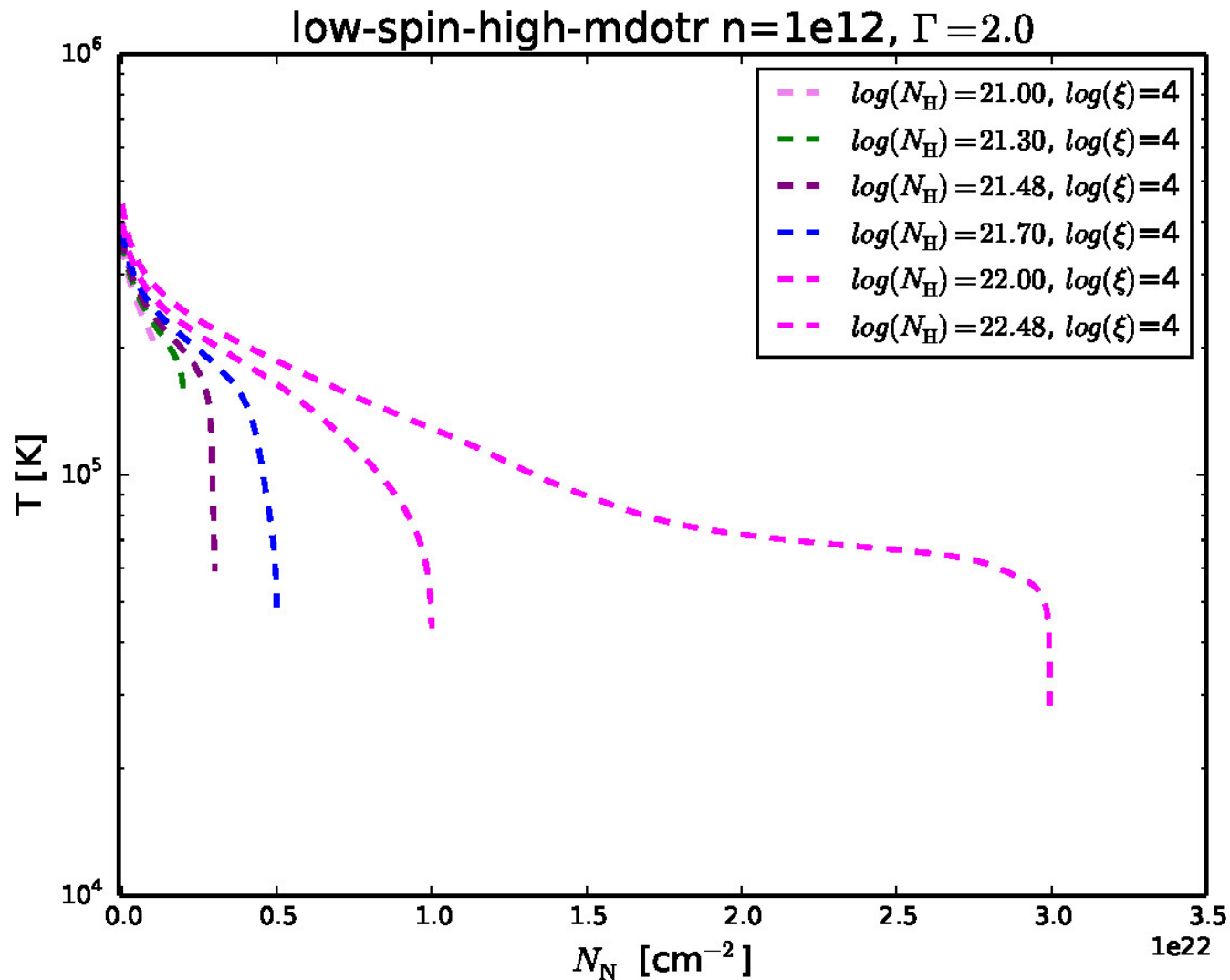
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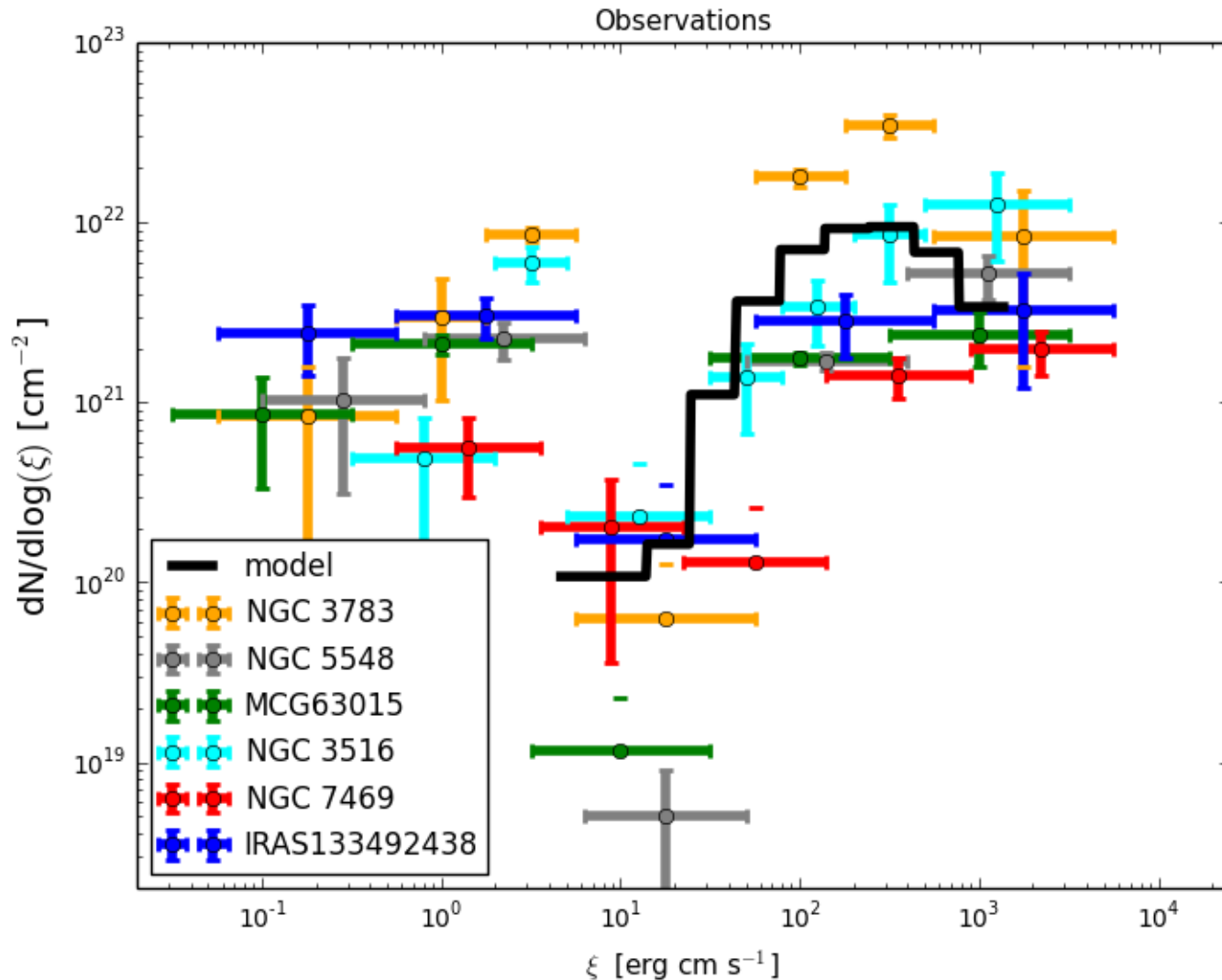


Position of the drop of AMD with TITAN

$N_{\text{tot}} \sim 10^{21-22} \text{ cm}^{-2}$, SED – soft X-ray bump



Conclusion first



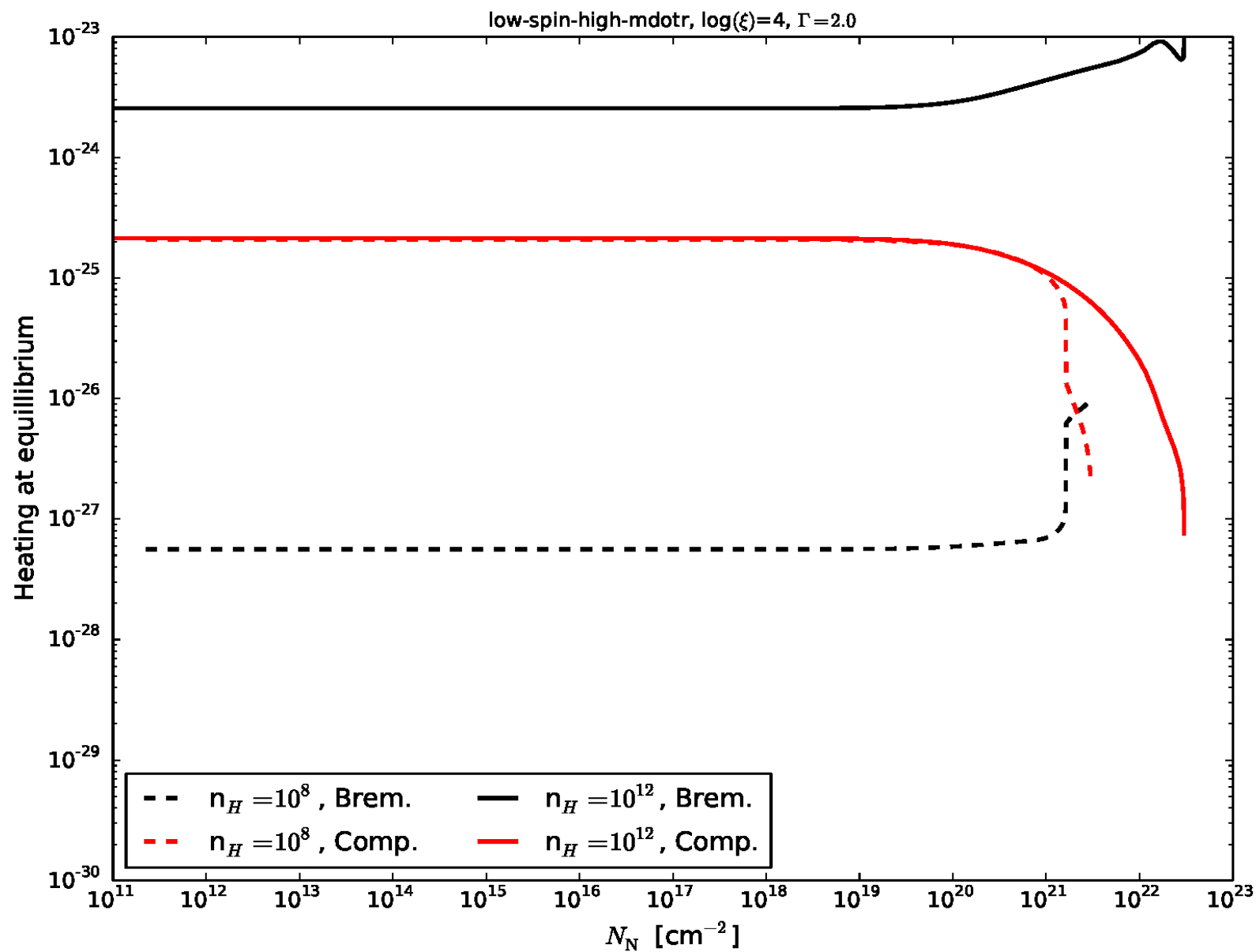
AMD data provided by Ehud Behar

Model computed with TITAN (Anne-Marie Dumont)

Conclusions:

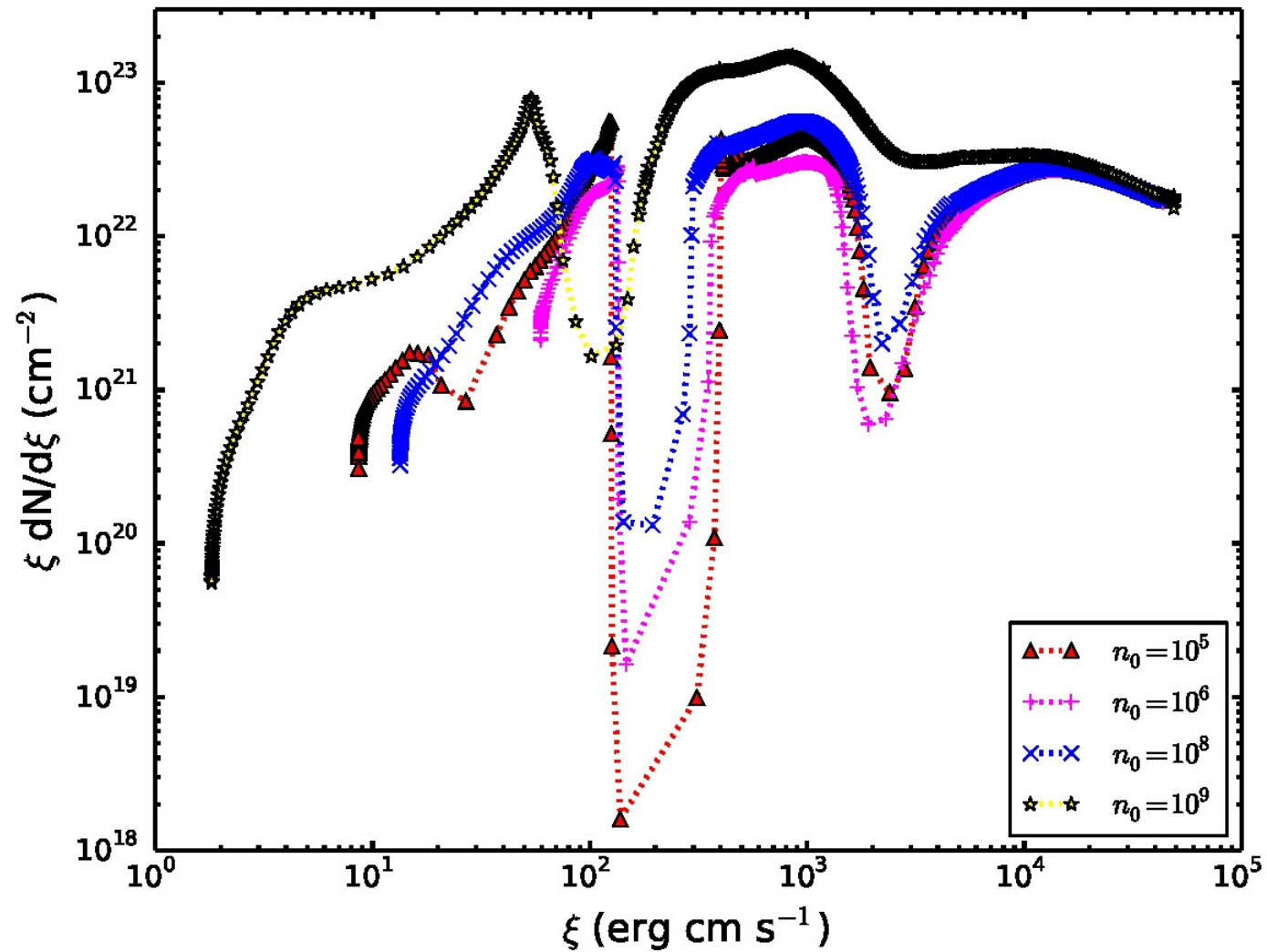
- The fact that the photoionization models give the same results for broad range of densities is only valid for strong X-ray illumination, and weak optical/UV SED component.
- The radiation pressure is dominant in the vicinity of BH.
- Thermal Instability occurs only when hydrostatic equilibrium is solved.
- AMD normalization is higher for SED with strong X-ray component and weak optical UV component.
- For the given SED the position of the AMD drop position depends on the volume density.

Density matters



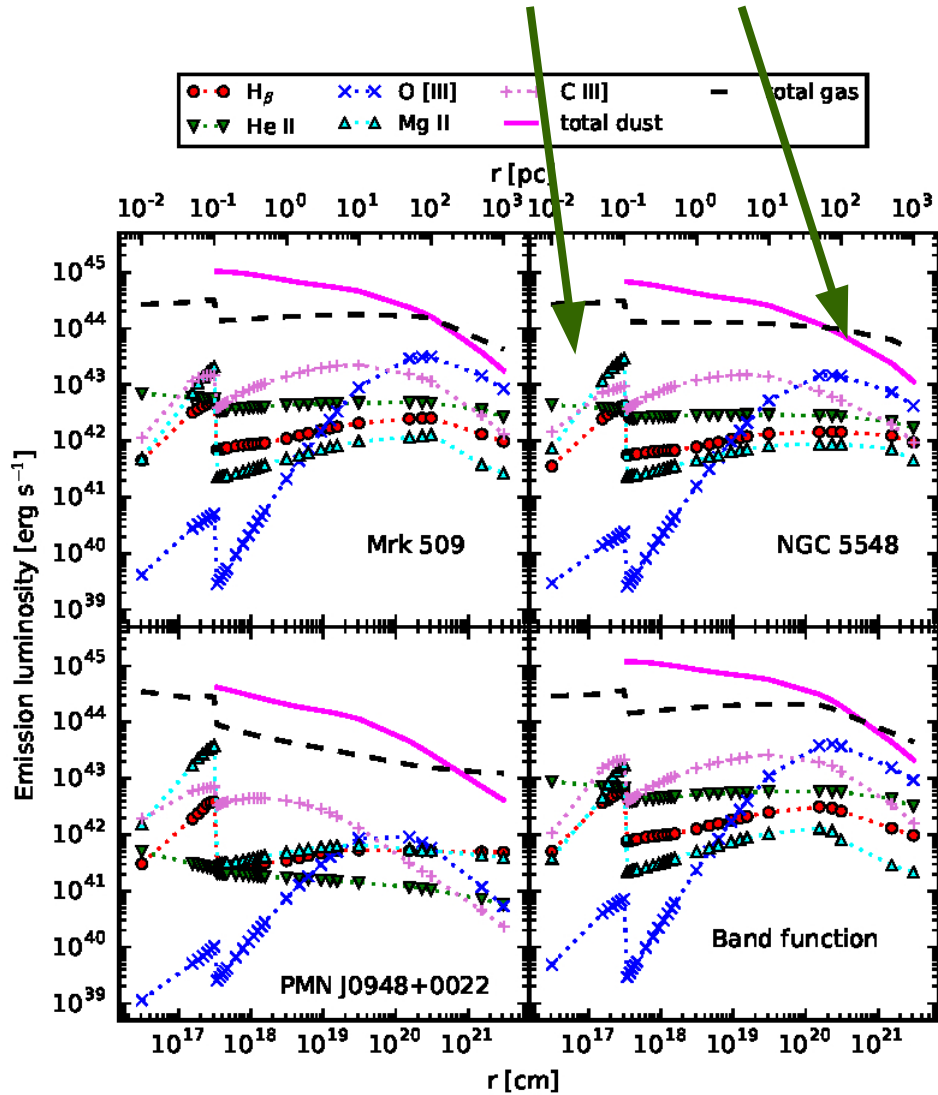
Density matters

Adhikari +15, constant pressure slab



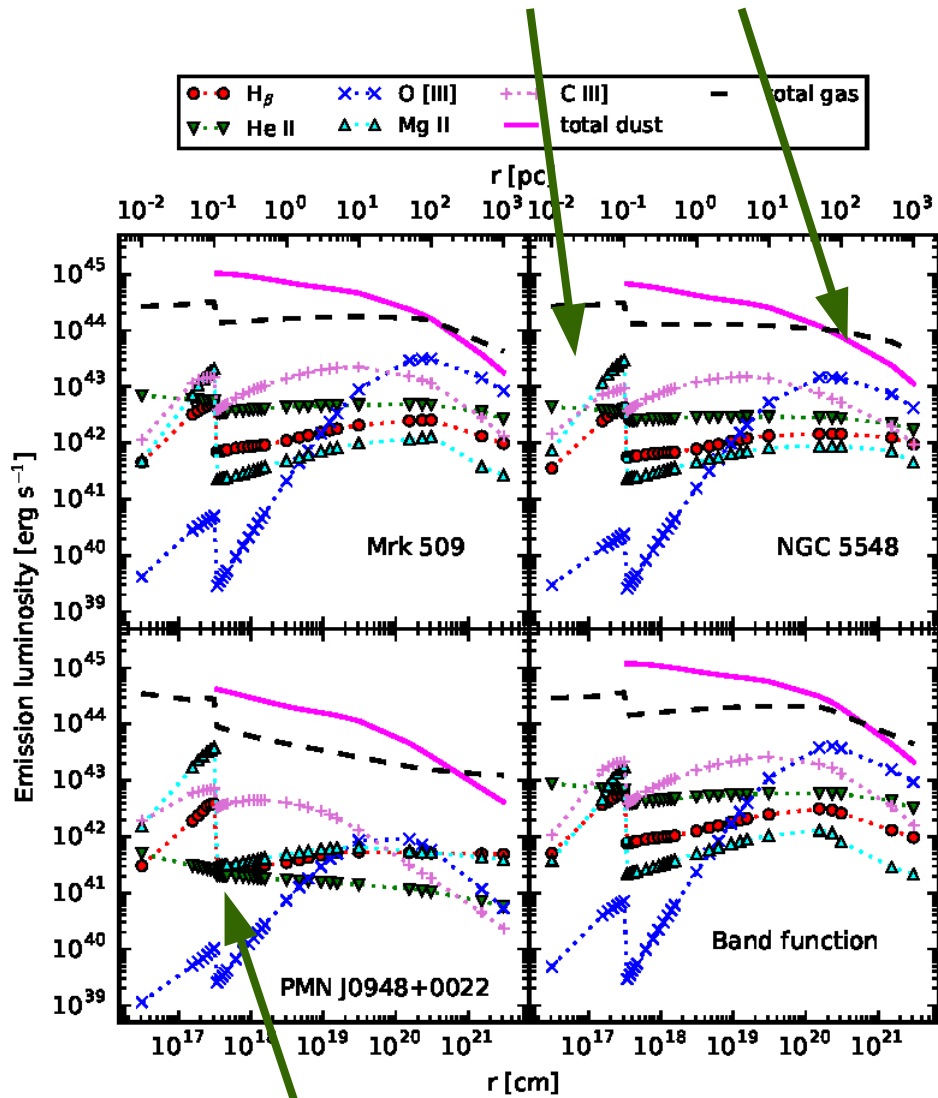
Density matters

Netzer & Laor 1993, **BLR** and **NLR**



Density matters

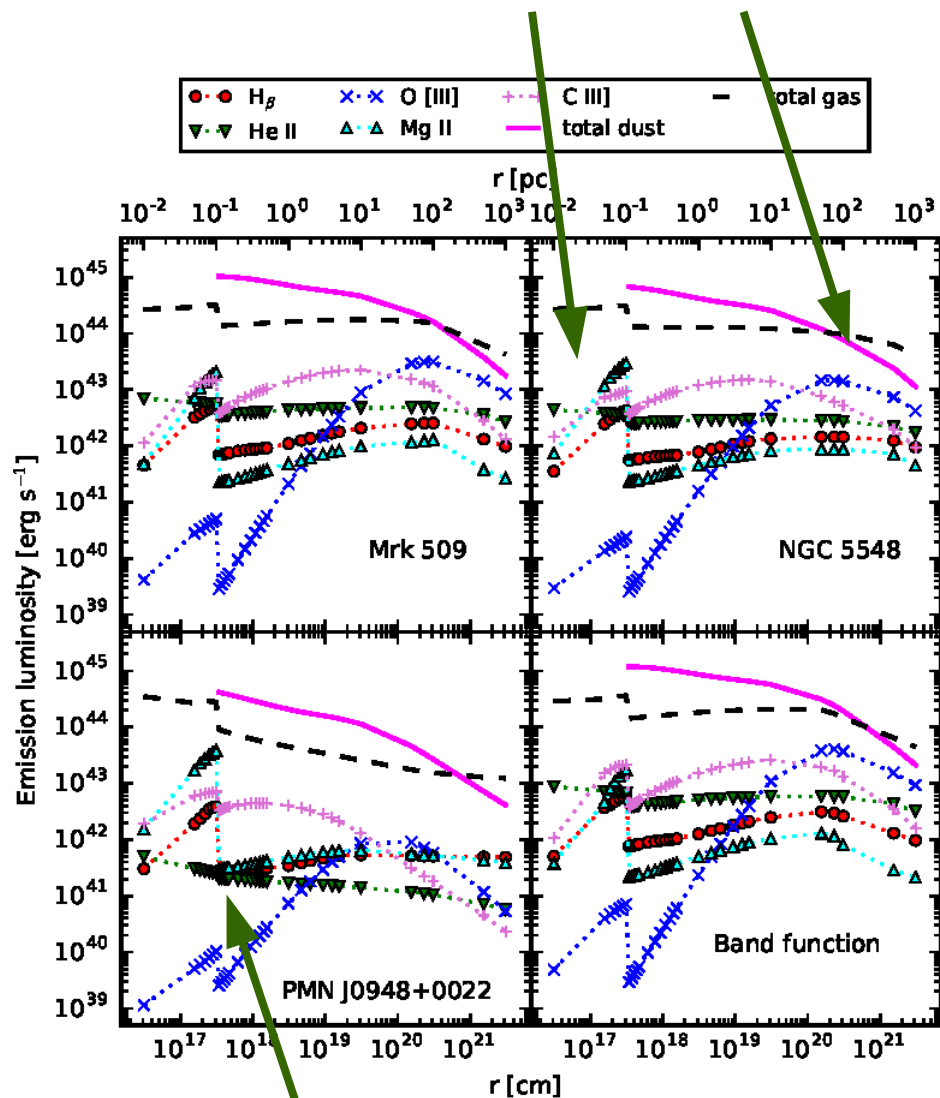
Netzer & Laor 1993, **BLR** and **NLR**



$$n(R_{\text{sub}}) = 10^{9.4} \text{ cm}^{-3}$$

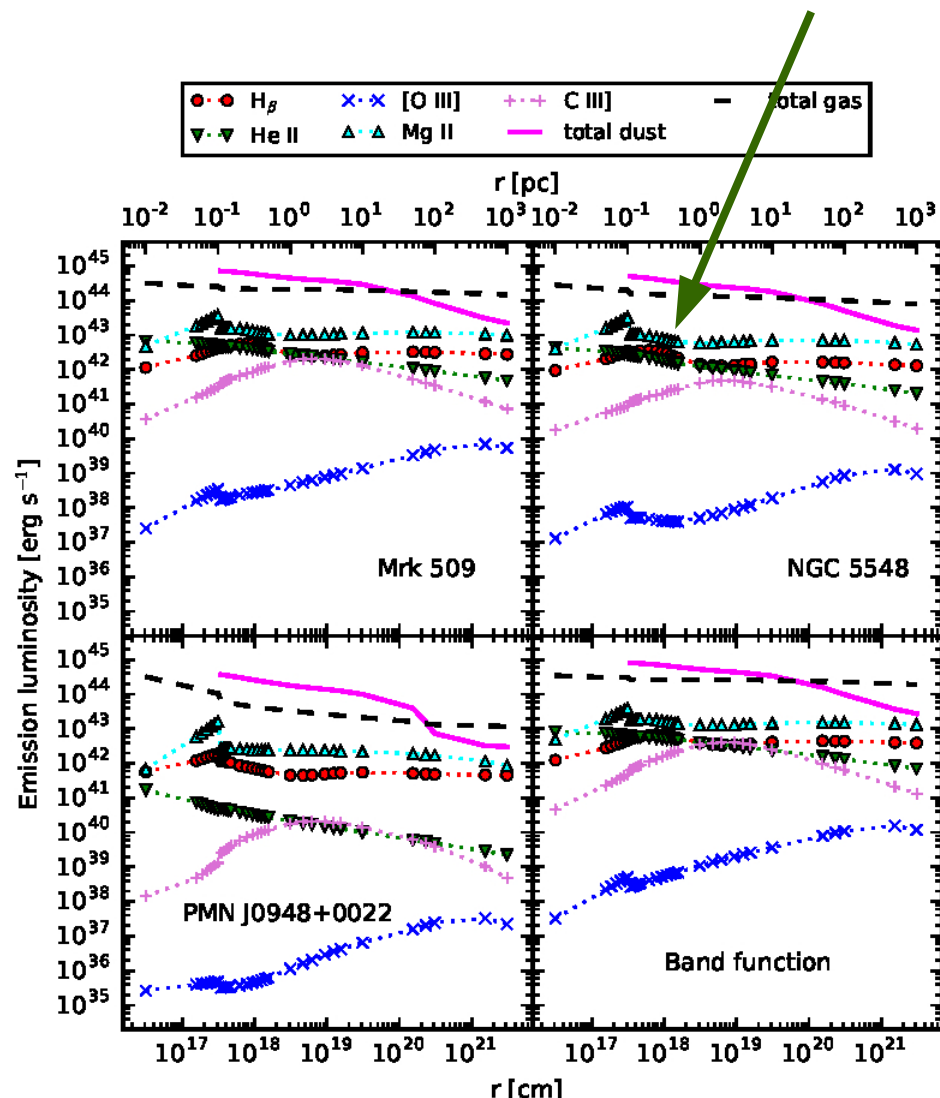
Density matters

Netzer & Laor 1993, **BLR** and **NLR**



$$n(R_{\text{sub}}) = 10^{9.4} \text{ cm}^{-3}$$

Adhikari +16, **const. n CLOUDY, ILR**



$$n(R_{\text{sub}}) = 10^{11.5} \text{ cm}^{-3}$$

Thermal Instability in Sgr A*

Kunneriath +12, Cold gas – 30''

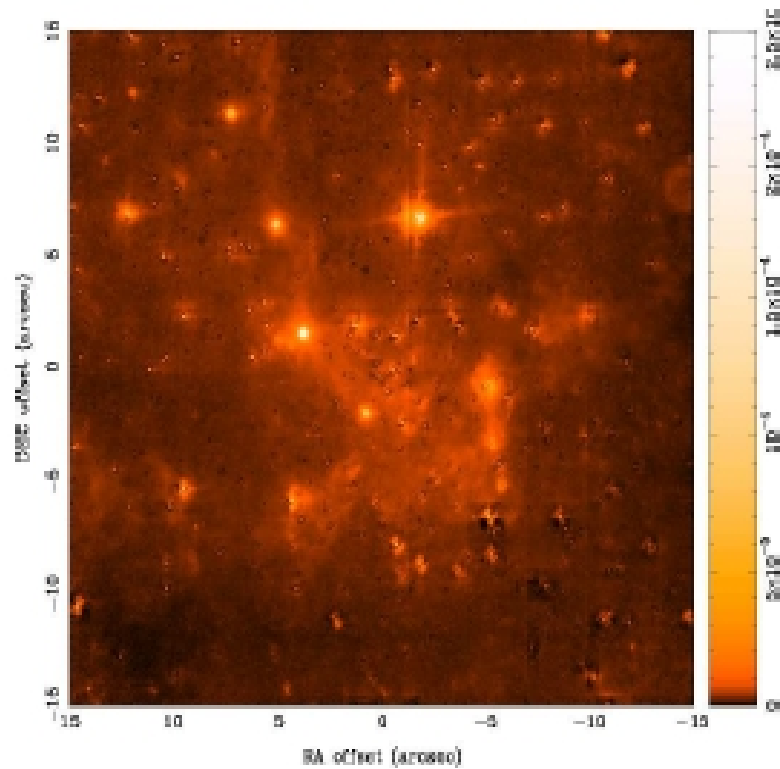


Fig. 1. Bry image of the central 30'' mini-spiral region around Sgr A*. The colour bar indicates flux density units of Jy/pixel.

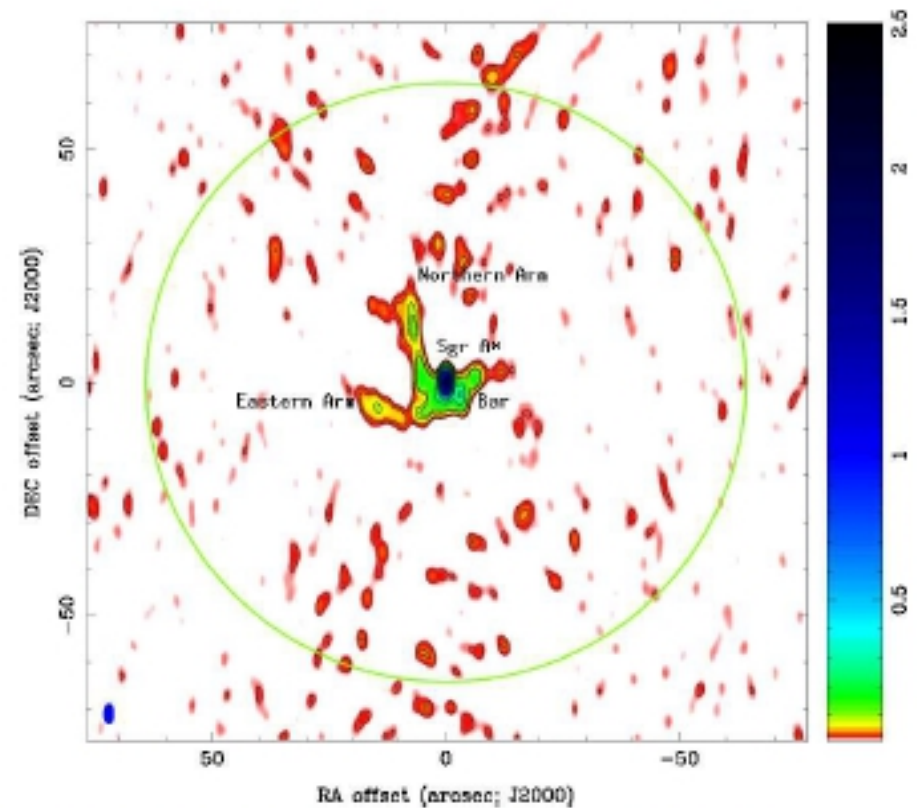
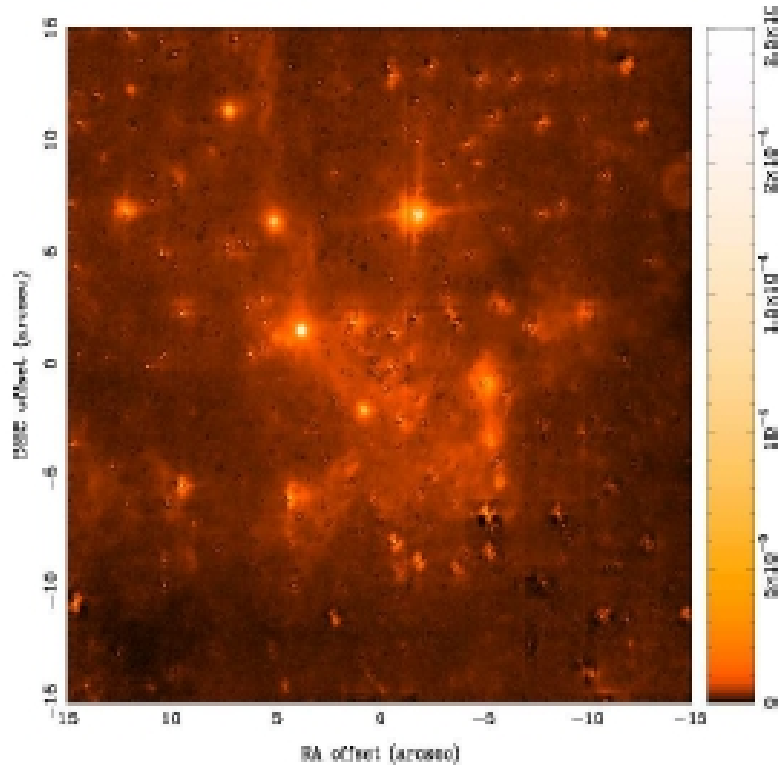


Fig. 2. Three-mm map of the mini-spiral region at resolution 2.68'' by 1.71'' (P.A.=20.7°). The green circle marks the HPBW. Contour levels are 0.02, 0.03, 0.04, 0.05, 0.1, 0.6, 0.9, 1.2, 1.5, and 2.5 Jy/beam.

Thermal Instability in Sgr A*

Kunneriath +12, **Cold gas – 30"**



Rózańska +15, **Hot gas – 17'**

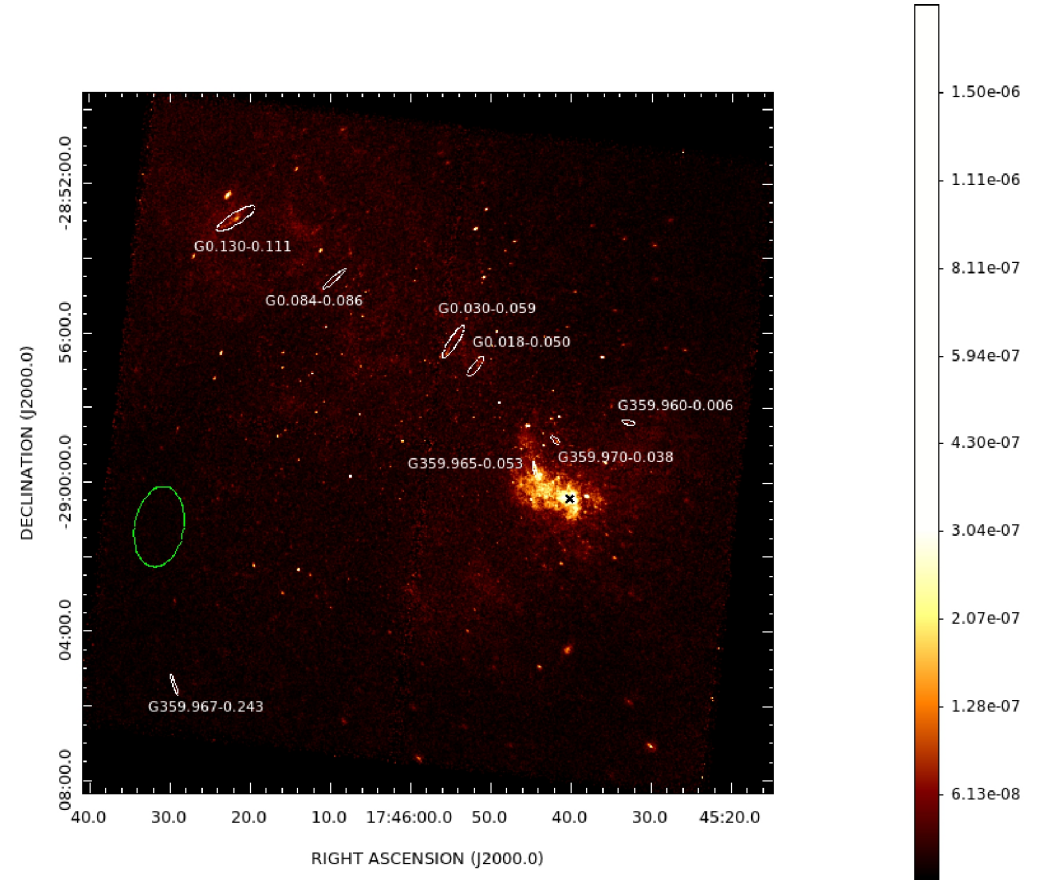
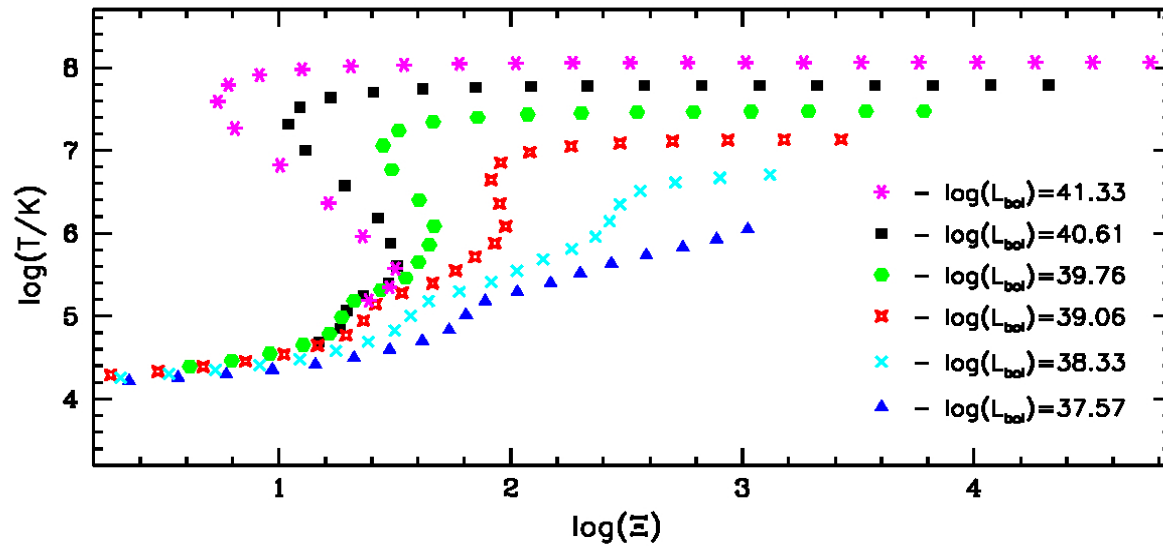
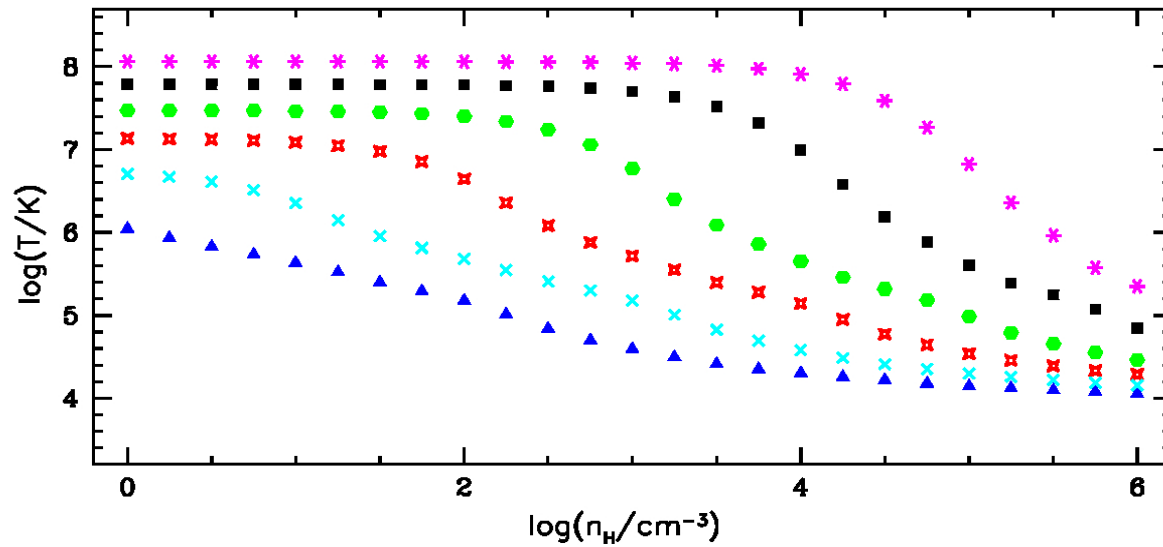


Fig. 1. Bry image of the central 30'' mini-spiral region around Sgr A*. The colour bar indicates flux density units of Jy/pixel.

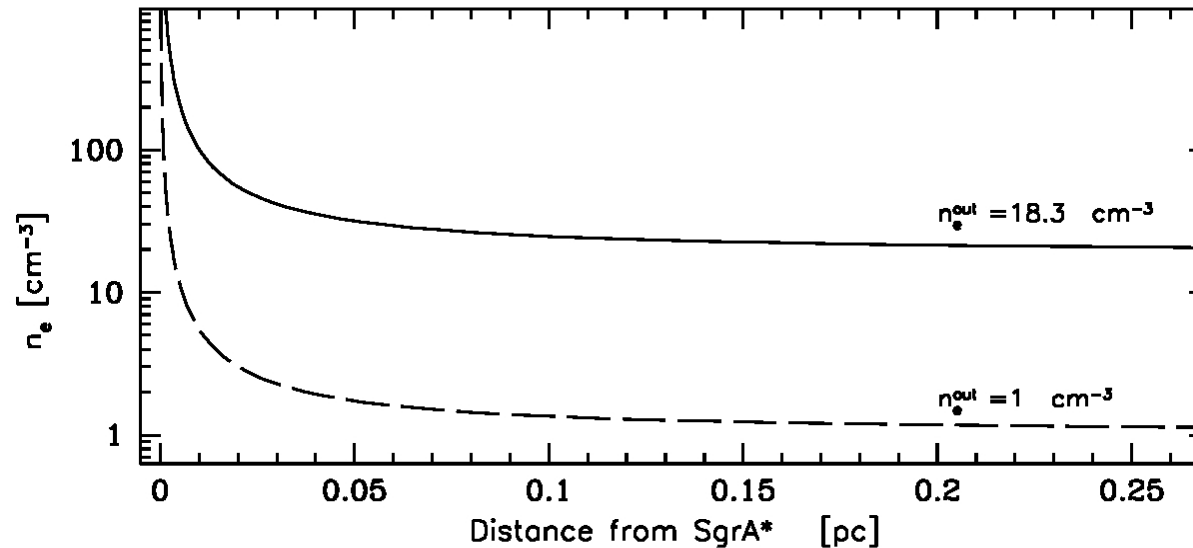
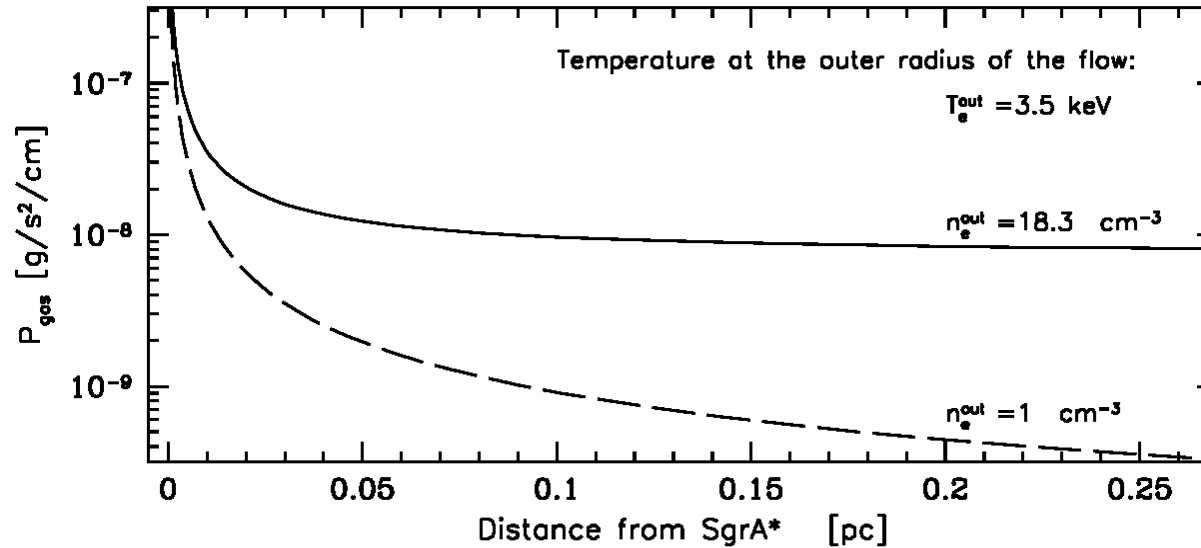
Thermal Instability in Sgr A*

Róžańska +14, For SEDs in different Sgr A* luminosity states



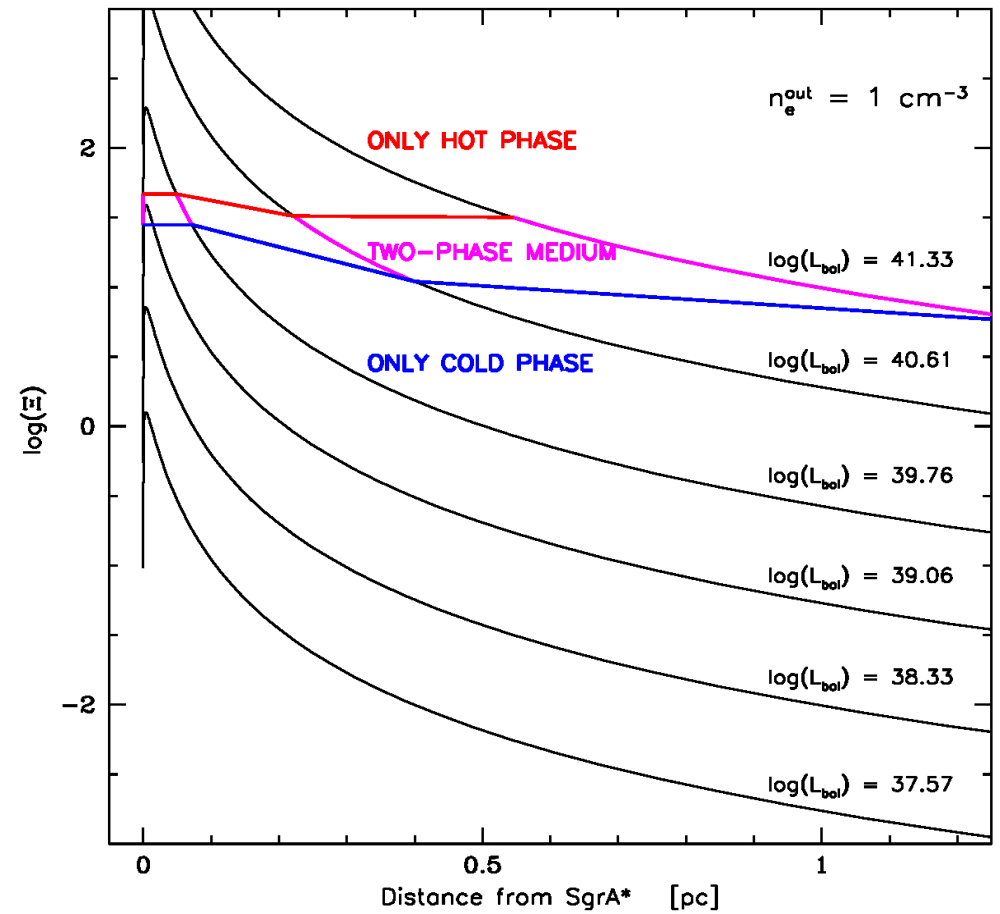
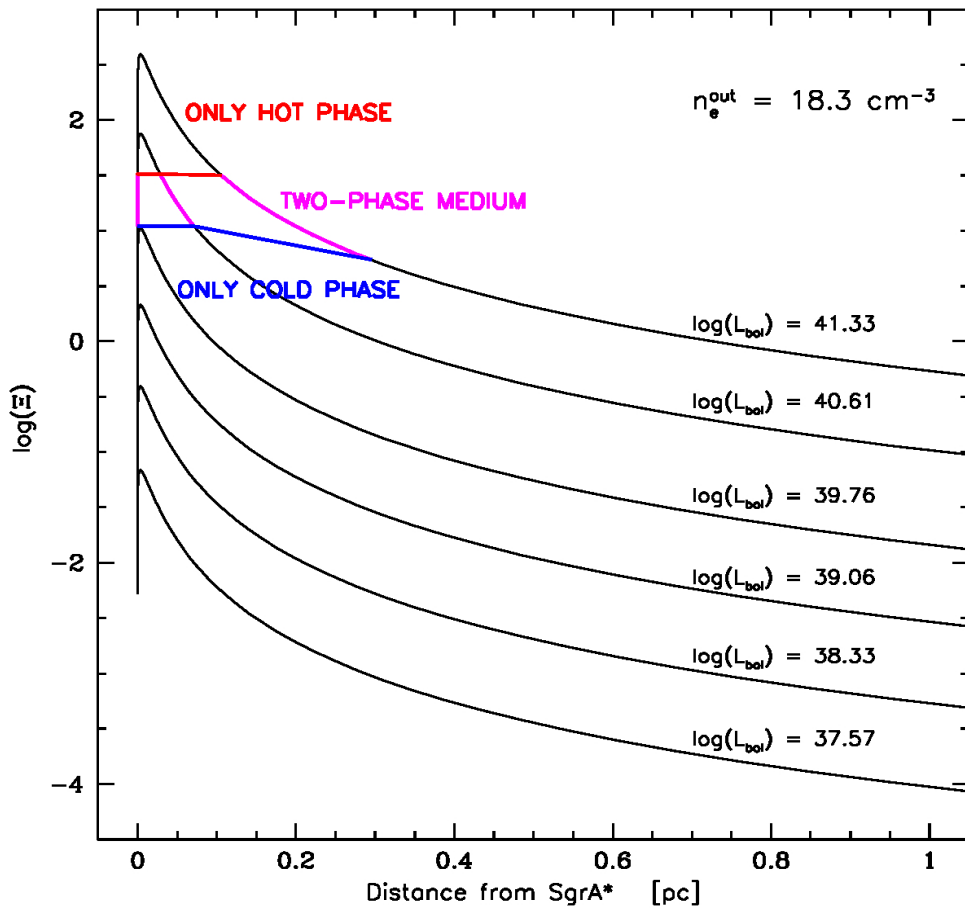
Thermal Instability in Sgr A*

Róžańska +15, Gas pressure and density radial structure from the Bondi flow fitted to the CHANDRA



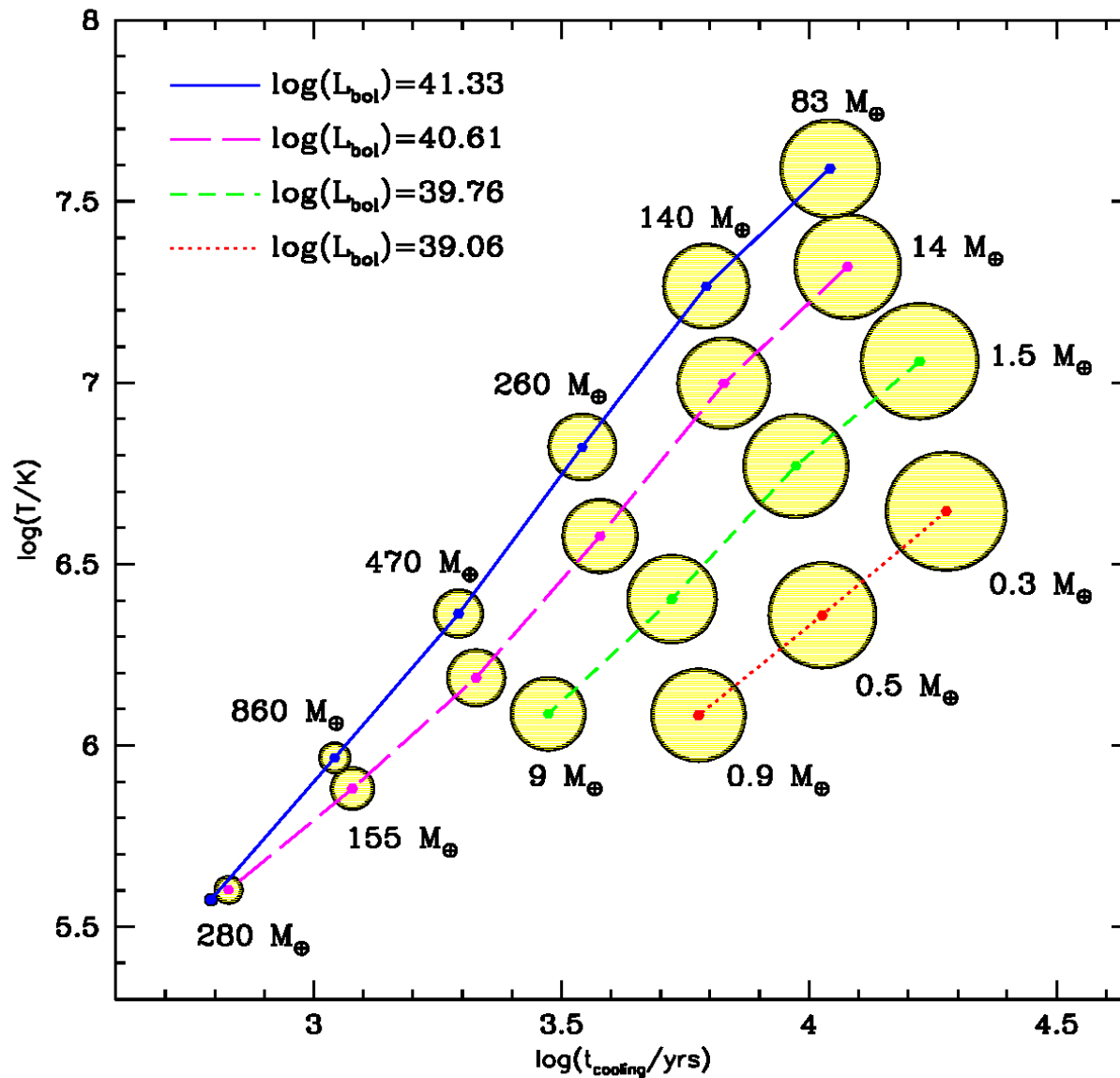
Thermal Instability in Sgr A*

Róžańska +14, For SEDs in different Sgr A* luminosity states



Thermal Instability in Sgr A*

Rózańska +14, For SEDs in different Sgr A* luminosity states



Thermal Instability in Sgr A*

Róžańska +17, For SEDs in different Sgr A* luminosity states

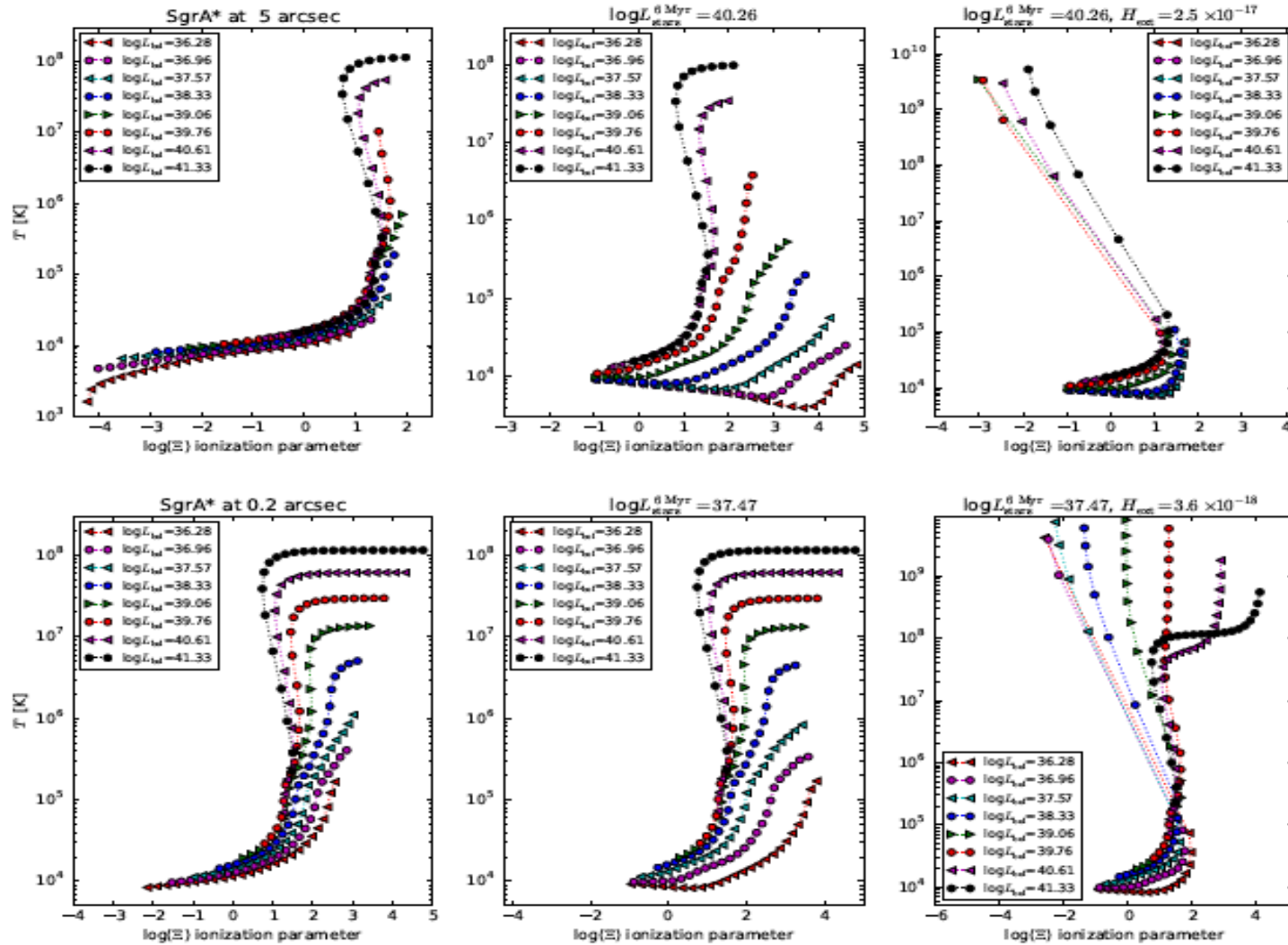


Figure 2. Solutions for S-curve of TI in the plane of temperature vs. ionization parameter, as defined in Eq. 5, for different luminosity states of the radiation: from the central source only (left panels), together with heating by stellar radiation (middle panels), and together with mechanical heating by winds (right panels). Values of central source luminosity are marked within the panels. We present results for the gas located at 5 arcsec from Sgr A* (upper row of panels) and at 0.2 arcsec (bottom row of panels). The luminosity of the NSC is always equal to $\log(L_{\text{stars}}/\text{erg s}^{-1}) = 40.03$, and the volume mechanical heating is $H_{\text{ext}} = 2.5 \times 10^{-17} \text{ erg s}^{-1} \text{ cm}^{-3}$ at 5 arcsec and $H_{\text{ext}} = 3.6 \times 10^{-18} \text{ erg s}^{-1} \text{ cm}^{-3}$ at 0.2 arcsec from Sgr A*.

Questions to the audience

- Do we observe saturated lines in X-ray domain?
- Do we derive AMD for UV absorbers?
- Are we able to distinguish between **const. P** and **const. n** models from observations?
- Are f-f winds more important than Compton winds?
- Can we distinguish volume density of the absorber?
- Can AMD indicate the wind density?

Conclusions:

- The fact that the photoionization models give the same results for broad range of densities is only valid for strong X-ray illumination, and weak optical/UV SED component.
- The radiation pressure is dominant in the vicinity of BH.
- Thermal Instability occurs only when hydrostatic equilibrium is solved.
- AMD normalization is higher for SED with strong X-ray component and weak optical UV component.
- For the given SED the position of the AMD drop position depends on the volume density.
- Thermal Instability may play role in shaping BH environment.
- Not in all objects, but at least in 50%